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# Bank competition, cost of credit and economic activity: evidence from Brazil 

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#### Abstract

We use heterogeneous exposure to large bank mergers to estimate the effect of bank competition on both financial and real variables in local Brazilian markets. Using detailed administrative data on loans and firms, we employ a difference-in-differences empirical strategy to identify the causal effect of bank competition. Following M\&A episodes, spreads increase and there is persistently less lending in exposed markets. We also find that bank competition has real effects: a $1 \%$ increase in spreads leads to a $0.2 \%$ decline in employment. We develop a tractable model of heterogeneous firms and concentration in the banking sector. In our model, the semi-elasticity of credit to lending rates is a sufficient statistic for the effect of concentration on credit and output. We estimate this elasticity and show that the observed effects in the data and predicted by the model are consistent. Among other counterfactuals, we show that if the Brazilian lending spread were to fall to the world level, output would increase by approximately $5 \%$.


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## I. Introduction

The banking sector plays a central role in the functioning of the economy (e.g., Bernanke (1983)) and it is often highly concentrated: averaging across countries, the share of assets held by the 5 largest banks in each country is $78 \%,{ }^{1}$ a number that has increased recently in several countries. In the U.S., for instance, the share of assets held by the 5 largest banks increased from $30 \%$ in the mid 1990's to more than $45 \%$ in 2016. In Brazil, this share grew from $50 \%$ to more than $85 \%$ in the same time span.

Despite the importance of banks, there is still limited understanding of the consequences of competition among banks. From a theoretical perspective, traditional industrial organization (IO) models predict that less competition will lead to higher interest rates and lower access to credit through movements along the demand curve. However, as shown in Petersen and Rajan (1995), theoretical banking specific models that take into account information problems and bank-firm relationships predict that less bank competition can increase credit access and decrease interest rates (or have a non-monotonic relationship). ${ }^{2}$ We observe similar ambiguity in empirical work. Identifying the effect of bank competition is challenging due to endogeneity. For any source of identification (cross-industry analysis, geographic branching deregulation, etc.) there is evidence that supports the traditional IO view and, alternatively, evidence that the relationship lending/informational channel is such that competition can be detrimental to credit access. ${ }^{3}$

In this paper, we use M\&A episodes of large Brazilian banks as a source of exogenous variation in competition in local banking markets to identify the causal effect of bank competition. We focus on the Brazilian market for three reasons. First, bank lending represents close to $52 \%$ of external finance in Brazil, close to the international average of $55 \%$.Second, Brazil is representative of a set of developing countries where access to finance is a major constraint on firm growth. For instance, $45 \%$ of firms in Brazil report that access to finance is a major constraint to growth and $43.7 \%$ of firms' investment (and not only working capital) is funded by banks. Finally, the Brazilian Central Bank (BCB) credit registry has information on large M\&A episodes and rich loan and firm level data.

[^1]It is worth noting that, although we focus on Brazil, bank concentration has been increasing in various countries, including the United States. From 1983 to 2019, the number of banks in the United States went from over 11,000 to less then 4,500 , while the share of deposits with the four largest banks went from less than $16 \%$ to $43 \%$ (Corbae and D'Erasmo (2020)). Alternatively, in the Senior Loan Officer Opinion Survey (SLOOS) from the Federal Reserve (2019 October version), all of the banks say that more aggressive competition from other banks or nonbank lenders is either somewhat or very important in their decision to easing credit standards or loan terms.

We use a difference-in-differences (DiD) framework to estimate the effect of bank competition on financial and real outcomes. We say a market is 'treated' by a merger if it contained at least one branch of each of the banks involved in an M\&A episode. Although the decision of two large banks to merge is not exogenous, it is unlikely to be systematically related to economic differences across local markets. ${ }^{4}$ The identifying assumption is that absent an M\&A episode in a local banking market, the outcomes in treated and non-treated municipalities would have followed parallel trends.

We conduct our benchmark analysis at the municipality-month level. This is consistent with the literature of banking markets in Brazil (Sanches, Silva Junior and Srisuma (2018)), and with the evidence that banking markets are local (Nguyen (2019) and others). We also provide results considering broader market definitions, as the labor market definition Adão (2015) uses for Brazil. Our set of empirical results is divided in three parts. First, we focus on the effect of M\&A episodes on financial variables. We show that before M\&A episodes, the level of competition, lending spreads and volume of new loans followed parallel trends in treatment and control markets. After an M\&A episode, we find an average increase in local concentration (HHI) of 0.11 , which is roughly equal to going from 4 to 3 symmetric banks. Moreover, we find a positive and significant effect on market level spreads of approximately 5.88 percentage points ( $16 \%$ of sample average) and a reduction in the volume of new loans of $17.1 \%$ considering loans made by private banks to firms. We find that the effect on lending is persistent and that there is no subsequent entry after changes in competition (unlike Garmaise and Moskowitz (2006) and others). As predicted by standard competition models, we find that the effect of a merger is smaller in less concentrated markets.

Second, we assess alternative explanations: specifically, we investigate whether bank-firm relationships emphasized in the previous theoretical and empirical literature can explain our findings. Our analysis suggests that in our setting these effects are second order. We do not observe a differential effect for small firms, which are more dependent on bank relationships. We find negligible changes in the age of borrowers, loan maturity and the share of relationship loans. In terms of alternative explanations, we compare markets with only one of the

[^2]merging banks with those with none. We find a small decrease in spreads, and no change in volume of new loans. This indicates that our results are not driven by changes in the ownership structure of banks. Further, we find no evidence of branch closures (or openings), which is a channel for the reduction in credit highlighted in the literature following M\&As in the U.S. (Nguyen (2019)).

Third, we show that a reduction in bank competition reduces employment, wages and output in most sectors. We provide evidence that this effect come from a higher cost of credit for the firms in treated markets, and not for shifts in the local demand for goods and services by households. ${ }^{5}$ We find no effect in the agricultural sector, which serves as a placebo in our setting. Agricultural credit in Brazil is the target of several credit policies and only $25 \%$ of loans are obtained through competitive bank lending. We estimate that the elasticity of payroll (non-agricultural) to lending spreads is -0.2 : for a $1 \%$ increase in spreads, there is a $0.2 \%$ decrease in total payroll.

Given our empirical results, we develop a tractable model of bank competition that can be tested and used for counterfactuals that extend beyond our reduced form results. Our model consists of various independent markets, each with their own level of bank competition. Each market has heterogeneous firms in need of external finance. With external finance, firms can increase the amount of capital and labor they use in production. Banks have heterogeneous costs of providing loans, and they compete à la Cournot (by choosing the quantity of credit in a given market). Under our functional form assumptions, each bank in the economy faces a downward sloping demand for bank credit with a constant semi-elasticity. Our model makes two quantitative predictions. First, individual bank optimization implies that the semi-elasticity is a sufficient statistic that relates local concentration to lending spreads. Second, we show that the same semi-elasticity that determines equilibrium rates in a market is also the sufficient statistic for the effect of spreads (and thus bank concentration) on output and total payroll. More specifically, we show that the semi-elasticity multiplied by the share of capital that is competitively supplied by banks is the effect of spreads on output. ${ }^{6}$

We use a DiD instrumental variable framework to estimate the semi-elasticity of local demand for bank credit. Using exposure to the merger as a supply shifter, we estimate this semi-elasticity to be -3.17: for a 1 percentage point change in spreads, local demand for credit falls $3.17 \%$. Given the semi-elasticity estimate, we show that the data are consistent with the two quantitative predictions of our model: the change in spreads implied by the change in

[^3]concentration and the effect of spreads on total payroll.
We then use our model to investigate three counterfactuals: the introduction of a new bank in every market, active competition of public banks in markets they are already located in and, finally, a reduction of spreads in all markets in Brazil to the global average of 5.43 percentage points. In the last exercise, our results indicate that output would grow by almost $5 \%$. As firms are financially constrained in Brazil, the share of production that the corporate sector can retain and invest is also important for output in the future, as highlighted in Itskhoki and Moll (2019). ${ }^{7}$ In the counterfactual where spreads are reduced to the world level, we find that beyond the static effect on output, the corporate sector share of production profits would increase by 6.51 percentage points. This increases the speed of capital accumulation and thus output in the future.

Finally, although we find limited evidence of efficiency gains from bank mergers in our setting, we use our model to understand how large potential efficiency gains would have to be to compensate for a higher local concentration. We find that in municipalities with both merging banks, where the merger increases local concentration as well as efficiency in the banking sector, the overall cost of the banking sector would have to fall substantially to compensate for the loss of competition. In general, the aggregate effect of $\mathrm{M} \& \mathrm{As}$ - or other policies that affect the cost structure and local concentration simultaneously - depends on the share of municipalities exposed to the M\&A and those exposed only to efficiency gains. As a case study, we use the observed distribution of branches in 2018 of two banks in Brazil (Itaú-Unibanco and Santander) and find that if they were to merge, efficiency gains would have to be of at least $40 \%$ for aggregate output to increase.
Literature review. Despite extensive research, the effect of bank competition on financial and real outcomes is not fully understood - either theoretically or empirically. The literature has typically focused on branching deregulation episodes, but these episodes do not shed much light on bank competition. Following branching deregulation episodes in the U.S., the HHI index remained the same as smaller local banks were acquired by larger and more efficient banks (Black and Strahan (2002)). As shown in Jayaratne and Strahan (1996) and others, the real effects of the deregulation come mostly from changes in the quality of loans (increased efficiency of banks) instead of volume. Further, branching deregulation changes the ability of banks to geographically diversify risks (Goetz, Laeven and Levine (2016)), can reduce their funding costs (Levine, Lin and Xie (2021)), and introduces incumbent-entrant information asymmetries that can be more relevant than competition per se (Gao et al. (2019)). Two recent

[^4]papers on bank competition with identification efforts that do not rely on branching deregulation are Liebersohn (2018) and Carlson, Correia and Luck (2022). Liebersohn (2018) uses a discontinuity in the DOJ criteria to approve mergers, while Carlson, Correia and Luck (2022) uses a discontinuity in entry costs created by regulation in the national banking era.

Our data and empirical setting have three key advantages over the bank competition literature. First, mergers of banks are highly regulated in the U.S., such that the mergers that are approved are exactly those that are not expected by the regulators to have any competitive effect. For instance, a merge between banks in the U.S. are flagged for further review if HHI increases by more than 0.02 to a new level of more than 0.18 (Liebersohn (2018)). In Brazil, we do not observe any mergers rejected by regulators and the average merger increases HHI by .11. Second, M\&A of large banks is not subject to the criticisms of deregulation exercises. Third, we use monthly data from the Brazilian credit registry, local bank balance sheets and labor outcomes in Brazil that comprise essentially the universe of all loans and tax registered firms, not only loans to small business (as in most of the branching deregulation) or commercial real estate (as Liebersohn (2018)). In particular, we can test for the relationship channel directly, since we know which firms had a relationship with each bank before an M\&A episode. We also contribute to this literature by providing a tractable model of bank competition that relates local concentration to lending spreads and lending spreads to real outcomes, and show that the predictions of the model are consistent with the data. Our model provides a bridge between the empirical work on bank competition and its aggregate effects from a macro perspective.

We also contribute to the literature on credit supply shocks. The evidence on credit supply shocks at levels of aggregation above the firm is still mixed. Recent evidence suggests that credit supply shocks affect real outcomes (e.g., Mian, Sufi and Verner (2019) in the U.S. and Huber (2018) in Germany). In particular, Fonseca and Van Doornik (2022) uses the same credit registry as our paper and shows that a creditor rights reform in Brazil in 2005 led to an expansion of credit and employment at constrained firms. On the other hand, Greenstone, Mas and Nguyen (2019) and others find negligible effects of credit supply shocks on the real economy. As argued in Huber (2018), a reason for this inconsistency is that heterogeneity in regional exposure to shocks is small in some studies. We contribute to this literature by studying a large credit supply shock through changes in the banking market structure, and show that for a bank-dependent emerging market like Brazil, a competitive change in the banking sector can have larger effects than those found in Huber (2018) for a banking crisis. Moreover, by exploring the effects separately on tradable and non-tradable industries, we provide evidence that firm financing is important for explaining aggregate real outcomes.

This paper is broadly related to the effect of market power in the financial sector in the transmission of monetary policy (see, e.g., Drechsler, Savov and Schnabl (2017) for the de-
posit market). We credibly estimate sensitivity of bank credit to changes in bank interest rates. This is a key statistic in how monetary policy is transmitted to the real economy in Wang et al. (2022), where firms have a logit demand system for bank credit. Finally, this paper also contributes to the macro-development literature that studies the static and dynamic effect of financial frictions(e.g. Buera and Shin (2013) and Moll (2014)). We show that beyond contracting frictions, as usually highlighted in the literature, lack of bank competition can cause static inefficiencies in credit markets consistent with the data. Further, we show that a large cost of finance can have detrimental effects for savings and capital accumulation in the corporate sector, which Itskhoki and Moll (2019) claim is the key mechanism optimal development policies should target.

Section II describes the data and shows characteristics for banking markets in Brazil. Section III discusses our empirical framework. Section IV presents the reduced form results on both financial and real variables. Section V presents the theoretical model that is consistent with the evidence of Section IV and the counterfactuals.

## II. Data and banking markets in Brazil

Our empirical strategy uses mergers and acquisitions between large banks as a source of exogenous variation in competition in local banking markets. In this section, we present the data, our definition of a banking market and the characteristics of the markets in our sample.

## I. Data sources

Our analysis combines four different data sources: (i) credit registry from the Brazilian Central Bank (BCB), (ii) physical location, balance sheets and branches of each bank by banking market also from BCB, (iii) employer and employee data from the Brazilian Ministry of Labor and Employment, and (iv) real outcomes from the Brazilian Statistics and Geography Institute. In this section we discuss the main characteristics of each dataset. For details on dataset construction and additional considerations, see Appendix A.
Credit registry. The $B C B$ collects and maintains data on loans made to firms in Brazil through SCR (Sistema de Informaçães de Crédito). The unit of observation is a loan. The dataset has loan-level information (interest rate, volume, collateral requirement etc.), together with firm zip code and firm and bank level identifiers. Banks report information to the BCB monthly, and reported information must match each bank's reported accounting figures.

Initially, all loans above 5000 Brazilian Reais (approximately US\$ 1250) would be included in SCR. This limit decreased over time and currently all loans made above 200 Brazilian Reais
(approximately US\$ 50) are included in SCR. Our sample uses monthly data from 20052015. We drop observations before 2005 due to data quality issues and after 2015 due to our inability to analyze the post period effect of a large merge that occurred in June of $2016 .{ }^{8}$

We exclude from our sample earmarked and real estate loans. Earmarked loans are funded and allocated through government programs, and thus have constraints on interest rates and allocation beyond the control of banks. In Brazil, the government uses both private and public banks to allocate these loans. Earmarked loans account for roughly $50 \%$ of all loans in Brazil and $86 \%$ of earmarked loans are subject to regulations such as interest rate caps and sector targets (Santos, 2016). Since most of the terms of these loans are not decided by the banks themselves, we exclude them from our sample. We also exclude real state loans. The market for real estate loans in Brazil was dominated by one public bank (Caixa Economica Federal) during the years of our study. Historically, Caixa held approximately $70 \%$ of the market in real-estate lending. Finally, we exclude loans that are in default or renegotiation or that have missing information in rates, size, collateral requirement, maturity or firm zip code. We end up with approximately 550 million loans across 2005-2015. Our sample of nonsubsidized, non-real estate and no-missing values loans includes on average (across years) $45 \%$ of credit for firms when compared to the national accounts value of all credit to firms. Since roughly $50 \%$ of credit in the national accounts correspond to either earmarked or real estate loans, our sample of loans corresponds to nearly the universe of non-real estate loans competitively made to firms in Brazil.

We define banks as banking conglomerates to compute local concentration and the number of banks in a market. We recover conglomerate structure (which banks belong to each conglomerate) and bank ownership (public and private) from the BCB's Unicad dataset. Unicad is a dataset maintained by the BCB with bank identifiers and information on which bank belongs to each banking conglomerate.

Due to the nature and level of detail in the data, only BCB employees and other authorized parties can access the SCR data. All other datasets are publicly available.

Bank branches and local balance sheets. Beyond the credit registry, BCB maintains a publicly available dataset on banks at the municipality-month level known as ESTBAN (Estatística Bancária Mensal). ESTBAN includes the number of branches and balance sheets for each bank at the municipality-month level. From balance sheet data, we observe the outstanding volume of credit to firms and households for each bank (i.e., the stock of credit). We then measure market shares and concentration measures for each market (which we also compute for new loans in SCR). The credit variable we recover from ESTBAN excludes real estate, but not earmarked or subsidized loans.

In the credit registry, we observe the location of borrowers, but not which bank branch is

[^5]registering the loan. In ESTBAN, we observe the location of the branches, but not the location of borrowers. We show later on this section that concentration measures in both datasets are similar in our definition of a banking market.
Employer/employee data. We use the employer and employee data from RAIS (Relação Anual de Informações), a dataset by the Brazilian Ministry of Labor and Employment. RAIS contains labor market data for the universe of firms and workers in the formal sector. ${ }^{9}, 10$ RAIS is publicly available in two forms: employee-level and firm-level. From the employeelevel data, we obtain information on the month each employee was hired/fired, wages and on employer characteristics (such as establishment size and sector). We use this information to construct monthly wage and employment series at the municipality and municipality-sector levels.

Real outcomes. The Brazilian Institute of Labor and Geography (IBGE) compiles output data at the municipality and sector level annually. Information is aggregated into four sectors: agriculture, services, industry and construction. Additionally, IBGE compiles population data for each municipality. The average municipality in Brazil has 74,122 people and a GDP per capita of approximately US\$ 6,700.
M\&A episodes. In our dataset, each bank is associated with only one banking conglomerate. We define an M\&A episode in the data as a situation in which

1. A bank has changed conglomerates and has more than US\$ 4.2 bn (10 bn Brazilian Reais in 2010) in assets, and
2. The original conglomerate of this bank exits the dataset.

Using this criteria, we are able to identify 12 merger episodes from 2002-2018, 9 of which fall in 2005-2015 period (the years for which we have credit registry data), as shown in Table A.2. We assume that the bank conglomerate that changed its code is the target, while the one that kept their code is the acquirer. Our events are in fact large: the mean bank targeted (acquired) in an M\&A episode in our sample has US\$ 16 bn (US\$ 84 bn) in outstanding credit

[^6]at the time of the episode. A market is 'treated' by a merger if it has at least one branch of both banks at the time of the merger.

The date an M\&A episode appears in our sample, that is, where identifiers of bank conglomerates change, is not necessarily the date the M\&A had received approvals from all relevant authorities. Bank mergers in Brazil need to be approved by both the Central Bank and the Conselho Administrativo de Defesa Econômica (CADE). In our empirical analysis, we adjust the available information to explicitly consider this approval process. Specifically, we only include merges as new M\&A episodes in our sample after all the required approvals have been obtained. ${ }^{11}$ Take the largest merger in our sample as an example. In Oct/2008, Itaú and Unibanco announced their merger. At the time, Itaú and Unibanco were respectively the 3rd and 6th largest banks in Brazil, and together had over US\$ 100 bn in assets. The new bank conglomerate was among the top 20 largest banks in the world. In Unicad, their merger date appears as Oct/2008, even though the merger was only authorized by the BCB in Feb/2009 and by CADE in Aug/2010. In this case, we use August 2010 as the merger date. ${ }^{12}$

## II. Banking markets

We consider a municipality in Brazil to be our benchmark definition of a local banking market. This is the same definition as in Sanches, Silva Junior and Srisuma (2018) and Coelho, De Mello and Rezende (2013). This definition is finer than the definition usually considered in the literature for the U.S. banking sector. In the banking literature in the U.S. (e.g., Black and Strahan (2002)), the standard definition of a banking market is a Metropolitan Statistical Area (MSA) or non-MSA county. However, as pointed out by Garmaise and Moskowitz (2006), and confirmed by Nguyen (2019), there is significant evidence that banking markets are highly localized for small and medium sized business (Garmaise and Moskowitz (2006) uses a 24 km radius as the definition of a market). Empirically, Granja, Leuz and Rajan (2022) show that the the median distance between small firms and banks in the U.S. was close to 10 km in 2016. Part of the rationale for the standard definition in the U.S. of a local banking market is data-availability, but our data allows us to compute market level outcomes at a much finer scale. We show in Section IV that our results are robust to alternative defini-

[^7]tions of local banking markets, such IBGE's microregions, as used in Adão (2015) for labor markets.

Our benchmark sample includes only municipalities with at least one and, except for a few of our results, not more than 20 private banks in Dec/2005. We are interested in evaluating the impact of bank competition at the local level. As such, we are interested in markets that have some exposure to private credit, but are not outliers in terms of bank competition (as the largest cities in the country). This selection corresponds to approximately $40 \%$ of the 5507 Brazilian municipalities. Our results are robust to sample selection. Excluding municipalities with more than 20 private banking conglomerates excludes only 7 municipalities. For each month and municipality, we compute the total loan volume considering only new loans and loan characteristics weighted by volume (such as maturity, spread, collateral requirement, etc.).

Table 1 presents the descriptive statistics in our dataset. For loan-level (SCR) variables, we show the results weighted by population (given that this is how we will use them in our regressions). For market level characteristics (such as HHI), we present simple averages across municipalities. The average number of banks for a municipality in Brazil is 3.84 , while only 2.2 are private. Even for larger markets, we find that the average number of private banking conglomerates per 100,000 inhabitants is 5.49 . We compute the lending spread as lending rate minus the national deposit rate. The lending spread has a sample average of 36.5 percentage points, a reasonable value considering that Brazil has the world's second highest spread at 32 percentage points according to the the World Bank's WDI dataset.

Banking markets in Brazil are extremely concentrated, but there is a large geographic variation. Table 1 shows the level of credit concentration measured using data from the SCR credit registry and bank-municipality balance sheets in ESTBAN. As previously stated, ESTBAN and SCR use different measures of lending (stocks of loans to firms and households versus flows of loans to firms) and contain information on different sets of loans considering different definitions for location (bank versus firm location, respectively). Despite these differences, the measures of concentration are consistent across the two datasets ( 0.6 correlation). These measures indicate that banking markets in Brazil are (i) very concentrated (HHI > .25) and (ii) heterogeneous in their degree of concentration (given the large standard deviation).

## III. Empirical framework

This paper aims to estimate the effect of bank competition on market level financial and real outcomes. This effect is hard to identify because bank competition is not exogenous to these outcomes. For instance, suppose a market receives a positive productivity shock.

Table 1: Descriptive statistics

|  | Mean | Med | S. D. |
| :---: | :---: | :---: | :---: |
|  | SCR |  |  |
| \# Loans (1,000) | 54.14 | 1.66 | 203.02 |
| Loan volume ( US\$ 1,000,000) | 234.09 | 12.55 | 638.28 |
| Loan size ( US\$ ) | 13,104 | 10,534 | 17,886 |
| Maturity (days) | 250.19 | 201.32 | 230.93 |
| Spread (p.p.) | 35.86 | 33.74 | 19.75 |
| Collateral | . 46 | . 47 | . 22 |
| Relationship loans | . 55 | . 56 | . 16 |
| Loans to small firms | . 13 | . 95 | . 13 |
| Firm age | 15.81 | 15.23 | 6.58 |
| HHI (Private) | . 61 | . 54 | . 28 |
| HHI | . 52 | . 44 | . 27 |
|  | ESTBAN |  |  |
| \# Banks | 3.84 | 3 | 3.29 |
| \# Private banks | 2.22 | 1 | 2.69 |
| Branches (private, per 100,000) | 8.58 | 6.92 | 6.74 |
| Branches (per 100,000) | 14.41 | 12.6 | 8.75 |
| HHI (private) | . 75 | 1 | . 29 |
| HHI | . 59 | . 51 | . 28 |
|  | RAIS |  |  |
| \# Firms | 2492.13 | 759 | 14600.47 |
| \# Employees | 18042.07 | 3488 | 124544.52 |
| Wages (US\$, monthly) | 446.78 | 420.05 | 127.17 |
|  | IBGE |  |  |
| Population | 74122.2 | 25388 | 326312.01 |
| GDP/Pop (US\$ 1,000) | 6.62 | 5.11 | 6.80 |

Note: SCR data from 2005-2015 and for all other datasets from 2002-2018. For each municipality, we aggregate all SCR variable using loan size as weights. Collateral is a dummy equal to one if a loan requires collateral. Relationship loans is the share of loans made to firms that had at least a 2 year relationship with a given bank (where a relationship starts at the firms loan). Loans to small firms is the share of total credit that goes to firms with less than $\$ 240,000$ Brazilian Reais in revenue. The mean, standard deviation and median are computed across municipalities. We show market level SCR statistics weighted by population, apart from market concentration. Loan volume refers to the sum of all loans made in a given municipality-month. Spreads are the lending rate minus the deposit rate at the national level. We use a 4 Brazilian Real = US $\$ 1$ conversion rate. See Section II and Appendix A for details.

This shock will increase total demand for lending and make the market more attractive to potential entrants, which changes the behavior of incumbents and affects competition. We overcome this identification challenge by using M\&A activity of large banks as an exogenous source of variation in competition in local markets. Because each M\&A episode happens at a different time, and local markets will have heterogeneous exposure to each episode, we use both cross-sectional and time variation to identify the effect of bank competition.

We use a DiD research design to estimate the effect of bank competition on market outcomes. We compare outcomes for treated markets (markets exposed to the episode) with outcomes in the control group (not exposed), before and after each merger. We say that a market is treated if it has at least one branch of both banks involved in the M\&A episode at the moment of the episode. The identifying assumption of our estimate is that of parallel trends: absent the mergers, treatment and control would have parallel outcomes (conditional on market's characteristics) over time. Although this assumption is not directly testable, we provide evidence of its validity by examining the outcomes of treatment and control markets before mergers.

Figure 1 illustrates this heterogeneous exposure across municipalities for the Itaú-Unibanco M\&A episode (the largest in our sample). We exploit within region variation in our estimates and illustrated our approach in Panel B of Figure 1. We show in Panel B one particular region in Brazil, the northwest of the state of Parana, and the municipalities that are control and treatment groups in this region. We compare the outcomes within region for the municipalities affected by the change in competition coming from the merger episode. For now, we consider that municipalities are isolated markets - we focus on the role of geographic spillovers in Section IV.

Figure 1: Treatment and control municipalities in Itaú-Unibanco merger (August 2010)
(a) All municipalities
(b) Northeast of Parana


Note: Exposure to the largest M\&A episode in our sample (Itaú-Unibanco), which received its final approval on Aug/2010. A municipality is considered exposed to the merger if it had at least one branch (from ESTBAN) of both banks at the moment of the merger. Panel A is for all municipalities in the country, while Panel B is for the municipalities is in the northeast region of the state of Parana. We use the within-region variation (as in Panel B) in our estimation.

Our identification assumption would be violated if buyer or target banks decide to merge for reasons that are specific to the markets where their activities intersect (or do not intersect). For instance, a national bank can acquire a local bank due to weak local economic conditions (where the local bank could be at risk of failure). ${ }^{13}$ To avoid this issue, we focus only on the mergers of large banks and control for time-region fixed effects and characteristics. We use the Brazilian census concept of a mesoregion (there are 137 mesoregions in Brazil) as our region definition. The region in Panel B of Figure 1 is an example of a mesoregion.

We focus on loan and firm data aggregated at the market level. We make this choice since competition varies at the market level and our objective is to understand the effect of competition on aggregate outcomes. Our baseline specification consists of the following DiD specification

$$
\begin{equation*}
y_{m, r, t}=\gamma_{m}+\gamma_{r, t}+X_{m, r} \beta_{t}+\sum_{\tau} \delta_{\tau} \mathcal{M}_{m, r, t-\tau}+\varepsilon_{m, r, t} \tag{1}
\end{equation*}
$$

where $y_{m, t}$ is an output of interest in municipality $m$, located in region $r$, at month $t ; \gamma_{m}$ and $\gamma_{r, t}$ are municipality and time-region fixed effects; $X_{m, r}$ is a vector of control variables that is allowed to have a varying effect over time $\beta_{t}$; and $\mathcal{M}_{m, r, t-\tau}$ is a dummy variable that is equal to 1 if the municipality $m$ is exposed to an M\&A episode in month $t-\tau$. We use $\tau$ values ranging from -18 to $12,24,36$ and 48 , that is, a year and a half before each M\&A episode up to 4 years after. Our main financial outcomes are lending spreads, total credit volume

[^8]and average loan size, while our main real outcomes are employment and wages. We control for GDP and credit per capita in 2005, number of banks in 2005, and exposure to business cycles interacted with year dummies. ${ }^{14}$ As we want to focus on the aggregate effects of bank competition, we weight our regressions of credit and real variables by population in 2005 (as in Huber (2018)). We weight spread regressions by the volume of outstanding credit from public banks in 2005. The idea is to use a measure of total credit that is not influenced by the level of spreads in each market. Our results are robust to this choice, and we also present the results of unweighted regressions. ${ }^{15}$

To better understand the magnitude of the effects we measure, we also estimate a more restrictive version of Eq.(1) in which we aggregate all of the effect of the M\&A episodes in $\delta_{P O S T}$ in Eq. (2):

$$
\begin{equation*}
y_{m, r, t}=\gamma_{m}+\gamma_{r, t}+X_{m, r, t} \beta+\delta_{0} T_{m, r, t}+\delta_{P O S T} T_{m, r, t} \times P_{m, r, t}+\varepsilon_{m, r, t} \tag{2}
\end{equation*}
$$

Here $T_{m, r, t} \equiv \sum_{\tau} \mathcal{M}_{m, r, t-\tau}$ is a dummy that is equal to one if a municipality is a treatment at time $t$, and $T_{m, r, t} \times P_{m, r, t} \equiv \sum_{\tau>0} \mathcal{M}_{m, r, t-\tau}$ is the interaction of treatment with the post M\&A period $(\tau>0)$. Moreover, there are several dimensions of heterogeneity that may be important in our application. For instance, one would expect that the effect of the merger would be larger if there is less competition to begin with, or if the merged banks have a higher market share. We investigate these predictions by extending Eq. (2) to include a triple interaction in the next section.

Finally, we also estimate a DiD instrumental variable (DiD-IV) specification to estimate the effect of competition on outcomes directly

$$
\begin{align*}
y_{m, r, t} & =\gamma_{m}+\gamma_{r, t}+X_{m, r, t} \beta+X_{z, t} \beta+\delta_{P O S T}^{I V} \operatorname{Comp}_{z r t}+\varepsilon_{z r t}  \tag{3}\\
\operatorname{Comp}_{m, r, t} & =\gamma_{m}+\gamma_{r, t}+X_{m, r, t} \beta+\beta_{0} T_{m, r, t}+\beta_{P O S T} T_{m, r, t} \times P_{m, r, t}+\omega_{m, r, t}
\end{align*}
$$

where we use exposure to M\&A episodes as an instrument to changes in some measure of competition, Comp $m, r, t$ (number of banks, concentration, etc.). We can interpret $\delta_{P O S T}^{I V}$ as an average causal response (ACR), which captures a proper weighted average of causal responses to a one unit change in competition (see Hudson, Hull and Liebersohn (2017)).

It is worth noting that we can estimate the reduced form effect of bank competition, but not the effect of each individual channel. For instance, we can estimate the effect on interest rates and maturity, but not how changes in maturity affect interest rates. Identifying the

[^9]causal effect of each channel would require one instrument per channel (Chodorow-Reich (2014)), and controlling for contract characteristics post merger in Eqs. (1) - (2) would bias the coefficients.

## IV. The effectis of bank competition

This section presents our reduced form evidence on the effect of bank competition using the data described in Section II and the methodology from Section III. First, we focus on financial variables. We show that a reduction in local competition increases lending spreads and reduces credit, consistent with the traditional IO view of competition. This result is robust in several dimensions, such as the definition of a banking market, types of loans considered, municipalities included in the sample, etc. Second, we show that our results are unlikely to be caused by alternative explanations. We do not see economically significant changes in the number of branches, firm age, loan maturity or loan and firm specific variables. We show that for municipalities with only one of the merging banks, we do not observe any effect on quantities and only a small, but significant, reduction in spreads. Third, we show that a reduction in competition leads to a decrease in employment and output in all sectors, except for agriculture. The agricultural sector serves as a placebo in our setting, since it relies mostly on subsidized credit. Finally, we show that there are geographic spillovers between municipalities, but that the effects are small when compared to our benchmark estimates.

## I. Financial outcomes

This section presents evidence of the effect of bank competition on financial variables. Figure 2 shows the concentration in a given market pre and post merger. It plots the dynamic effect of the merger, captured in the $\delta_{\tau}$ 's estimated from Eq.(1) with HHI of credit stock from private banks in municipality $m$, in region $r$ at month $t$ as the dependent variable. The bars show the 99 percent confidence intervals. Following an M\&A episode, the concentration in a given market mechanically increases. ${ }^{16}$ Figure 2 is important, however, because it shows that (i) treatment municipalities were not systematically different from controls before the M\&A episode and (ii) the M\&A events we study are indeed large. The concentration measured with the HHI increases approximately 0.11 following a merge.

Our main result for financial variables is in Figure 3. Figure 3 shows the reduced form relationship before and after an M\&A episode for lending spreads and the log of volume of new loans (from private banks) using the SCR dataset, that is, the coefficients $\delta_{\tau}$ from Eq.(1). To avoid biasing our results with changes of sample composition when estimating each in-

[^10]

Figure 2: Concentration of private credit around M\&A episodes
Note: Coefficients $\delta_{\tau}$ from Eq.(1), estimated at the month-municipality level. Regression outcome is the HHI of private credit from bank-municipality balance sheets (from ESTBAN). Standard errors computed clustering by municipality (treatment unity). Bars show $99 \%$ confidence intervals. We normalize $\delta_{-1}=0$. Treatment municipalities are those that had at least one branch of both banks at the time of the merger. Vertical lines represent the moment in time bank identifiers change in ownership data.
dividual $\delta_{\tau}$, in Figure 3 we use the subsample of municipalities that we observe fully in an M\&A window, that is, municipalities that are control or those municipalities that are not exposed to other episodes 36 months before or after another merge. The left panel in Figure 3 shows a large and significant increase in lending spreads after M\&A episodes. Moreover, the right panel shows a large and persistent decline in the volume of new loans from private banks in treatment municipalities (relative to control municipalities). Together, these results support the traditional IO view: less competition leads to higher prices and lower quantities.

We report in Table 2 the estimates of Eq.(2) on spreads and volume of new loans. The rows of Table 2 represent the dependent variables. Each column in Table 2 represents the results of specifications that consider different merger exposure windows. We use data from 18 months before each M\&A episode until 12, 24, 36 and 48 months after the M\&A episode. In Column 3 of Table 2, we observe that the average lending spread from private loans increases 5.88 percentage points, while the volume of new loans decreases $17.13 \%$ in exposed municipalities 3 years after the M\&A episode. Given the baseline level of spreads of 35 percentage points, this amounts to a $16.8 \%$ increase. The results that include loans from private and public banks are qualitatively similar, but smaller. This attenuated effect is consistent with the evidence in Coelho, De Mello and Rezende (2013) and Sanches, Silva Junior and Srisuma (2018) that public banks in Brazil are not directly competing with private ones.

In the U.S. literature, it takes about 3 years for banks to enter treated markets after an M\&A episode, such that the effect of the episode is short lived (see Berger et al. (1998), Garmaise


Figure 3: Effect of M\&A episode on lending spreads and credit volume: 36 month window Note: Coefficients $\delta_{\tau}$ from Eq.(1), estimated at the month-municipality level. Regression outcomes are the lending spreads (local interest rates minus country level deposit rate) on left panel, Spread ${ }^{P r}$, and $\log$ of new credit on right panel, $\ln \left(\right.$ Credit $\left.^{P r}\right)$, both computed only for loans made by private banks. For each municipality, interest rates are aggregated using loan size as weights and loan volume corresponds to the sum of loan size for all loans, computed through the SCR credit registry (see Section II) from 2005-2015. Standard errors computed clustering by municipality (treatment unity). Dotted lines represent $99 \%$ confidence intervals. We normalize $\delta_{-1}=0$. Exposed (Treatment) municipalities are those that had at least one branch of both banks at the time of the M\&A episode. Vertical lines represent the moment in time of the final approval of the M\&A episodes. Sample of municipalities is composed of those that had at least one and not more than 20 private banks in Dec/2005. Credit regressions are weighted by population in 2005 and spreads are weighted by credit volume from public banks in ESTBAN in 2005.
and Moskowitz (2006) and Nguyen (2019)). Our results suggest that this is not the case in Brazil. We do not observe entry following an M\&A episode of either public or private banks, and our effects on spreads and credit are persistent over time.

We focus now on the heterogeneity in terms of competition at the time of the M\&A episode with a triple interaction, as in Eq.(4)

$$
\begin{align*}
y_{m, r, t}=\gamma_{m}+\gamma_{r, t} & +\gamma_{t} \times \operatorname{Comp}_{m, r, t_{0}}+X_{m, r} \beta_{t}+\delta_{0} T_{m, r, t}+\delta_{1} T_{m, r, t} \times \operatorname{Comp}_{m, r, t_{0}}  \tag{4}\\
& +\delta_{P O S T} T_{m, r, t} \times P_{m, r, t}+\delta_{C} T_{m, r, t} \times P_{m, r, t} \times \operatorname{Comp}_{m, r, t_{0}}+\varepsilon_{m, r, t}
\end{align*}
$$

where $\operatorname{Comp}_{m, r, t_{0}}$ is the competition variable at the time of the M\&A episode $t_{0}$. Compared to Eq.(2), Eq.(4) adds an interaction of the month-year fixed effects with the level of competition in the baseline, $\gamma_{t} \times \operatorname{Comp}_{m, r, t_{0}}$, the interaction of treatment status with competition, $T_{m, r, t} \times$ $\operatorname{Comp}_{m, r, t_{0}}$, and the triple interaction term. We are interested in both $\delta_{P O S T}$ and $\delta_{C}$, i.e., the level of the effect and the heterogeneity with respect to bank competition in the baseline. We use two different measures of competition: number of private banking conglomerates $N_{B}^{P r}$ and concentration of private credit (stock) $H H I^{P r}$. If the effect we are capturing is the effect of bank competition on local markets, we should observe a smaller (in absolute value) effect

Table 2: Financial outcomes: lending spreads and total credit

|  | Months post M\&A Episode |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | 12 | 24 | 36 | 48 |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| $\ln \left(\right.$ Credif $\left.^{P r}\right)$ | $-.0707^{* *}$ | $-.1167^{* *}$ | $-.1713^{* *}$ | $-.2156^{* *}$ |
| Spread $^{P r}$ | $(.0136)$ | $(.0178)$ | $(.0211)$ | $(.024)$ |
|  | $2.6433^{* *}$ | $4.7973^{* *}$ | $5.8816^{* *}$ | $6.9869^{* *}$ |
|  | $(.4042)$ | $(.4979)$ | $(.5707)$ | $(.6257)$ |
| $\ln ($ Credit) | $-.0214^{* *}$ | $-.0557^{* *}$ | $-.1024^{* *}$ | $-.1443^{* *}$ |
| Spread | $(.0114)$ | $(.0143)$ | $(.0167)$ | $(.019)$ |
|  | $1.1684^{* *}$ | $3.3619^{* *}$ | $4.2009^{* *}$ | $5.0988^{* *}$ |
|  | $(.3079)$ | $(.3838)$ | $(.4289)$ | $(.4636)$ |
| Controls | Y | Y | Y | Y |
| Month-Year $\times$ Region FE | Y | Y | Y | Y |
| Municipality FE | Y | Y | Y | Y |
| Obs | 238,286 | 236,511 | 232,269 | 229,122 |

Note: $* *, *$, indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). The table shows the treatment effect on the treated, that is, the coefficient $\delta_{P O S T}$ from Eq.(2) estimated at the month-municipality level using 2005-2015 data from 18 months before and $12,24,36$ and 48 months after the M\&A episode, as described in Sections II and III. Regression outcomes are the $\log$ of total new credit, $\ln$ (Credit), and lending spreads (local interest rates minus country level deposit rate), Spread, for new loans in a municipality $m$, in region $r$ and time $t$. The superscript $\operatorname{Pr}$ indicates that the variables were computed using loans originated from private banks only. For each municipality, interest rates are aggregated using loan size as weights and loan volume corresponds to the sum of loan size for all loans. Treatment municipalities are those that had at least one branch of both banks at the time of the M\&A episode. The controls used are GDP and credit per capita in 2005 interacted with time dummies and the local exposure to the business cycle, computed as the covariance of local growth rate with country level growth rate over 2002-2018. All regressions include time-region (mesoregion IBGE concept) and municipality fixed effects. Credit regressions are weighted by population in 2005 and spreads are weighted by credit volume from public banks in ESTBAN in 2005.
for markets with more banks.
Table 3 reports the results from estimating Eq.(4). Column 1 of panels A and B shows the results of unweighted regressions without the interaction term of Eq.(4). As expected, the results are much larger than in our benchmark estimates in Table 2, since now smaller markets, where the potential effect of an M\&A episode is larger, have the same weights as larger markets. Column 2 reports the M\&A effect using the number of private banking conglomerates as a measure of competition. Our results show that the credit reduction is 7 percentage points smaller (Panel A), while spreads increase by approximately 2 percentage points less (panel B) for each extra bank in the baseline. The results in Table 3 are consistent with changes in competition in a textbook Cournot model, in which each additional bank has a diminishing effect on equilibrium prices and quantities as more banks are present in
a given market. ${ }^{17}$ Moreover, we expand Eq.(4) to also include the market share of merging banks in the baseline (and their initial levels and interactions). The idea is to test if a large or lower market share (a potential channel of relationship lending) has any differential effect in our results. As shown in columns 4 and 5, we do not find a significant result. ${ }^{18}$

## II. Extensions and robustness

We provide now various extensions and show that the previous result of increase in lending spreads and decrease in credit volume are robust in various dimensions. First, we show the reaction of public banks. As shown in Table H.2, public banks are not significantly changing lending and spreads following the M\&A episodes. This evidence is consitent with the finding of Sanches, Silva Junior and Srisuma (2018) that private and public (government owned banks) do not compete in Brazil.

Second, we decompose the effect on volume of new loans into the number of loans and the size of loans. Table H. 2 shows this decomposition. Almost all of the effect we find comes from the extensive margin, that is, from changes in the number of loans. This is consistent with a banking model where banks and firms first choose the optimal level of credit based on contractual and information constraints and then share the surplus of the intermediation relation (difference between autarky and intermediated profits) according to the bank market power, as in the limited commitment model of Karaivanov and Townsend (2014). The result that loan competition affects the number of loans rather than the size of loans is also consistent with the evidence in Liebersohn (2018) for commercial real estate lending in the U.S.. In the last row of Table H.2, we show that more than half of the effect comes through the extensive margin at the firm level - i.e., firms that do not appear in the data after the merger.

Second, as the minimum amount for a loan to be included in the SCR dataset fell from 5,000 , to 1000 and finally to 200 Brazilian Reais, we consider subsamples of loans above 5,000 and 1000 Brazilian Reais. The results (which we report in Table H.3) are quantitatively close to our benchmark specification in Table 2, indicating that the changes in data collection are not responsible for our results. Due to these changes and branch expansion, there are

[^11]Table 3: Total credit and competition in the baseline 36 months after M\&A episode

|  | Panel A. $\ln \left(\right.$ Credit $^{\text {Pr }}$ ) |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | None <br> (1) | $N_{B}^{P r}$ <br> (2) | $H H I^{P r}$ <br> (3) | $N_{B}^{P r}$ <br> (4) | $H H I^{P r}$ <br> (5) |
| $\delta_{\text {POST }}$ | $\begin{gathered} -.2614^{* *} \\ (.0243) \end{gathered}$ | $\begin{gathered} -.4112^{* *} \\ (.054) \end{gathered}$ | $\begin{gathered} .0278 \\ (.0454) \end{gathered}$ | $\begin{aligned} & -.398^{* *} \\ & (.0730) \end{aligned}$ | $\begin{gathered} -0.0488 \\ (.0828) \end{gathered}$ |
| $\delta_{C}$ |  | $\begin{aligned} & .0707^{* *} \\ & (.0092) \end{aligned}$ | $\begin{gathered} -.3338^{* *} \\ (.107) \end{gathered}$ | $\begin{aligned} & .0715^{* *} \\ & (.00954) \end{aligned}$ | $\begin{aligned} & -.305^{* *} \\ & (.108) \end{aligned}$ |
| $\delta_{\mu}$ |  |  |  | $\begin{aligned} & -.0653 \\ & (.218) \end{aligned}$ | $\begin{gathered} .239 \\ (.219) \end{gathered}$ |
|  | Panel B. Spread ${ }^{\text {Pr }}$ |  |  |  |  |
|  | None <br> (1) | $N_{B}^{P r}$ <br> (2) | $H H I^{P r}$ <br> (3) | $N_{B}^{P r}$ <br> (4) | $H H I^{P r}$ <br> (5) |
| $\delta_{\text {POST }}$ | $7.49^{* *}$ | $14.71^{* *}$ | $-.1092$ | $14.25^{* *}$ | 2.311 |
|  | (.5945) | (1.2921) | (1.1171) | (1.730) | (2.084) |
| $\delta_{C}$ |  | $-2.32^{* *}$ | $11.98{ }^{* *}$ | $-2.375 * *$ | 10.82** |
|  |  | (.235) | (2.4506) | (.246) | (2.509) |
| $\delta_{\mu}$ |  |  |  | 2.795 | -7.044 |
|  |  |  |  | (5.515) | (5.497) |
| Controls | Y | Y | Y | Y | Y |
| Month $\times$ Region FE | Y | Y | Y | Y | Y |
| Municipality FE | Y | Y | Y | Y | Y |
| Obs | 232,269 | 232,269 | 232,269 | 232,269 | 232,269 |

Note: $* *, *$, indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). The table shows the treatment effect on the treated, that is, the coefficient $\delta_{P O S T}$ from Eq.(4), and the differential effect based on a set of competition measures in the baseline, $\delta_{C}$. For Columns (4) and (5) we also add the triple interactions with the market share of merging banks in the baseline, $\delta_{\mu}$. We estimate Eq.(4) at the month-municipality level using 2005-2015 data from 18 months before 36 months after the M\&A episode. The competition measures are: number of private banking conglomerates, $N_{B}^{P r}$, and concentration of private credit (stock) from ESTBAN, HHI ${ }^{P r}$. For details on dependent variables, others controls, fixed effects and treatment control definitions, see the notes on Table 2. We add number $N_{B}^{P r}$ and $H H I^{P r}$ at the moment in time of the M\&A episode as controls beyond those of Table 2.
data for more municipalities in recent years, which means our panel composition could be changing non-randomly over time. We show that our results are robust to only including municipalities that have at least 8 years of data from 2005-2015 (Table H.4). Further, we show that our results are not a consequence of some municipalities being exposed to multiple mergers, since our results are the same using municipalities exposed to at most one M\&A episode (Table H.5).

Fourth, since a municipality must have branches of both banks to be exposed to an M\&A, treatment municipalities are generally larger and richer than control municipalities. Even though we do not find any pre-trend in our event study analysis, a different shock could affect larger municipalities more severely (such as the 2008 crisis). To alleviate this concern, we re-run our analysis with municipalities that had between 2 and 6 private banks at the beginning of our sample (2005). Within this sample, treatment and control municipalities have similar characteristics: the difference in GDP per capita between treatment and control municipalities is less than $5 \%$, while the difference in the number of private banks is approximately $3 \%$ (Table H.6). Our results are robust within this sub-sample (H.7).

Fifth, since we focus on new credit in each month-year $t$ at each municipality, we could be over-weighting short term loans in our sample. For instance, if a firm signs a long-term credit contract once and keeps getting new working capital loans, the working capital loans will reappear in our sample while the long-term credit will appear only once. To adjust for this, we compute our results for spreads using a volume times maturity weight for each loan (instead of only volume). With this new weighting, the average spread in our sample falls to 22 percentage points. Our results are consistent in terms of percentage increase in spreads after the M\&A episode (Table H.8).

Sixth, our results are robust to which municipalities we include in the sample and to the local market definition. To estimate the effect of competition in local markets, we excluded municipalities with more than 20 private banking conglomerates from our benchmark specification. We show that our results are robust to the inclusion of these municipalities in the sample (Table H.9). Since our benchmark regressions are weighted and municipalities with more than 20 private banking conglomerates are relatively large, the results in this larger dataset are smaller. This makes sense given our results of Table 3 where we show that the competition effect is smaller for markets with more participants in the baseline. Moreover, our result is robust to the market definition. The median municipality in our sample is still relatively small (population of 25,388 , see Table 1). To test the robustness of our results to the market definition, we use the alternative definition of microregions - which are sets of geographically close municipalities - as local banking markets. This is the labor market definition in Adão (2015). Our estimates are smaller than those in Table 2, which is consistent with the the evidence that banking markets are local (Table H.10). We explore in detail the
role of geographical spillovers in Appendix E.
Seventh, we show that we can also obtain estimates consistent with our results using only publicly available data. In Appendix B, we provide a case study of the largest merger in our sample - the merger between Itaú and Unibanco. In the case study, we also find a decrease in total credit in treated municipalities. This decrease is larger for municipalities that were less competitive at the moment of the merger.

Finally, there is a recent literature on interpreting two-way fixed effects models (e.g., Goodman-Bacon (2021), Callaway and Sant'Anna (2021)) when a DiD estimation relies on variation in treatment timing across units. Goodman-Bacon (2021) shows that the coefficient $\delta_{P O S T}$ in Eq.(2) is a combination of all of the two by two differences (between treatment and control and pre and post periods), and that some of these uses early treated units as a control for later treated units. With dynamic treatment effects (as we observe in Figure 3), our estimates for $\delta_{P O S T}$ could be smaller (in absolute value) than the true treatment effect. We provide an alternative estimation method to verify that our results are not coming from a potentially erroneous interpretation and weighting in the two-way fixed effects model in Appendix C.

## III. Alternative explanations and relationship lending

In this section, we assess alternative explanations and the role of relationship lending in our findings. First, we focus on changes in bank structure by comparing markets with only one of the merging banks versus those with both. Second, we investigate if treated and control markets differ in loan and firm characteristics or in the number of bank branches. Third, we estimate the effect of the merger on defaults to test if lending risk can explain our results. Ownership structure and efficiency. After a merger, the banks involved can change lending and pricing policies to re-structure their operations. Therefore, our results from the previous section could hypothetically be a consequence of changes in bank structure and not competition. To test for this hypothesis, we run the same regression as in Eq.(2), but only comparing markets that had only one of the merging banks versus those with neither of the merging banks, i.e., those that are affected by the M\&A episode but do not see changes in competition. A treatment market in this case is a municipality $m$ in region $r$ that had one - and not both - of the banks involved in the merger, while a control market is one that had neither of the merging banks.

Our results for markets with only one of the banks involved in an M\&A episode and for those with none are in Table 4. In Columns $2-4$ we include a control for M\&A episodes in the same microregion. In Columns 1 and 2 of Table 4 we see no significant effect on quantity of credit 3 years after an M\&A episode, which suggests that our benchmark result on credit quantity is unlikely to be a result of bank re-structuring or different policies between

Table 4: Financial outcomes: only one merging bank versus None (36mo window)

|  | $\ln \left(\right.$ Credit $\left.^{\text {Pr }}\right)$ | $\ln \left(\right.$ Credit $\left.^{\text {Pr }}\right)$ | Spread $^{\text {Pr }}$ |  |
| :---: | :---: | :---: | :---: | :---: |
|  | $(1)$ | Spread $^{\text {Pr }}$ |  |  |
| $(2)$ | $(3)$ | $(4)$ |  |  |
| $\delta_{\text {POST }}$ | -0.0143 | -0.0132 | $-1.734^{* *}$ | $-1.861^{* *}$ |
| $\delta_{\text {SPILL }}$ | $(0.00973)$ | $(0.00970)$ | $(0.281)$ | $(0.289)$ |
|  |  | $-0.0416^{* *}$ |  | $0.647^{* *}$ |
| Controls |  | $(0.00714)$ |  | $(0.187)$ |
| Yonth $\times$ Region FE | Y | Y | Y | Y |
| Municipality FE | Y | Y | Y | Y |
| Obs | 212,805 | 212,805 | 212,805 | 212,805 |

Note: **, *, + indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). The table shows the treatment effect on the treated, that is, the coefficient $\delta_{P O S T}$ from Eq.(2) controlling for the spillover effect (a dummy variable if any other municipality in the same microregion is exposed to an M\&A episode, with an associated coefficient $\delta_{S P I L L}$ ), estimated at the monthmunicipality level using 2005-2015 data from 18 months before and 36 months after the M\&A episode. For this table, we say a municipality is 'treated' if it had at least one branch of only one of the banks involved in the M\&A episode and a 'control' if it had none. For details on outcome variables, controls, and regression weights, see notes in Table 2.
merging banks. In Columns 3 and 4 we observe a negative and significant effect on spreads. This effect can be a consequence of efficiency gains following an M\&A (e.g., Sapienza (2002)), although in other settings efficiency gains also lead to increases in lending volume (Stiroh and Strahan (2003), Mian, Sufi and Verner (2019)). Alternatively, it could be the case that banks compete more for loans in relatively more competitive markets, but our source of variation in competition does not allow us to distinguish between these channels. If the cost of providing loans is lower after the M\&A and we still observe increases in spreads in treated markets, our benchmark results are, if anything, underestimating the true effect of bank competition on spreads.
Branch closures. Another potential explanation for our results is that banks involved in M\&A episodes close or re-structure their branches. Nguyen (2019) argues that branch closures destroy lending relationships and thus can hypothetically reduce the volume of loans and increase spreads, mainly in terms of small business lending. We show in Table 5 that there is no effect on branches of private banks per 100,000 inhabitants in affected markets, while we observe a small, but non-persistent increase on branches of public banks. For reference, the average number of private and total branches per 100,000 inhabitants is, respectively, 8.58 and 14.41 (Table 1). Therefore, the effects estimated in Table 5 are economically insignificant.
Relationship lending We also report in Table 5 other dimensions of relationship lending. First, we find a 10 day increase in loan maturity in treated markets. However, this result is unlikely to be driving our main findings. The average maturity of loans in our sample

Table 5: The M\&A effect on branches and firm and loan characteristics

|  | Months post M\&A Episode |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | 12 | 24 | 36 | 48 |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| Branch (Pr) per 100,000 | .0033 | .0431 | .0119 | -.0228 |
|  | $(.0226)$ | $(.0294)$ | $(.036)$ | $(.0424)$ |
| Branch (Total) per 100,000 | $.0608^{*}$ | $.1236^{* *}$ | $.1006^{*}$ | .0759 |
|  | $(.0276)$ | $(.0368)$ | $(.0463)$ | $(.0554)$ |
| Maturity | 4.3145 | 4.4063 | $10.5339^{* *}$ | $9.1628^{* *}$ |
|  | $(3.1377)$ | $(2.8515)$ | $(3.4299)$ | $(3.5054)$ |
| Relative Spread of Loans to Small Firms | $.0291^{+}$ | $.0625^{* *}$ | $.0441^{*}$ | .0294 |
| Share of Loans to Small Firms | $(.0166)$ | $(.0183)$ | $(.021)$ | $(.0232)$ |
|  | $.0063^{*}$ | $.0139^{* *}$ | $.0104^{* *}$ | $.0067^{*}$ |
| Firm Age | $(.0022)$ | $(.0026)$ | $(.0028)$ | $(.0029)$ |
| Share of Relationship Loans | $-.254^{* *}$ | $-.337^{* *}$ | $-.383^{* *}$ | $-.351^{* *}$ |
|  | $(.0956)$ | $(.1003)$ | $(.1141)$ | $(.1249)$ |
| Share of Collateralized Loans | -.004 | $-.0146^{* *}$ | $-.0191^{* *}$ | $-.0214^{* *}$ |
|  | $(.0042)$ | $(.0044)$ | $(.0047)$ | $(.0051)$ |
|  | $0.00949^{*}$ | -0.00444 | $-0.0146^{* *}$ | $-0.0216^{* *}$ |
|  | $(0.00388)$ | $(0.00413)$ | $(0.00461)$ | $(0.00498)$ |

Note: $* *, *$, + indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). The table shows the treatment effect on the treated, that is, the coefficient $\delta_{P O S T}$ from Eq.(2) estimated at the month-municipality level using 2005-2015 data from 18 months before and 12, 24, 36 and 48 months after the M\&A episode, as indicated in the headers of each column. Regression outcomes are, in order with the data source in parenthesis, branches of private banks per 100,000 inhabitants (ESTBAN), branches of any bank per 100,000 inhabitants (ESTBAN), average maturity of loans in days (SCR), log of the ratio of spreads for small firms versus spreads for all loans (SCR), share of volume of loans to small firms (SCR), average age of firms in years (SCR), share of the volume of new loans made to banks and firms with at least a 2 year relationship since their first loan (SCR), and share of the volume of new loans that is collateralized (SCR). For control variables, treatment/control definition, and regression weights see notes of Table 2. All regressions include time-region (mesoregion IBGE concept) and municipality fixed effects.
is 250 days, which indicates that there is less than a $4 \%$ increase in maturity 3 years after the episode. Moreover, one would expect less competition to allow for banks to form deeper bonds and thus increase maturity, but reduce spreads and increase access to loans, while we find exactly the opposite. Importantly, we show that the share of relationship loans monotonically decreases over time in exposed municipalities, that is, less competition is not helping banks and firms form lending relationships even 4 years after the M\&A episode.

Second, we show that there is no economically significant change in the age of firms taking loans in exposed municipalities or in the share of loans to small firms, which could be driving our results if firms from exposed cities are significantly younger/older (as in Zarutskie (2006)). Firms in exposed municipalities are 4 and a half months younger (Table 5) following the merger, which is not economically meaningful compared to a sample average of 14 years.

Third, one would expect small firms to be more dependent on bank relationships (as in Nguyen (2019)). We investigate this by computing the share of loans made to small firms and the relative spread of loans to small and large firms. The relative spread is computed as the $\log$ of the ratio of the spread between loans to small firms and loans to all firms. There is no significant change in the share of loans to small firms, and the effect of the relative spread of loans to small firms is not persistent. Taken together, the results we report in Table 5 suggest that branch closures, loan maturity and relationship lending are not behind our findings.
Changes in composition of loans. One concern is that there is a change in the composition of loans following the merger episodes. For instance, larger banks could be specialized in working capital loans, which could be more expensive than other types of credit - and thus our spread increase is a consequence of the composition of loans. For instance, we find in Table 5 that following the merger, the share of credit that is collateralized in the affected markets reduces $1.46 \%$. To understand the effect that changes in composition of loans have in the estimated effect on spreads, we compute for a category $c$ in set $C$, with baseline level of spreads $\bar{s}_{c}$ :

$$
\Delta \text { spread }^{C}=\sum_{c \in C} \Delta \text { share }_{c} \times \bar{s}_{c}
$$

For instance, $C$ can be \{collateral, no collateral\}. What $\Delta$ spread ${ }^{C}$ captures is the expected change in spreads using the observed reduction in loans that require collateral but with using their pre-merger difference in spreads. $\Delta$ spread $^{C}$ thus captures exactly this composition change. In the case of collateral, we have that $\Delta$ spread ${ }^{C}=0.41$ p.p.. This means that from the 5.88 percentage point increase in spreads, only 0.41 percentage point can be attributed to less loans requiring collateral. Similarly, we find that the change in ex-ante risk of loans (measured by their rating ) can explain only a 0.48 percentage point increase in spreads. $\mathrm{Fi}-$ nally, we find that the change in composition of types of loans (working capital, vehicles, loans to exports etc.) would predict a 1 percentage point decrease in spreads. Overall, these

Table 6: The M\&A effect on defaults: volume and number of loans

|  | Months post M\&A Episode |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\leq 20$ |  |  |  |  |  |
|  | 24 | 36 | 48 | 24 | 36 | 48 |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ | $(6)$ |
| \% Credit in Default Banks | $.0058^{* *}$ | $.0085^{* *}$ | $.0122^{* *}$ | $.002^{* *}$ | $.0044^{* *}$ | $.0068^{* *}$ |
|  | $(.0015)$ | $(.0015)$ | $(.0017)$ | $(.0009)$ | $(.0011)$ | $(.0013)$ |
|  | .0015 | $.0039^{* *}$ | .0089 | -.0004 | .0009 | $.0038^{* *}$ |
|  | $(.0012)$ | $(.0011)$ | $(.0011)$ | $(.0007)$ | $(.0007)$ | $(.0009)$ |
| Controls | Y | Y | Y | Y | Y | Y |
| Month $\times$ Region FE | Y | Y | Y | Y | Y | Y |
| Municipality FE | Y | Y | Y | Y | Y | Y |
| Obs | 152,482 | 151,039 | 147,602 | 153,399 | 151,936 | 148,491 |

Note: ${ }^{* *}, *$, + indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). The table shows the treatment effect on the treated, that is, the coefficient $\delta_{P O S T}$ from Eq. (2) estimated at the month-municipality level using 2005-2015 data from 18 months before and 24, 36 and 48 months after the M\&A episode, as indicated in the headers of each column. Regression outcomes are share of credit (in terms of volume) and share of loans (in terms of number) in default one year after their initial date. For control variables, treatment/control definition, and regression weights see notes of Table 2.
indicates that these changes in composition are second order to the increase in interest rates we find.
Defaults. The last alternative channel we investigate is defaults. In our sample, $2 \%$ of credit is in default one year after the loan is granted. We estimate Eq.(1) with the share of loans and total volume under default. We find an increase in the volume of defaults, but this increase is focused on markets with less than 20 private banks in 2005 (see Table 6). The result is not significant in terms of the number of defaults. This effect on defaults is not surprising, given that credit volume is decreasing and interest rates are increasing. We show in Appendix D that even when taking into account this increase in defaults, at most $15-20 \%$ of the change in spreads in our sample can be attributed to defaults.

## IV. Real outcomes and sector heterogeneity

In this section, we investigate the effect of bank competition on real outcomes such as employment, wages, and output. We first separate our sample into different sectors. In the traditional IO view that less competition in a market reduces quantities and increases prices, one can interpret a change in competition as a credit supply shock. As highlighted in Mian, Sufi and Verner (2019), credit supply shocks can affect firms and the real economy through
two channels. First, as lending becomes more expensive and scarce for firms, firms reduce hiring and investment. Second, bank competition is likely to affect households, which implies that the local demand for goods and services decreases with less competition in the banking sector. Mian, Sufi and Verner (2019) finds strong evidence that the reduced local demand is likely to explain the dynamics of employment and output following the 1980's geographic bank deregulation in the US. We first conduct our analysis by sector for the financial variables to test for the household demand channel and then focus on real outcomes.

To test if the household channel is driving our results, we follow Mian, Sufi and Verner (2019) and others and separate our firms (and loans) in each municipality into four sectors: tradable, non-tradable, construction and agriculture. In the presence of the household channel, firms in the non-tradable sector of exposed municipalities face two shocks: (i) credit is more expensive and (ii) there is less demand for their products compared to firms in the tradable sector. If households are driving the results, we should see larger effects in the nontradable sector in terms of credit volume, spreads and employment. To test for this channel, we estimate Eq.(5)

$$
\begin{equation*}
y_{m, r, t}^{s}=\gamma_{m}+\gamma_{r, t}+X_{m, r} \beta_{t}+X_{m, r, t}^{s} \beta_{s}+\delta_{0} T_{m, r, t}+\delta_{P O S T} T_{m, r, t} \times P_{m, r, t}+\varepsilon_{m, r, t}^{s} \tag{5}
\end{equation*}
$$

by sector $s$, on municipality $m$ at time $t$, where we add to our benchmark specification sector specific controls $X_{m, r, t}^{s}$, namely the size of the average firm in sector $s$ in market $m$, and the share of credit in a sector $s$ or market $m$ with rating AA, A, and B. There are two differences between this estimation and our benchmark estimation. First, since not all municipalities have firms from all sectors receiving new loans monthly, our sample of municipalities is smaller at the sector-municipality level. Second, since different sectors have different external finance needs with different maturity structures and spread levels, we exclude the first 12 months post M\&A in this estimation and use log of spreads (instead of levels). ${ }^{19}$

We present the results in Table 7. As can be seen comparing the columns in Table 7, the effect on spreads is consistent across sectors. The effect on the volume of new loans from private banks in the tradable sector (column 2) is larger than considering all firms (column 1), but almost half of the effect for the non-tradable sector (column 3). ${ }^{20}$

Real outcomes. We now turn to the outcomes in real variables. Initially, one might be inclined to conclude that the difference between tradables and non-tradables is household demand. Table 8 displays the results of estimating Eq.(5) with employment and average wage in a given sector as dependent variables. The effect on tradable employment and wages is

[^12]Table 7: The M\&A effect on financial outcomes: sector heterogeneity (36mo window)

|  | All Sectors | Tradable | Non-Tradable | Construction |
| :---: | :---: | :---: | :---: | :---: |
| $\ln \left(\right.$ Credif $\left.^{\text {Pr }}\right)$ | $-.1422^{* *}$ | $-.1742^{* *}$ | $-.3417^{* *}$ | $-.1940^{* *}$ |
|  | $(.0242)$ | $(.0475)$ | $(.0313)$ | $(.0639)$ |
| $\ln \left(\right.$ Spread $\left.^{P r}\right)$ | $.1712^{* *}$ | $.1829^{* *}$ | $.206^{* *}$ | $.2895^{* *}$ |
|  | $(.0242)$ | $(.0348)$ | $(.0289)$ | $(.0349)$ |
| $\ln \left(\right.$ Credit $\left.^{*}\right)$ | $-.1266^{* *}$ | $-.1566^{* *}$ | $-.2479^{* *}$ | $-.1875^{* *}$ |
|  | $(.0223)$ | $(.045)$ | $(.0261)$ | $(.0548)$ |
| $\ln ($ Spread $)$ | $.1752^{* *}$ | $.1903^{* *}$ | $.1924^{* *}$ | $.2543^{* *}$ |
|  | $(.022)$ | $(.0346)$ | $(.0256)$ | $(.0344)$ |
| Controls | Y | Y | Y | Y |
| Year $\times$ Region FE | Y | Y | Y | Y |
| Municipality FE | Y | Y | Y | Y |
| Obs | 162,051 | 162,051 | 162,051 | 118,363 |

Note: $* *, *,+$ indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). The table shows the treatment effect on the treated, that is, the coefficient $\delta_{P O S T}$ from Eq.(5) estimated at the month-municipality level using 2005-2015 data from 12 months before and 36 months after the M\&A episode (excluding the first 12), as described in Sections II and III. Regression outcomes are the log of total new credit, $\ln$ (Credit), and log of lending spreads (local interest rates minus country level deposit rate), Spread, from new loans in a municipality $m$, in region $r$ and time $t$ in each sector. Sectors are defined as in Mian and Sufi (2014). The superscript $\operatorname{Pr}$ indicates that the variables were computed using loans originated from private banks only. For each municipality, spreads are aggregated using loan size as weights and loan volume corresponds to the sum of loan size for all loans. For details on controls variables, treatment/control definition, and fixed effects, see notes of Table 2.
larger than the effect on non-tradables (comparing columns 2 and 3). ${ }^{21}$ This result is robust if we include municipalities with more than 20 private banks in 2005, as can be seen in panel B. Importantly, we do not find an effect on employment in the agricultural sector. The agricultural sector serves as a placebo test in our setting, since $75 \%$ of agricultural credit is subsidized in Brazil.

Table 8: The M\&A effect on employment and wages by municipality (36mo window)

|  | Panel A. $\leq 20$ Private Banks |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Agriculture | Tradable | Non-Tradable | Construction |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| Employment | .03 | $-.0614^{* *}$ | $-.0534^{* *}$ | $-.0933^{* *}$ |
| Wages | $(.0307)$ | $(.0136)$ | $(.0084)$ | $(.0275)$ |
|  | .0169 | $-.0189^{* *}$ | -.0022 | $-.0038^{* *}$ |
|  | $(.0124)$ | $(.008)$ | $(.0039)$ | $(.0103)$ |
|  | Panel B. All Municipalities |  |  |  |
|  | Agriculture | Tradable | Non-Tradable | Construction |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| Employment | .0356 | $-.0429^{* *}$ | $-.0397^{* *}$ | $-.0643^{* *}$ |
|  | $(.0281)$ | $(.0124)$ | $(.0086)$ | $(.0236)$ |
| Wages | $.0192^{+}$ | -.0095 | -.0033 | .0073 |
|  | $(.0114)$ | $(.0079)$ | $(.0036)$ | $(.0091)$ |
| Controls | Y | Y | Y | Y |
| Year $\times$ Region FE | Y | Y | Y | Y |
| Municipality FE | Y | Y | Y | Y |

Note: $* *, *,+$ indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). The table shows the treatment effect on the treated, that is, the coefficient $\delta_{\text {POST }}$ from Eq.(2) estimated at the month-municipality level using 2005-2015 data from 12 months before and 36 months after the M\&A episode (excluding the first 12), as described in Sections II and III. Regression outcomes are total employment and average annual wage of all workers employed at a given month-sector computed from RAIS. Sectors are defined as in Mian and Sufi (2014). Panel A is our benchmark sample with municipalities with at least one and no more than 20 private banking conglomerates in 2005. Panel B has the same results for all municipalities. For details on controls variables, treatment/control definition, and fixed effects see notes of Table 2. We use population in 2005 as weights in the regression. Regressions in Panel A have each 178,993 observations, while those in Panel B have 195,536 observations.

There are a few explanations for why we observe, in comparison to the non-tradable sector, larger effects on the tradable and construction sector's employment coupled with an equivalent effect on spreads and a smaller effect on credit. First, bank capital is more relevant for the tradable sector. In our sample, the ratio of bank capital to output in tradable and construction is $48 \%$ larger than for the non-tradable sector. Second, it is possible that labor

[^13]and capital or bank capital and other sources of financing are more substitutable in the nontradable sector. ${ }^{22}$ Albeit an interesting question, understanding this heterogeneity is outside the scope of this project.

To interpret our findings and compute the average causal response of real variables to competition, we can estimate the effect of competition on real variables using the DiD-IV estimation of Eq.(3). Ultimately, since we are interested in how competition shapes prices in the banking sector, we use lending spreads as the competition measure. Table 9 shows the effect of lending spreads on real variables. We find that a $1 \%$ increase in spreads causes a $-0.3 \%$ reduction in non-agricultural employment in our benchmark sample and $-0.22 \%$ in the sample with all municipalities.
Robustness and extensions. We confirm our findings on employment and wages by estimating the effect on sectorial and total output. Since we observe output annually, we assume that a given market is exposed in year $t$ if it is exposed to an M\&A episode for more than 6 months in that year. Table H. 11 shows that, consistent with our employment results, we find no effect on agricultural output (column 1), a negative effect of $7.7 \%$ on Industry and Construction (column 2), a negative effect of $1.58 \%$ on the services sector (column 3), and a negative effect of $2.17 \%$ on GDP (column 4 ).

Finally, we also estimate the effects on those municipalities that had only one of the merging banks (but not both) compared to those that had neither. We do this to check if potential efficiency gains in the banking sector are passed through to the corporate sector. We show the results in Table H.12. Overall, we find negligible results in terms of employment and output in municipalities that had only one of the merging banks compared to those with neither. Given that we do not see an effect of credit in these municipalities (Table 4), it is not surprising that we also do not find an effect on real variables.

## V. An economy with bank concentration and financial frictions

In Section IV we show the reduced form effects of bank competition. Our objective now is to impose more structure to understand if the coefficients found can be quantitatively understood through the lens of a model and conduct counterfactuals. Our model has several markets, each with a different level of bank competition and productivity level. Based on the evidence of limited real spillovers, we assume that markets do not interact or trade with each other for simplicity.

[^14]Table 9: Spread effect on payroll by municipality (36mo window)

|  | Panel A. $\leq 20$ Private Banks |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Tradable <br> $(1)$ | Non-Tradable <br> $(2)$ | Construction | Total | Total - Agr |  |
|  | $-0.619^{* *}$ | $-0.238^{* *}$ | $-0.341^{*}$ | $-0.161^{*}$ | $-.3008^{* *}$ |  |
| $\ln \left(\right.$ Spread $\left.^{P r}\right)$ | $(0.216)$ | $(0.0484)$ | $(0.158)$ | $(0.0719)$ | $(.0918)$ |  |
|  | Panel B. All Municipalities |  |  |  |  |  |
|  | Tradable | Non-Tradable | Construction | Total | Total - Agr |  |
| $\ln \left(\right.$ Spread $\left.^{P r}\right)$ | $-0.383^{*}$ | $-0.198^{* *}$ | -0.214 | -0.0939 | $-.2248^{* *}$ |  |
|  | $(0.149)$ | $(0.0504)$ | $(0.204)$ | $(0.0768)$ | $(.08440)$ |  |
| Controls | Y | Y | Y | Y | Y |  |
| Year $\times$ Region FE | Y | Y | Y | Y | Y |  |
| Municipality FE | Y | Y | Y | Y | Y |  |

Note: $* *, *,+$ indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). The table shows the average causal effect, that is, the coefficient $\delta_{I V}$ from Eq.(3) estimated at the month-municipality level using 2005-2015 data from 12 months before and 36 months after the M\&A episode (excluding the first 12), as described in Sections II and III. Regression outcome in the second stage is total payroll by sector computed as the multiplication of total employment and average annual wage of all workers employed at a given month-sector computed from RAIS. Sectors are defined as in Mian and Sufi (2014). The endogenous variable, $\ln \left(S_{\text {Sread }}{ }^{P r}\right)$, is the $\log$ of spread by municipality from new loans for firms of a given sector by private banks. For each municipality, interest rates are aggregated using loan size as weights and loan volume corresponds to the sum of loan size for all loans. Panel A is our benchmark sample with municipalities with at least one and no more than 20 private banking conglomerates in 2005. Panel B has the same results for all municipalities. Column 5 has the total payroll minus that of agriculture. For details on control variables, treatment/control definition, and fixed effects see notes of Table 2. We use population in 2005 as weights in the regression. Regressions in Panel A have each 152,457 observations, while those in Panel B have 172,847 observations.

Each market has two main economic actors: firms and banks. Firms are heterogeneous in their wealth and cost of capital. Firms choose labor and capital to be used in production subject to a financial constraint that capital in production is limited by wealth (as in Moll (2014) and others). Banks compete with each other by choosing the quantity of credit in a given market (Cournot competition). The total quantity of credit offered by all banks together will imply an interest rate through the demand for credit. The demand for credit comes from aggregating the solution to each firm's individual optimization problem. The demand for credit is downward sloping due to more firms deciding to not produce (extensive margin) instead of taking smaller loans (intensive margin), which is consistent with the data. To close the model, we have workers that supply labor for firms.

Our model is static, but we show that there is potential for the amplification for the mechanisms we present here dynamically through increased profits and savings in the corporate sector, in line with the intertemporal distortion from financial frictions in Itskhoki and Moll (2019). As described in Itskhoki and Moll (2019), due the presence of financial frictions, the
return to capital in the corporate sector is larger than the interest rate in the economy and policies that increase savings in the corporate sector are optimal due to an increase capital accumulation and output.

Given our functional form assumptions, the demand for credit in each market has a Constant Semi-Elasticity (CSE) with respect to interest rates. We estimate this semi-elasticity to be -3.17: for each 1 p.p. increase in lending rates, credit volume falls by $3.17 \%$. This semielasticity is the key parameter in our model. Individual optimization from each bank in each market implies that spreads are given by concentration over the (absolute) semi-elasticity, which is a testable implication of the model. We show that this quantitative prediction made by the model is consistent with the data.

Given the model success in capturing the relation between lending rates and credit, we take it one step further to evaluate the model implied effect of lending rates on real outcomes. We show that in partial equilibrium, the firm level production function can be aggregated to market level production function and that the semi-elasticity is a sufficient statistic of the effect of competition on output in partial equilibrium. Through a calibrated version of the model, we show that the response of the model is consistent with that observed in the data for real variables.

We evaluate three counterfactuals within this model in partial and general equilibrium (allowing local wages to adjust). First, we evaluate what would happen if spreads in all markets fell to a world average of 5.43 percentage points. Second, we evaluate the effect of introducing one extra bank in each market. Third, we evaluate what would be the effect of public banks competing with private banks in markets they are already present. The idea of the first and second counterfactuals is to understand how much could be gained with feasible policies that encourage local competition, either directly or through the use of public banks, while the third provides an international comparison of how much the lack of competition in the banking sector can be detrimental to welfare. In our calibration, where $14 \%$ of capital is competitively provided by banks in equilibrium (does not come from savings of the firms or other funding sources, such as subsidized loans), reducing Brazilian spreads to the world level would imply a $4.83 \%$ increase in output. Moreover, corporate profits over output would increase 6.51 percentage points, facilitating capital accumulation.

Finally, although there is limited evidence in our sample of changes in efficiency following M\&As, we use our model to discuss potential shocks to the banking system that reduce competition but potentially increase efficiency of a few or all banks (such as M\&A episodes). We show that the local concentration channel is quantitatively large: cost reductions of the entire banking system of approximately $30 \%$ would be required to undo the increase in local concentration for municipalities affected by both the efficiency gains and the reduction in local concentration. We use the observed distribution of branches of two banks to compute
what the aggregate effect of the merger would be if they were to merge. We find that gains of at least $40 \%$ from the merging banks would have to be achieved for the merge to increase output.

## I. Setting

Firms. Our economy is static and has $m=1, \ldots, M$ municipalities. Firms are heterogeneous in their wealth, $a$. Firms combine labor $l$ and capital $k$ to generate output as in the constant returns to scale (CRS) production function in Eq.(6)

$$
\begin{equation*}
y(k, l)=\left(z_{m} k\right)^{\alpha} l^{1-\alpha} \tag{6}
\end{equation*}
$$

where $z_{m}$ is a general productivity factors of municipality $m$ and $\alpha \in(0,1)$. Following the literature, we assume firms face a financial friction of ${ }^{23} k \leq \lambda a$, with $\lambda>1$. Larger values of $\lambda$ mean that firms can use more external capital in production by leveraging their own wealth.

Firms have two sources of external funding: (i) free credit from banks (where interest rates are not regulated, as in our empirical sample) and (ii) other sources of external finance (subsidized credit, corporate bonds etc.). Firms can borrow $\lambda_{b}$ from banks and $\lambda_{o}$ from other sources of external finance, such that

$$
\lambda_{b}+\lambda_{o}+1=\lambda
$$

Firms in our economy however do not have to borrow from external sources, and can choose their own capital structure. Let $r$ be deposit rate (common across markets), $\bar{r}$ be the rate of non-bank external financing and $r_{m}^{l}$ the cost of bank capital. Let $\lambda_{b}^{+}$be a variable that is $\lambda_{b}$ if the firm uses bank capital and zero otherwise (and, analogously, $\lambda_{o}^{+}$for external funding). Given a capital structure, we assume firm $i$ faces a cost of capital

$$
\begin{equation*}
r_{i, m}^{c c}=r_{m}^{c c}-\xi_{i} \tag{7}
\end{equation*}
$$

where $\xi_{i}$ is firm level idiosyncratic cost of capital shock, i.i.d. across firms, and $r_{m}^{c c}$ is given by Eq.(8)

$$
\begin{equation*}
r_{m}^{c c}=\frac{\lambda_{b}^{+}}{1+\lambda_{b}^{+}+\lambda_{o}^{+}} r_{m}^{l}+\frac{\lambda_{o}^{+}}{1+\lambda_{b}^{+}+\lambda_{o}^{+}} \bar{r}+\frac{1}{1+\lambda_{b}^{+}+\lambda_{o}^{+}} r \tag{8}
\end{equation*}
$$

[^15]We introduce the shock $\xi_{i}$ to allow for heterogeneity in firm capital structure choices and to be consistent with the variation we observe in cost of funding within municipalities. The microfoundation of this shock is not relevant for our results, and that similar results could be obtained in our model with firm level heterogeneity in productivity, fixed production costs (paid only if the firm decides to produce), distance to banks (as in Joaquim, Townsend and Zhorin (2019)) etc.. Importantly, this cost is not paid to banks and does not change the bank maximization beyond the implied functional form for the demand.

The cost of capital in Eq.(8) is simply the volume weighted cost of capital considering the sources of funding each firm chooses to use. For now, we will assume $r_{m}^{c c}$ is given and compute the optimal decisions of the firm. Later, we will come back to how firms optimally choose their capital structure. For a cost of capital $r_{i, m}^{c c}$, wages $w_{m}$, wealth $a$ and a productivity $z$, the production profit of a firm that chooses to produce is given by Eq. (9)

$$
\begin{equation*}
\pi\left(r_{i, m}^{c c}, w_{m} \mid a, z_{m}\right) \equiv \max _{k \leq \lambda a, l}\left(z_{m} k\right)^{\alpha} l^{1-\alpha}-r_{i, m}^{c c} k-w_{m} l \tag{9}
\end{equation*}
$$

The CRS production function implies that each firm will either choose to not produce (and use zero capital and labor) or be exactly at the constraint. The solution to the problem of each manager in terms of input choices is given by (See Appendix I):

$$
k\left(r_{i, m}^{c c}, w_{m} \mid a, z_{m}\right)=\lambda a \mathbb{1}\left[\hat{z}_{m} \geq r_{i, m}^{c c}\right] \text { and } l\left(r_{m}^{c c}, w_{m} \mid a, z_{m}\right)=\left[\frac{(1-\alpha)}{w_{m}}\right]^{1 / \alpha} z_{m} k\left(r_{i, m}^{c c}, w_{m} \mid a, z_{m}\right)
$$

where

$$
\kappa\left(w_{m}\right) \equiv \alpha\left[\frac{(1-\alpha)}{w_{m}}\right]^{\frac{1-\alpha}{\alpha}} \text { and } \hat{z}_{m} \equiv z \kappa\left(w_{m}\right)
$$

External finance allows firms to use more capital - which implies that they will also use more labor in production (in the same proportion). Using the optimal inputs, we can rewrite the profit for firm $i$ in market $m$ as Eq.(10) ${ }^{24}$

$$
\begin{equation*}
\pi\left(r_{i, m}^{c c}, w \mid a, z\right)=\lambda a \max \left\{\hat{z}_{m}-r_{i, m}^{c c}, 0\right\} \tag{10}
\end{equation*}
$$

The return for each extra unit of capital for a firm is constant and given by $\hat{z}_{m}$. Therefore, their capital structure choice is given by the relation of $\hat{z}_{m}$ and $r, \bar{r}$ and $r_{m}^{l}$. A firm uses a given type of funding to produce if $z_{m} \kappa\left(w_{m}\right)$ is larger than the cost of a given type of funding, as represented in Figure 4 for the case bank finance is the most expensive source of outside funding.

[^16]Figure 4: External finance choice for firms


Note: Capital structure for firms assuming that bank finance is the most expensive source of financing and that firms borrow from other sources before using bank finance.

Banks. Each market $m$ has $B_{m}$ banks. As the firm problem is linear in $a$ and we assume banks observe the level of wealth of firms, we can solve for the equilibrium by considering the full demand for credit in a given market. We show in Appendix II that if we assume that the distribution of $\xi_{i}$ is such that $\mathbb{P}\left[\xi_{i} \geq a\right]=C_{0} e^{-\eta \xi}$ for a constant $C_{0}$, we can write the inverse demand function for credit $Q_{m}$ as

$$
\begin{equation*}
r_{m}\left(Q_{m}\right)=\eta^{-1}\left[\gamma_{m}-\ln \left(Q_{m}\right)\right] \tag{11}
\end{equation*}
$$

where $\gamma_{m}$ is a term that depends on local productivity, wealth and model parameters, but not directly on any decision from banks (such as the lending rate).

Each bank $b$ has a marginal cost in market $m$ given by $c_{b, m}$ (monitoring and overhead costs, default provision etc.) and the deposit rate $r$, which they can raise inelastically, common to all banks and markets. ${ }^{25}$ Bank $b$ chooses a quantity $Q_{b}$ to offer in each market to maximize profits as in Eq.(12)

$$
\begin{equation*}
\max _{Q_{b}}\left[r_{m}\left(Q_{m}\right)-c_{b, m}-r\right] Q_{b} \tag{12}
\end{equation*}
$$

where $Q_{m} \equiv \sum_{b}^{B_{m}} Q_{b}$ is the total quantity of credit in market $m$ and $r_{m}\left(Q_{m}\right)$ is the inverse demand function from Eq.(11).
Labor. Finally, we assume in the general equilibrium version of our model that there is a representative worker per market $m$ in our model that has a labor supply given by Eq. (13), which can be microfounded with GHH (Greenwood-Hercowitz-Huffman) preferences. We assume that banks do not take this adjustment into account when making choices, i.e., they

[^17]do not anticipate that their changes in lending volume will affect local wages, which would affect how they optimally choose their credit policy in the first place.
\[

$$
\begin{equation*}
l_{m}^{s}=w_{m}^{-\varphi} \tag{13}
\end{equation*}
$$

\]

As our model is static, the consumption level of the representative worker is given by $w_{m} \mathcal{L}_{m}$, where $\mathcal{L}_{m}$ is the aggregate level of labor in market $m$.

## II. Model implications

We provide now two model implications that are testable in the data. We show that the semielasticity of demand is a sufficient statistic for the effect of concentration on spreads and of spreads on payroll and output.

Let $\mu_{b, m}$ be the market share of bank $b$ in market $m$. Let $s_{m, b}=r_{b}^{l}-r$ be the spreads of bank $b$ with respect to the deposit rate. We focus here on market share weighted spread in market $m$, that is

$$
s_{m} \equiv \sum_{b} \mu_{b, m} s_{m, b}
$$

Lemma 1 shows how bank optimization (together with the Cournot structure) implies that spreads are given by a market specific constant and the ratio of concentration and the semielasticity. Even if market are very concentrated, the sensitivity of demand to prices can drive down equilibrium prices. The extreme case would be if there is only one bank in a market, but all firms can immediately switch to an online credit provider if it offers lower prices, thus driving margins to zero even with a monopolist in the market.

Given a semi-elasticity, Lemma 1 provides a testable prediction of the model (which we take to the data in the next subsection): changes in concentration that do not affect the relative cost structure of a market should have a $1 / \eta$ effect on spreads.

Lemma 1. Bank optimization. In our Cournot competition, individual bank maximization of Eq.(12) implies that market share weighted spread $s_{m}$ is given by

$$
\begin{equation*}
s_{m}=c_{m}+\frac{H H I_{m}}{\eta} \tag{14}
\end{equation*}
$$

where $\mathrm{HHI}_{m} \equiv \sum_{b} \mu_{b, m}^{2}$ is the local HHI and $c_{m} \equiv \sum_{b} \mu_{b, m} c_{b, m}$ is the average marginal cost in market $m$

Proof. Appendix III.
As our final objective is to understand the effect of bank competition in macro aggregates, we must first understand how macro aggregates depend on the individual output of each
firm. As each firm has a CRS production technology and faces a linear financial constraint, we can write aggregate output $\mathcal{Y}_{m}$ as in Eq.(15)

$$
\begin{equation*}
\mathcal{Y}_{m}=z_{m}^{\alpha} \mathcal{K}_{m}^{\alpha} \mathcal{L}_{m}^{1-\alpha} \tag{15}
\end{equation*}
$$

where $\mathcal{K}_{m}$ and $\mathcal{L}_{m}$ are, respectively, aggregate capital and labor in market $m$ (see Appendix I for derivations).

More useful for our purposes, however, is the aggregation in Lemma 2. We show that output can be written as a function of a constant (which is a function of wages, local wealth, and productivity) and interest rates in each type of loan. In a partial equilibrium model (were wages are fixed), the percentage change in output from changes in spread depends on the change in capital times the share of capital affected by this change. Percentage changes in capital in our model come from the semi-elasticity of demand (Eq. 11), which implies the semi-elasticity of demand is a sufficient statistic for the effect of concentration on output in our model. Given our aggregate production function, we have that total payroll is equal to a share $1-\alpha$ of output, which implies the effect on output is the same as the effect on total payroll - and thus the consumption of the representative worker.

Lemma 2. Aggregation, spreads and real outcomes. We can decompose aggregate output as

$$
\begin{equation*}
\ln \left(\mathcal{Y}_{m}\right)=\zeta_{m}\left(\hat{z}_{m}, w_{m}\right)+\theta_{m}\left(r_{m}^{l}\right) \tag{16}
\end{equation*}
$$

where $\zeta_{m}\left(\hat{z}_{m}, w_{m}\right)$ depends on local wages and productivity, but not on interest rates, and

$$
\begin{equation*}
\theta_{m}\left(r_{m}^{l}\right) \equiv \ln \left(e^{-\eta r}+\lambda_{o} e^{-\eta \bar{r}}+\lambda_{b} e^{-\eta r_{m}^{l}}\right) \tag{17}
\end{equation*}
$$

Thus, in partial equilibrium, the first order response of output and consumption to spreads is given by Eq.(18)

$$
\begin{equation*}
d \ln \mathcal{Y}_{m}=d \ln \mathcal{C}_{m}=-\eta \omega d s_{m} \tag{18}
\end{equation*}
$$

where $\omega$ is the share of capital in the economy provided competitively by banks and $\mathcal{C}_{m}$ is the consumption of the representative worker in market $m$.

Proof. Appendix IV.
Lemma 1 and 2 show the effect of concentration on real variables in partial equilibrium. However, for large events (as the M\&A episodes we are exploring) and some of the counterfactuals we simulate, there is potential for wages to adjust with changes in competition. Moreover, for Lemma 2, the response in output is only for a first order approximation. For larger shocks on spreads, the share of capital that is competitively provided by banks, $\omega$, is also an endogenous object and depends on the changes in spreads.

To provide responses that allow $\omega$ and local wages to change, we estimate the semielasticity $\eta$ (next section) and calibrate the other parameters in our economy. We calibrate the labor elasticity $\varphi$ by matching the model and data relative employment and wage responses. We calibrate the leverage parameters, $\lambda_{o}$ and $\lambda_{b}$ to match the external finance to GDP and the share of capital that is competitively provided by banks $\omega$ observed in the data. The other parameters we use are standard values in the literature $(\alpha)$, or taken directly from the data $(r$ and $\bar{r}$ ). For each market, we solve for the equilibrium wage using a bisection method. In our calibration, the quantitative effect of wage and $\omega$ adjustments in the prediction of Lemma 1 are small, but significant for Lemma 2. See Appendix G for details on GE computation and parameters.
Dynamics. So far we have focused exclusively on the static distortion (and implications) of lack of competition among banks, which works through less credit. We could consider a different model where bank competition does not affect credit allocation, but only the cost of finance. In this case, bank competition would not have any effect in today's output, only on the share of output that is retained in the corporate sector versus the share that goes to the bank sector (i.e., how to share the production surplus). Even if this is case, market power in banking would still cause a dynamic distortion.

As shown in Itskhoki and Moll (2019), when the corporate sector is financially constrained, the rate of return for investments is larger than the cost of capital in the economy - and thus increasing capital in the corporate sector can be welfare enhancing compared to laissez-faire. Policies that increase the ability of the corporate sector to save (interest rate subsidies, wage suppression etc.) can be welfare increasing in the development process. In our setting, if lending is more expensive, the corporate sector profit is lower, and thus accumulates less capital over time.

Joaquim and Sandri (2019) articulate the distinction between the static and dynamic distortions clearly. For the local level of bank competition (or any credit policy in general) to maximize current output, the average productivity in the economy where each manager's productivity level is weighted by their leverage. On the other hand, in the steady state, bank competition affects output by the static channel and though the reduction in the aggregate cost of finance (Lemma 3 in Joaquim and Sandri (2019)). Although we do not provide a dynamic model in this paper, we compute the implications of bank competition to corporate profits and thus to the capital accumulation channel in Itskhoki and Moll (2019) and Joaquim and Sandri (2019).

## III. Semi-elasticity of demand for bank credit and testable implications

In this section we test the predictions of the model in Lemma 1 and 2 in the data. For that, we must first estimate the semi-elasticity of demand, which is a sufficient statistic for the partial

Table 10: Semi-elasticity of demand for bank credit (36mo window)

|  | $\ln \left(\right.$ Credit $\left.^{\text {Pr }}\right)$ | $\ln ($ Credit $)$ |
| :---: | :---: | :---: |
| Spread $^{P r}$ | $-0.0317^{* *}$ |  |
| Spread | $(.0041)$ |  |
|  |  | $-0.0295^{* *}$ |
| Controls | Y | $(.0046)$ |
| Month $\times$ Region FE | Y | Y |
| Municipality FE | Y | Y |
| Obs | 268,725 | 268,725 |

Note: $* *, *,+$ indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). The table shows the average causal effect, that is, the coefficient $\delta_{I V}$ from Eq.(3) estimated at the month-municipality level using 2005-2015 data from 12 months before and 36 months after the M\&A episode (excluding the first 12), as described in Sections II and III. For variable definitions, treatment/control definition, and fixed effects see notes of Table 2.
equilibrium effect of concentration on spreads and output.
We estimate the semi-elasticity and elasticity of demand by using an empirical version of Eq. (11) given by Eq.(19), where we separate local wealth in fixed effects and an error with local productivity, which is correlated with spreads in that market.

$$
\begin{equation*}
\ln \left(\text { Credit }_{m, r, t}\right)=\gamma_{m}+\gamma_{r, t}+X_{m, r} \beta_{t}+\eta^{r} \text { Spread }_{m, r, t}+\varepsilon_{m, r, t} \tag{19}
\end{equation*}
$$

Our coefficient of interest is $\eta_{r}$, the semi-elasticity of demand for credit. As spreads are potentially endogenous, we supplement Eq.(19) with the first stage equation Eq.(20), where we instrument spreads with exposure to the M\&A episodes.

$$
\begin{equation*}
\text { Spread }_{m, r, t}=\gamma_{m}+\gamma_{r, t}+X_{m, r} \beta_{t}+\delta_{0} T_{m, r, t}+\delta_{P O S T} T_{m, r, t} \times P_{m, r, t}+\vartheta_{m, r, t} \tag{20}
\end{equation*}
$$

where $T_{m, r, t}$ and $P_{m, r, t}$ are treatment and post M\&A episode, respectively, as explained in more detail in Section III. In this section, we focus on the results for windows of 18 months before and 36 months after the M\&A episode, as we want a window that is large enough such that all effects are realized, but potentially not too large (as 48 months) to allow for other changes in market structure at each market. The results of estimating Eqs. (19)-(20) are in Table 10. We estimate that for an increase in interest rates of 1 percentage point, the demand for credit falls $3.17 \%$. The results are consistent considering only loans for private banks or both public and private banks. From now on, we use $\hat{\eta}=3.17 \%$.

Given an estimate for $\eta$, we can use the results in Lemma 1 and 2 to recover partial equilibrium implications of the model, or calibrate a full version of the model to recover the general equilibrium effects of a simulated M\&A episode. We present both exercises in this

Table 11: Data vs model predictions: concentration, spreads and payroll

|  | Spread ${ }^{\text {Pr }}$ | Payroll | PE | GE |
| :---: | :---: | :---: | :---: | :---: |
| $H H I^{\text {Pr }}$ | $\begin{gathered} 29.2904^{*} \\ (5.9367) \end{gathered}$ |  | $\begin{gathered} 31.54 \\ (.7048) \end{gathered}$ | $\begin{gathered} 32.42 \\ (.5981) \end{gathered}$ |
| Spread |  | $\begin{gathered} -.0034^{*} \\ (.0015) \end{gathered}$ | $\begin{aligned} & -.0045 \\ & (.4863) \end{aligned}$ | $\begin{gathered} -.0036 \\ (0.9184) \end{gathered}$ |
| Controls | Y | Y |  |  |
| Month $\times$ Region FE | Y | Y |  |  |
| Municipality FE | Y | Y |  |  |
| Obs | 266,098 | 226,243 |  |  |

Note: $* *, *,+$ indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). The table shows the average causal effect, that is, the coefficient $\delta_{I V}$ from Eq.(3) estimated at the month-municipality level using 2005-2015 data from 12 months before and 36 months after the M\&A episode (excluding the first 12). The second stage dependent variable is in the header of each column. This table uses data from all municipalities, even those we do not use in our benchmark sample. Payroll is computed as the multiplication of total employment and average annual wage of all workers employed at a given month computed from RAIS. HHI ${ }^{P r}$ is computed using stock of credit information on private banks from ESTBAN. For other variable definitions, treatment/control definition, and fixed effects see notes of Table 2. Columns 3 and 4 have the partial equilibrium ( PE ) and general equilibrium (GE) predictions and $p$-values in parenthesis. For more details on how the PE predictions are computed, see Section III. For calibration, model solution and GE predictions, see Appendix G.
section, but as shown in Section IV, the effect on wages is less significant than the effect on employment, and the partial and general equilibrium predictions are close for an M\&A episode. We calibrate the leverage parameters $\lambda_{o}$ and $\lambda_{b}$ to match two moments: external finance over output and share of bank loans competitively provided. We calibrate the labor supply elasticity to match the relative response of wages to total payroll in the data. For details on parameters and numerical solution of the general equilibrium model, see Appendix G.

We estimate the effect of concentration on spreads with spreads in the left hand side and concentration in the right hand side of Eq.(19). We use the exposure to mergers as a shifter for concentration in the first stage. Column 1 of Table 11 displays the estimated effect of changes in concentration on changes in spreads. Columns 4 and 5 show the partial and general equilibrium predictions and the p-value associated with testing if the estimated effect is equal to the model predicted effect. As we can see in Columns 4 and 5, we fail to reject our model implication on the relationship of concentration and spreads in Lemma 1. This relationship is not mechanical: it appears as the result of our Cournot competition assumption and bank optimization (Lemma 1) given the demand structure.

We also test the model implications for the relation between lending spreads (or lending rates, given that our estimation includes time fixed effects) in terms of total payroll, i.e., the
prediction in Lemma 2. The results are in Columns 2 and 3 of Table 11. Columns 4 and 5 have the predicted effect on total payroll in partial and general equilibrium and the p-values of testing the model implications in parenthesis. The effect on partial equilibrium is given by the multiplication of the semi-elasticity (-3.17) and the share of capital that is competitively provided by banks, $14 \%$ (see Appendix G). The general equilibrium effect uses a calibration based on aggregate data and the relative response of wages and employment - i.e., we do not calibrate the level of responses, which is exactly what we test on Table 11. Overall, the results in Table 11 highlight that our model is quantitatively consistent with the data in the two key moments we are interested, namely: (i) the relation of concentration and spreads, and (ii) the effect of spreads and output.

## IV. Counterfactuals

In Section III, we showed that our model successfully replicates key moments in the data. We now use to model conduct three counterfactual exercises that vary the level of local competition in banking markets. First, we solve the model with one extra bank in each market (that has a cost equivalent to the market average). Second, we solve the model considering what would happen if public banks were actively competing with private banks. Third, we solve the model assuming that spreads on all markets falls to the current world level of 5.43 percentage points. The idea of the first and second counterfactuals is to focus on feasible changes in local bank competition, while the third provides a benchmark of how bank competition is relevant for welfare.

Before diving into aggregate responses, we focus on the specific effect of concentration in our model. Consider the first counterfactual: one extra bank in each market. The response for each market will depend on its concentration in the baseline. The competition return of the marginal bank is decreasing in the initial number of banks. For instance, in a model with $N$ symmetric competitors, the concentration is $1 / N$, and thus an entry shifts concentration from $1 / N$ to $1 /(N+1)$. For a market going from a monopoly to a duopoly, this implies that concentration changes from 1 to .5 , while a market going from 4 to 5 banks concentration goes from . 25 to .2. As in our model local concentration is what determines spreads (Lemma 1) and spreads affect output (Lemma 2), the effect of the marginal bank will be increasing (and convex) in initial concentration. ${ }^{26}$ To recover aggregate responses, we aggregate individual market responses using population as weights.

We present our results in Table 12. We show the effect of each counterfactual exercise considering on four outcomes: output, bank capital, wages and profits of the corporate sector as a share of output. In Panel A of Table 12 we show that one extra bank locally can increase

[^18]Table 12: Aggregate counterfactual outcomes

|  | $\% \Delta \mathcal{Y}$ | $\% \Delta \mathcal{K}_{B}$ | $\Delta \frac{\Pi}{Y}$ | $\% \Delta w$ | $\Delta$ Spread |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Partial Eq. General Eq. | Panel A. One Extra Bank |  |  |  |  |
|  | 2.44 | 14.04 |  |  | -4.43 |
|  | 1.32 | 13.75 | . 96 | 0.55 | -4.43 |
|  | Panel B. Public Bank Competition |  |  |  |  |
| Partial Eq. | 1.79 | 10.46 |  |  | -3.3 |
| General Eq. | 0.97 | 10.24 | 0.66 | 0.4 | -3.3 |
|  | Panel C. Spreads at World Level |  |  |  |  |
| Partial Eq. | 8.96 | 40.8 |  |  | -12.87 |
| General Eq. | 4.83 | 39.7 | 6.51 | 2.02 | -12.87 |

Note: Percentage changes in Output, $\% \Delta \mathcal{Y}$, bank capital, $\% \Delta \mathcal{K}_{B}$, wages, $\% \Delta w$, and percentage points changes in profits of all firms over GDP , $\Delta \frac{\Pi}{Y}$, and spreads, $\Delta$ Spread, for each of our counterfactual exercises. For details on the model, see Section V. For details on the numerical solution, calibration and specifics of each counterfactual see Appendix G.
competitive bank capital by $13.75 \%$ and has an effect of $1.32 \%$ in output. The effect on output is modest compared to the effect on competitive bank capital (9\%) due to fact that approximately only $14 \%$ depends on bank capital in our calibration. In Panel B of Table 12 we show the effect of increasing competition level by allowing public banks to actively compete with private banks. As studied in Coelho, De Mello and Rezende (2013) and Sanches, Silva Junior and Srisuma (2018), public banks are not directly competing with private counterparts in Brazil. We assume in here that public banks competing would change the concentration we observe for competitively provided loans to the concentration of all loans we observe in the sample (including those from government programs etc.). ${ }^{27}$ We find that this feasible change in local concentration could increase output by almost $1 \%$. If spreads fell to 5.43 p.p. in all banking markets in Brazil, we would observe an increase of bank capital of almost 40\%, which would translate to a $4.83 \%$ output gain (Panel C).

Finally, we also show that the dynamic savings channel of Itskhoki and Moll (2019) is relevant in all of our counterfactuals, although a quantitative dynamic statement is outside the scope of this project. For instance, one extra bank increases profits over output for the corporate sector in 0.96 percentage points, which will then lead to more savings and investment in the future.

[^19]
## V. Efficiency gains

Although we find limited efficiency gains in our sample by comparing municipalities with only one bank involved in the M\&A with those with none, there is evidence that banks can increase their efficiency (e.g., Jayaratne and Strahan (1996) and Sapienza (2002)) following mergers in different settings. We provide now an extension of our model that can encompass changes in efficiency by merging banks and weight the efficiency channel of mergers versus the local competition channel of this paper. From Lemma 1, we can write the levels of spreads in each market according to

$$
s_{m}=c_{m}+\frac{H H I_{m}}{\eta}
$$

Spreads are composed by the market share weighted cost of providing loans, $c_{m}$ and the concentration/semi-elasticity term. Therefore, if a shock affects costs and concentration together, we have that spreads in market $m$ will change according to Eq.(21)

$$
\begin{equation*}
\Delta s_{m}=\Delta c_{m}+\frac{\Delta H H I_{m}}{\eta} \tag{21}
\end{equation*}
$$

So far, we assumed that $\Delta c_{m}=0$, i.e., that the cost of banks involved in mergers was not affected by the merger. When $\Delta c_{m} \neq 0$, we will have that the $M \& A$ will have two effects: the increase in concentration, that increases spreads, and the potential efficiency gains, that decreases spreads. Municipalities with both banks involved in the merger will be subject to both - and which effect is larger will determine the net result. Municipalities with one bank involved in the merger are only subject to the efficiency gains, and thus spreads will decrease. The net aggregate effect of a merger will thus depend on the relative share of municipalities with both and only one of the banks involved in the merger.

To quantitatively assess the effect of potential efficiency gains and reduction in local competition, we conduct one final counterfactual exercise. For simplicity, we assume that before the merger, all banks had a cost

$$
c_{b, m}=\bar{c}+\bar{c}_{m}
$$

that is, all banks in a given market had the same cost $\bar{c}$ across markets and there is a market specific cost $\bar{c}_{m}$. We assume that, among the many banks in our economy, there are two banks, $A$ and $B$, that are merging, and their costs post merger will be given by $\hat{c}_{b, m}=\bar{c}(1-\chi)$, where $\chi \in[0,1]$ for $b=A, B$. The parameter $\chi$ represents the percentage reduction in costs: for $\chi=1$, the costs of banks post merger would be zero. In this case, the market share of the merging banks will increase, and market share weighted costs will reduce by more than $\chi$. We also consider a scenario where the cost of all banks in market $m$, not only $A$ and $B$, is reduced by $\chi$. The idea is to capture a situation where due to banks $A$ and $B$ efficiency gains, other banks
look for avenues to increase their efficiency and thus the banking system as a whole becomes more efficient.

The term $c_{b, m}$ in our model captures the marginal cost of a loan apart from the funding cost of the bank, $r$. For the purposes of this exercise, we will consider that this cost is comprised of two terms: defaults and administrative costs of banks. According to the BCB, these two terms are responsible for $65 \%$ of spreads - which we use in our calibration to estimate $\bar{c}{ }^{28}$ A reduction in $c_{b, m}$ thus means that either the bank becomes more efficient in screening or recovering collateral, or simply that it reduces its administrative costs of reducing the loans. See Appendix G for details on calibration and computation of counterfactuals.

We present our results in Figure 5. We plot the percentage increase in aggregate output $\mathcal{Y}$ for municipalities with only one or both of the merging banks when only the merging banks increase their efficiency (Left Panel) or when the banking system as a whole increases their efficiency (Right Panel) by $\chi$. We see in the left panel of Figure 5 that for those municipalities with both banks involved in the merger, even efficiency gains of $50 \%$ are not enough to compensate for the loss from higher concentration. The intuition is that the loss from higher concentration affects the market as a whole, while the efficiency gains of these two banks is not enough to sufficiently move the cost of the market, even when they gain market share in equilibrium. In the right panel of Figure 5, we assume banks not directly involved in the merger respond to it by increasing their efficiency by the same amount as the merging banks. In this scenario, a cost of reduction of almost $30 \%$ would be needed to compensate for the increase in local concentration.

From Figure 5, it is clear that the aggregate effect of an M\&A with efficiency gains depends on the share of municipalities with both banks involved in the merger and those with only one. We can take the observed 2018 physical presence of any two banks in Brazil to evaluate what would happen to output in case they decided to merge. For this exercise, we choose Itaú-Unibanco and Santander, the first and third largest private banks in Brazil in 2018. The municipalities with one or both of these banks in 2018 are displayed in Figure G.2. In our sample, $74 \%$ of the population are located in markets that have at least one branch from Itaú-Unibanco, $67 \%$ have at least one branch from Santander, and $64 \%$ at least a branch of both. The aggregate effect using the distribution of municipalities affected by this merger is in Figure 5. With no efficiency gains from the merging banks, the impact on competition would reduce aggregate output by over $-0.4 \%$. To compensate for this loss, we estimate that efficiency gains from merging banks would have to be close to $40 \%$.

[^20]Figure 5: Percentage change in aggregate output from an M\&A: local competition and efficiency gains


Note: Percentage change in aggregate output (aggregated across banking markets) following an M\&A with potential efficiency gains. The efficiency gains are measured by the parameter $\chi$, which presents the percentage reduction in administrative and default costs from banks. The effects are computed (i) for municipalities that had only one of the merging banks (continuous blue line), and thus are only subject to the cost reduction effect on spreads, (ii) for those that had both banks (dotted red line), and (iii) using the empirical distribution of municipalities with one or both banks considering branch data from Itaú-Unibanco and Santander as if they were to merge (dashed yellow line). We plot the results in two scenarios: in the left panel we show the case in which only the merging banks become more efficient and in the right panel we show the case in which the banking system as a whole becomes more efficient. For details on the model, see Section V. For details on computation and details on the counterfactual, see Appendix G.

## VI. Conclusion

This paper presents new evidence on the causal effect of bank competition on financial and real outcomes using a comprehensive dataset of loans and firms in Brazil. We use heterogeneous exposure to M\&A episodes between large banks to identify the effect of bank competition in a DiD setting.

Two empirical results stand out. First, we show that a reduction in bank competition is responsible for a significant increase in lending spreads (the difference between lending rates and deposit rates) and decrease in credit volume. This decrease in volume occurs fully through the extensive margin - i.e., less loans in equilibrium, and not smaller loans. We show that our results are robust in various dimensions and not driven by other channels, such as branch closures and bank-firm relationships.

We also do not find a similar impact of M\&A episodes when comparing markets with only one of the merging banks against those with zero. This is further evidence that competition is the main driver of our results. Second, we show that the effect on spreads and credit carries over to the real economy. We show that employment decreases substantially across sectors. Importantly, we do not observe an effect in the agricultural sector, which has more than $75 \%$ of credit allocated through government programs and subsidies, and thus should not respond to changes in bank competition.

We propose a model of bank competition and show that the semi-elasticity for the demand for credit is a sufficient statistic for the effect of competition (and, in the model, concentration) on spreads and the effect of spreads on output. Using the exposition to M\&A episodes as a supply shifter, we estimate this semi-elasticity to be around -3.17 . We take the model implications to the data and fail to reject them. We then use the model to conduct counterfactual exercises. If spreads fell to the world level in all markets, for instance, we would observe a $4.83 \%$ increase in output and 6.51 percentage points increase in profits of the corporate sector over GDP. Finally, we show that potential efficiency gains from M\&As would have to be large to compensate for the reduction in local bank competition.

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## Appendix

## A. Dataset construction

In this section we provide details on the data.

## Data sources for descriptive statistics throughout the text.

- 5 largest banks asset share: World Bank Global Financial Development Database.
- Finance as a major constraint and share of investments financed with banks: World Bank Enterprise survey.
- External Finance: Beck, Demirgüç-Kunt and Levine (1999), available in World Bank Financial Structure Database. External funding defined as sum of bank credit, private bond market and stock market capitalization (Moll (2014)).
- DOJ's HHI criteria: The U.S. Department of Justice guidelines indicates that markets with an HHI above .25 are very concentrated, see here.
- World Spreads: World Bank WDI dataset.
- Share of credit subsidized in agriculture: BCB time series management system

Credit registry. For each loan in SCR, we have various characteristics and entries in the dataset that are relevant for our analysis. We start this section by explaining each of them and how they enter into our final dataset. We drop the loan if it has either missing or negative value in any of these variables.

- Loan index rate and base rate: loans in the data can have several interest rate structures, such as inflation + premium, LIBOR + premium etc.. The loan index rate variable shows what is the economic indicator (if any). We observe the economic indicator (inflation, LIBOR, target rate etc.) and the premium (which is denoted the loan base rate). We use the observed value of the economic indicator to compute the final interest rate of each loan by summing the value of the indicator with the premium (loan base rate). We exclude loans with negative or larger than 1000 \% (yearly) interest rates.
- Loan resource: loans in the data can be either funded with government resources (even in private banks) and by using the bank's own resources. We keep only the second type of loan - given that loans with government resources are subject to several allocation regulations and interest rate caps - and drop those that do not have any resource information.
- Firm size: firms in the dataset are divided in four categories: micro, small, medium, large, depending on the gross revenue in a given year. In our sample, we call a small firm what the BCB defines as a micro firm (i.e., their smallest category). ${ }^{29}$

[^21]- Loan type: loans are classified according to their intended usage by firms (working capital, export financing etc..). We use this information to exclude real-state loans and loans to banks from our sample.
- Firm industry: firms are classified according to IBGE's sector classification, called CNAE (Classificação Nacional de Atividades Econômicas). We use the first two digits of the CNAE code and match the sector of the firm to those in Mian and Sufi (2014). We use IBGE's CNAE classification. ${ }^{30}$ We use the first 2 digits of the CNAE code to determine the industry of a firm according to Table A.1.

Table A.1: Sector classification from the 2 first digits of CNAE code

| Sector | Cnae (2 first digits) |
| :---: | :---: |
| Agriculture | 1 |
| Construction | $16,41-43,71$ |
| Tradable | $5-8,10-13,15,22-31$ |
| Non-Tradable | $45-4755-56$ |

- Maturity: From the loan start/end date, we compute the maturity of loans in our sample in terms of days. We exclude loans with maturities of less than one day
- Loan size: To compute the loan size, we use the total of the amount outstanding, unreleased and credit line, that is: the total amount available for the firm.
- Loan rating: Loans in our dataset have a rating system. Resolution 2,682/1999 of the BCB established that all financial institutions should classify their credit exposures into nine levels of risk, varying from $A A$ and $A$ to $H$. Rating $A A$ represents the best rating a loan can achieve (lowest credit risk) and $H$ represents the worst rating a loan can be assigned (highest credit risk). All banks have to maintain an internal credit rating scheme based on the guidelines set by the Central Bank. We keep only loans with ratings from $A A-C$, as loans classified $D$ or lower are those already in default/renegotiation. Loans from category $A A$ have zero provisions for default, while those at $C$ (lowest in our sample) have $3 \%$ provisions. ${ }^{31}$
- Default: Loans in our sample are considered in default if they are more than 90 days late. To create a time-structure for defaults for the DiD analysis, loans are determined to be in default if they are in default one year later than the loan start date.

To avoid results driven by outliers, we winsorize our sample by removing the $1 \%$ highest and lowers interest rates and loan amounts (at the loan level). In the data, there are several dates associated with each loan: loan start/end date, firm start date, and bank-firm start date (first loan recorded). Each loan can appear more than once in the sample: every time a credit line is used, for instance, or when a loan goes into default it reappears in the sample. Additionally, some data provided by the banks can contain errors. Therefore, for each month-year, we determine loans to be part of our sample if all of the conditions below are satisfied:

[^22]1. Firm start date is earlier than firm-bank relationship start date.
2. Firm-bank relationship start date earlier or equal than loan start date.
3. Loan start date earlier or equal than loan end date.
4. Loan start date equals to the month and year in question.

Relationship loans. A loan is defined a relationship-loan if the firm-bank relationship start date is at least two years before the current loan.

Aggregation. We aggregate loans to zip codes (5 digits) by using the firm zip code, and then aggregate to the municipality level by using data that links which zip code belongs to each municipality. For 81 out of 20,334 5-digit zip codes, the 5-digit zip code is divided between two municipalities. In this case, we allocate the share of loans for each municipality randomly corresponding to the share of 8 digit zip codes that is in each municipality.
Unicad. Unicad contains bank and conglomerate ids over time, as well as bank ownership (public vs private, for instance). For banks without conglomerate data, we assume that the conglomerate id is the same as the bank id. If bank ownership data is missing, we assume that the bank is a private bank. All major public banks in Brazil are captured by this definition.

Estban. ESTBAN contains the balance sheet of each banking conglomerate as well as the number of branches per municipality. To determine the amount of credit, we use the following accounting entry: verbete_160_operacoes_de_credito, which translates to "credit operations" in the asset of each bank. ${ }^{32}$ ESTBAN has two measures of branches: expected and realized. We use the realized measure of branches in a given year.
RAIS and IBGE. The labor market dataset, RAIS, is available publicly (without worker or firm identifiers). We drop firms that are not operating or that have zero registered employees. ${ }^{33} \mathrm{Mu}$ nicipality level output and population is available at IBGE's Sidra system. ${ }^{34}$

M\&A episodes and alternative measure. The M\&A episodes that we have following the ownership criteria from the main text are in Table A.2.

[^23]Table A.2: M\&A episodes from conglomerate identifiers

| Target | Buyer | Date Unicad | Approval(s) |
| :---: | :---: | :---: | :---: |
| BBVA BRASIL | BRADESCO | $05 / 2003$ | $05 / 2003$ |
| BANCO DO MARANHAO | BRADESCO | $01 / 2004$ | $02 / 2004$ |
| BANCO DO CEARA | BRADESCO | $12 / 2005$ | $12 / 2005$ |
| INTER AMEX | BRADESCO | $05 / 2006$ | $05 / 2006$ |
| BANKBOSTON | ITAU | $08 / 2006$ | $08 / 2006$ |
| UBS | UBS PACTUAL | $11 / 2006$ | $11 / 2006$ |
| BMC | BRADESCO | $08 / 2007$ | $08 / 2007$ |
| ABN AMRO REAL | SANTANDER | $07 / 2008$ | $07 / 2008$ |
| BANCO DE SANTA CATARINA | BANCO DO BRASIL | $08 / 2008$ | $02 / 2009$ |
| UNIBANCO | ITAU | $10 / 2008$ | $08 / 2010$ |
| BONSUCESSO | SANTANDER | $01 / 2015$ | $01 / 2015$ |
| HSBC | BRADESCO | $06 / 2016$ | $06 / 2016$ |

Note: M\& A episodes in our sample constructed directly through bank conglomerate changes in Unicad Dataset. We define an M\&A episode as a situation where (i) one bank has changed conglomerates and has more than 10 bn Brazilian Reais in assets, (ii) the conglomerate of this bank exits the market. The date of the episode is the date the bank changes conglomerates in Unicad. We suppose that the bank conglomerate that changed its code is the target, while the one that kept their code is the acquirer. Approvals date are dates where both the ВСВ and CADE have approved the merge.

As exposure to M\&A episodes is key in our paper, we construct an alternative measure for robustness. Since there are no large bank exits in Brazil from 2005-2015, we indirectly identify a M\&A in our sample if both of the following conditions are satisfied:

1. The financial conglomerate had at least $10 \%$ market share in at least $10 \%$ of the markets.
2. The financial conglomerate in the database had a reduction of $95 \%$ in loan volume for $99 \%$ of the markets. between two years

The idea of condition 1 is to pin down large enough banks that either merged or were acquired, while the idea of condition 2 is to determine if this conglomerate stopped providing loans in all markets. Results are robust to variations in the thresholds above. A market us exposed to an episode if it had the bank that exited the market satisfying the conditions above. The advantage of our main measure is transparency, even though we may lose a potential M\&A episodes is both banks change their conglomerate ids, for instance. The advantage of this alternative, more indirect measure, is that we capture directly exits in the market, but at the cost of transparency and identifying which banks were involved in an M\&A episode. Overall, the measures are extremely close, with a correlation of .8 and our results are robust to the use of either (available upon request).
Concentration histograms. We compare now the concentration distribution from ESTBAN (measured from bank-level balance sheet) and the credit registry (SCR). Figure A. 1 shows the histogram of HHI and HHI of private credit across municipalities in Dec/2010 considering ESTBAN data. From Figure A. 1 we see that a large share of the municipalities that have at least one private bank in Brazil have exactly one bank, and only a few markets are not very concentrated ( $H H I<.25$ ). In Figure A.2, we present the histogram of HHI and HHI of private credit in Dec/2010 according to the SCR data.

Figure A.1: Market concentration (HHI) in Dec/2010


Note: HHI index distribution for Brazilian municipalities in Dec/2010. Data comes from ESTBAN and the level of credit is computed through the municipality-month balance sheet of banks (stock, excludes only real estate loans). HHI of private banks computed by excluding public banks for each municipality. See Appendix A for details. The vertical red line indicates .25 , which is the DOJ threshold to define very concentrated markets.

Figure A.2: Market concentration (HHI) in Dec/2010 (SCR)
(a) HHI (Total)
(b) HHI (Private)



Note: HHI index distribution on new credit for Brazilian municipalities in Dec/2010. Data from the credit registry (SCR) for new loans to firms. HHI of private banks computed by excluding public banks for each municipality. See Appendix A for details. The vertical red line indicates .25 , which is the DOJ threshold to define very concentrated markets.

## B. Case study: Itaú-Unibanco

In this section we show a case study of the largest merger in our sample - the merge between Itaú and Unibanco. At the moment the merger, Itaú was the second largest private bank in Brazil, while Unibanco was the third. Before the merger, Itaú and Unibanco had jointly over 3600 branches, which represented $36 \%$ of branches from all private banks in Brazil (and $20 \%$ of all branches, including public banks). Jointly, the banks had a $24 \%$ market share in private credit. The new bank, creatively named Itaú-Unibanco, was among the 20 largest banks in the world and had close to 1

Figure B.1: Stock of private credit over time: Itaú-Unibanco merger


Note: Time dummies $\gamma_{t}$ from Eq.(22) with $\log$ of total private credit as an outcome, estimated at the monthmunicipality level. Standard errors computed clustering by municipality (treatment unity). Bars show 90\% confidence intervals. Treatment municipalities are those that had at least one branch of both Itaú and Unibanco at Oct/2008, when merger is announced. The data for this figure comes from the publicly available ESTBAN dataset (see Section II), and represents the stock of credit at the municipality level for firms and households (excluding real estate). The vertical lines represent the following dates in the merger: Oct/2008 is the date the merger is announced, Feb/09 is when the BCB approval, and Aug/2010 is the CADE approval (final approval).
trillion Brazilian Reais in assets. The Itaú-Unibanco merger was announced of Oct/2008, approved by the Brazilian Central Bank in Feb/09 and finally approved by the antitrust authority (CADE) in Aug/2010. Before diving into our main results, we show the trajectory of the outstanding volume of private credit in local markets around the main merger in our sample (Itaú-Unibanco) from the ESTBAN data. Figure B. 1 shows the results of estimating Eq.(22)

$$
\begin{equation*}
\ln \left(\text { Credit }_{m, t}^{P r}\right)=\gamma_{m}+\gamma_{t}+\varepsilon_{m, t} \tag{22}
\end{equation*}
$$

for subsamples of treatment and control municipalities considering the Itaú-Unibanco merger specifically. Figure B. 1 shows that credit follows an almost identical trajectory in exposed and non-exposed municipalities before the merger, that is, we find no evidence of pre-existing trends. We see an initial effect on credit after the BCB approval and a larger one after the CADE (final) approval. In our benchmark estimation, we used the second vertical line, the date after all approvals, as the date of the M\&A episode.
We use the same identification strategy and interpretation as in Section III for this case-study, but focusing on the unique merger of Itaú-Unibanco. Through this section, we thus estimate Eq.(23)

$$
\begin{equation*}
y_{m, t}=\alpha_{m}+\alpha_{r, t}+\sum_{\tau} \delta_{\tau} \mathcal{I}_{m, t-\tau}+\varepsilon_{m, t} \tag{23}
\end{equation*}
$$

where $y_{m, t}$ is the outcome of municipality $m$ in month $t, \alpha_{m}$ are municipality fixed effects, $\alpha_{r, t}$ are region-time fixed effects and $\mathcal{I}_{m, t-\tau}$ is a dummy variable that is one if municipality $m$ was exposed

Figure B.2: Itaú-Unibanco branches


Note: Coefficients $\delta_{\tau}$ from Eq.(23) with Itaú-Unibanco Branches (per 100,000 inhabitants) as an outcome, estimated at the month-municipality level. Standard errors computed clustering by municipality (treatment unity). Bars show $90 \%$ confidence intervals. Exposed municipalities are those that had at least one branch of both Itaú and Unibanco at Oct/2008, when merger is announced. All of the data for the case study comes from the publicly available ESTBAN dataset (see Section II). The vertical lines represent the following dates in the merger: Oct/2008 is the date the merger is announced, Feb/09 is when the BCB approves, and Aug/2010 is the CADE approval (final approval). Regression weighted by population in 2005.
to the Itaú-Unibanco merge at $t-\tau$. Under the identifying assumptions, the $\delta_{\tau}$ 's coefficients in Eq.(23) are the effect of changes in competition over time on the exposed municipalities (treatment effect on the treated). According to the BCB rules, no bank identifying information from the credit registry can be used, so we use only publicly available municipality level balance sheet data (ESTBAN) form banks in this case study. We focus on branches and credit (total and from Itaú-Unibanco only) as outcomes.
First, we can see in Figure B. 2 that there is no pre-trend and no long-term significant effect on branches per 100,000 inhabitants. Even though though there is a restructuring process where the number of branches increases after the merger, all of the increase is eventually undone and the number of branches is close the the pre-merger level. In fact, we observe in the data that various of the new branches are in exactly the same address as the old ones - i.e., are not in fact new.
Second, we focus on the credit from Itaú-Unibanco versus other private and other public banks pre and post merger. We can see in Figure B. 3 that other private banks reduce their credit between exposed and non-exposed municipalities, but less so than Itaú-Unibanco, while cred from public banks increases. This is consistent with changes in local competition. For other private banks, the are conflicting channels at play. The merger increases their own market power and potentially increases the efficiency or merged banks (Jayaratne and Strahan (1996)), which would lead them to decrease quantities in equilibrium. On the other hand, if merged banks reduce their credit level, more clients are available and other private banks increase their credit supply. For public banks, the later channel seems to be the dominant one, which is consistent with the evidence in Sanches,

Figure B.3: Total credit: Itaú-Unibanco and other banks



#### Abstract

Note: Coefficients $\delta_{\tau}$ from Eq.(23) with Itaú-Unibanco, Other private Banks, and Public Banks log of credit stock as an outcome, estimated at the month-municipality level. Standard errors computed clustering by municipality (treatment unity). Bars show $90 \%$ confidence intervals. Exposed municipalities are those that had at least one branch of both Itaú and Unibanco at Oct/2008, when merger is announced. All of the data for the case study comes from the publicly available ESTBAN dataset (see Section II). The vertical lines represent the following dates in the merger: Oct/2008 is the date the merger is announced, $\mathrm{Feb} / 09$ is when the BCB approves, and Aug/2010 is the CADE approval (final approval). Regressions are weighted by population in 2005.


Silva Junior and Srisuma (2018) that public banks are not directly competing with private banks in Brazil.

Third, we provide a visual representation of the merger effect with more or less banks in the baseline. We separate the treatment and control municipalities in those with 3 or less private banks or 5 or more private banks at the moment of the merge and re-run our analysis. We can see in Figure B. 4 that the effect is larger when there are less banks in the baseline, that is, the marginal bank is more relevant for credit outcomes when there are less banks competition, as observed in our benchmark results in Table 3. There is no pre-trend and for both the effect is persistent. Quantitatively, the effect with 3 or less private banks is approximately 2.5 times larger.
Finally, we show that the initial market share of Itaú and Unibanco combined has no persistent effect in terms of the total quantity credit in a munipality beyond the exposure, that is, we estimate

$$
\begin{equation*}
y_{m, t}=\alpha_{m}+\alpha_{r, t}+\alpha_{r, t} \times \mu_{I U}+\sum_{\tau} \delta_{\tau} \mathcal{I}_{m, t-\tau}+\sum_{\tau} \delta_{\tau}^{\mu} \mu_{I U} \mathcal{I}_{m, t-\tau}+\varepsilon_{m, t} \tag{24}
\end{equation*}
$$

where $\mu_{I U}$ is the combined share of Itaú and Unibanco in Oct/2008 and plot the coefficients $\delta_{\tau}^{\mu}$ in Figure B.5. There is a large positive differential effect of a large market share of Itaú and Unibanco on total credit right after the M\&A announcement, but this effect eventually becomes zero and is not significant 5 months after BCB approval of the merger in Feb/2009. Taken together, we observe that the results obtained in using the SCR (credit registry) in terms of credit volume, heterogeneous competition in the baseline and relationship lending are also present in the case

Figure B.4: Credit from Itaú-Unibanco and number of banks in the baseline


Note: Coefficients $\delta_{\tau}$ from Eq.(23) with Itaú-Unibanco log of credit stock as an outcome, estimated at the monthmunicipality level for two different subsamples: (i) municipalities with at least 5 private banking conglomerates in the Oct/2008 and (ii) those with no more than 3. Standard errors computed clustering by municipality (treatment unity). Bars show $90 \%$ confidence intervals. Exposed municipalities are those that had at least one branch of both Itaú and Unibanco at Oct/2008, when merger is announced. All of the data for the case study comes from the publicly available ESTBAN dataset (see Section II). The vertical lines represent the following dates in the merger: Oct/2008 is the date the merger is announced, Feb/09 is when the BCB approves, and Aug/2010 is the CADE approval (final approval). Regression weighted by population in 2005.

Figure B.5: Total credit: differential effect of Itaú-Unibanco market share in the baseline


Note: Coefficients $\delta_{\tau}^{\mu}$ from Eq.(24) with log of credit stock from private banks as an outcome, estimated at the month-municipality level for two different subsamples: (i) municipalities with at least 5 private banking conglomerates in the Oct/2008 and (ii) those with no more than 3. Standard errors computed clustering by municipality (treatment unity). Bars show $90 \%$ confidence intervals. Exposed municipalities are those that had at least one branch of both Itaú and Unibanco at Oct/2008, when merger is announced. All of the data for the case study comes from the publicly available ESTBAN dataset (see Section II). The vertical lines represent the following dates in the merger: Oct/2008 is the date the merger is announced, Feb/09 is when the BCB approves, and Aug/2010 is the CADE approval (final approval). Regressions weighted by population in 2005.
study of the Itau-Unibanco merger using only publicly available data.

## C. Two-way fixed effects interpretation

There is a recent literature on interpreting two-way fixed effects models (e.g., Goodman-Bacon (2021), Callaway and Sant'Anna (2021)) when a DiD estimation relies on variation in treatment timing across units. Goodman-Bacon (2021) shows that the coefficient $\delta_{P O S T}$ in Eq.(2) is a combination of all of the two by two differences (between treatment and control and pre and post periods), and that some of these uses early treated units as a control for later treated units. With dynamic treatment effects (as we observe in Figure 3), our estimates for $\delta_{P O S T}$ could be smaller (in absolute value) than the true treatment effect.
We provide an alternative estimation method to verify that our results are not coming from a potentially erroneous interpretation and weighting in the two-way fixed effects model. Although in our benchmark estimation we rely on differential treatment time across units to estimate our effects, our setting is different than that from Goodman-Bacon (2021). For each merger, we observe which municipalities are affected by the merger-thus we can and thus we can use a control of only unaffected municipalities at each moment in time (relative to each merger). We use the stacking method of Gormley and Matsa (2011) and Deshpande and Li (2019) to control the treatment and control municipalities for each merger. We stack all of the datasets of treatment and control
municipalities for each merger $c$ to estimate Eq. (25)

$$
\begin{equation*}
y_{m, r, c, t}=\gamma_{m, c}+\gamma_{r, c, t}+\gamma_{s}+\delta_{0} T_{m, r, c, t}+\delta_{P O S T} T_{m, r, c, t} \times P_{m, r, c, t}+\varepsilon_{m, r, c, t} \tag{25}
\end{equation*}
$$

where $y_{m, r, c, t}$ is the outcome for municipality $m$, at region $r$, at time $t$, for merger $c$. We add the merger dimension to our previous set of municipality and region-time fixed effects, that is, we use $\gamma_{m, c}$ municipality-merger fixed effects and $\gamma_{r, c, t}$ as region-calendar time-merger fixed effects. We add the time difference to the merger fixed effects, $\gamma_{s}$, which captures the dynamics of treatment and control pre-and-post merger with respect to the the number of months $s$ relative to the merger. The variable $T_{m, r, c, t}$ is one if the municipality $m$ is treated in merger $c$ at time $t$. Finally, the variable $T_{m, r, c, t} \times P_{m, r, c, t}$ is one if the municipality $m$ is already treated in merger $c$ at time $t$ (i.e., the interaction of treatment with post periods).

We report our results in Table C.1. We conduct the stacked analysis using three different control and treatment samples. In Column 1 we use all municipalities, in Column 2 we use only municipalities never exposed to a merger as control (to avoid the 'bad' controls issue) and in Column 3 we drop the data from a treated municipality if it is treated again in a 36 month window after a merge to avoid double counting. All results are quantitatively equivalent to our benchmark estimates in Table 2.

Table C.1: Financial outcomes with stacking (36mo Window)

|  | $(1)$ | $(2)$ | $(3)$ |
| :---: | :---: | :---: | :---: |
| $\ln \left(\right.$ Credit $\left.^{P r}\right)$ | $-.173^{+}$ | $-.223^{*}$ | $-.2117^{*}$ |
|  | $(.0826)$ | $(.085)$ | $(.0768)$ |
| Spread $^{P r}$ | $5.0878^{*}$ | $6.5938^{* *}$ | $6.0711^{*}$ |
|  | $(1.9223)$ | $(1.9285)$ | $(2.1842)$ |
| Distance to Merge FE | Y | Y | Y |
| Month $\times$ Region $\times$ Cohort | Y | Y | Y |
| Municipality $\times$ Cohort FE | Y | Y | Y |
| Obs | $2,384,920$ | $1,941,967$ | 872,224 |

Note: **, *, + indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality-cohort (treatment unity). The table shows the treatment effect on the treated, that is, the coefficient $\delta_{\text {POST }}$ from Eq.(25) estimated at the month-municipality-merge level using 2005-2015 data from 18 months before and 36 months after the M\&A episode, as described in Sections IV. Regression outcomes are the log of total new credit, $\ln$ (Credit), and lending spreads (local interest rates minus country level deposit rate), Spread, from new loans in a municipality $m$, in region $r$ and time $t$. The superscript $\operatorname{Pr}$ indicates that the variables were computed using loans originated from private banks only. For each municipality, interest rates are aggregated using loan size as weights and loan volume corresponds to the sum of loan size for all loans. For each merger, we construct a sample of treatments and control units, and then stack all of them to estimate the desired effects, as described in Deshpande and Li (2019). Treatment municipalities for a given merger are those that had at least one branch of both banks at the time of the M\&A episode. All regressions include time-region-cohort (mesoregion IBGE concept) and municipality-cohort fixed effects, as well as a distance (in months) to the merger. Credit regressions are weighted by population in 2005 and spreads are weighted by credit volume from public banks in ESTBAN in 2005. Column 1 includes all municipalities, Column 2 uses only municipalities with zero mergers as part of the control group and Column 3 does not use the data of a municipality after it is exposed to a new merger inside the merger window of a different merger.

## D. Default and spreads

In this section we explore how much the effect on defaults can explain the increase in spreads we observe in the data. For that, we first introduce some notation. Let $\pi$ be the bank profit per unit of capital, $s$ the level of spreads, $p$ the probability of repayment, $r$ the deposit rate and $c$ the share of loans in default that is recovered. We can write the bank profit per unit of capital, $\pi$ as

$$
\pi=(1+s+r)[p+(1-p) c]-(1+r)
$$

The idea is that the bank must repay to depositors $(1+r)$ regardless. In case of repayment by the firm, the bank has a revenue per unit of capital $1+s+r$, and in case of default it recovers $c$ of the repayment owed to the bank. ${ }^{35}$ With values for $c, r, p$ and $s$, we can compute the bank profit per unit of capital and compare how it changes pre and post an M\&A episode. We use $s=35$ percentage points and $p=.98$ based on our markets in the sample. The results for $r=$ $13.75 \%$ (average over sample period), $c=.13^{36}$ for our sample of municipalities with less than 20 banks in Dec/2005 are that default adjusted spreads increase 4.2 p.p. (compared to 4.79 p.p.) 24 months after than M\&A episode, 5 p.p. (compared to 5.88 p.p.) 36 months afterwards and 5.5 p.p. (compared to 6.89 p.p.) 48 months afterwards.

An alternative way of considering the effect of defaults is to consider that defaults act instantly, while spreads are only fully accrued over the year. We use an approximation that our average maturity over the 365 days, $250 / 365 \approx .68$ of spreads are only accrued. In this case, for the 36 month window in our sample of municipalities with less than 20 banks in Dec/2005, we have that the increase in bank profit per unit of capital would be equivalent to an increase of 4.7 percentage points in spreads. Even if we ignore the increase in default is expected (as credit and employment are decreasing following a M\&A), at most $15-20 \%$ of the increase in spreads we observe can be attributed to the rise in defaults.

## E. GEOGRAPHIC spillovers

When focusing on local markets, the IO literature generally focuses on small, isolated markets (Bresnahan and Reiss, 1991). We do not make this restriction, since we want to understand the aggregate effect of bank competition. A natural question is, thus, what are the geographic spillover effects of an M\&A episode between large banks.

For concreteness, consider the northeast region of the state of Parana (Figure 1). This region is an example of a mesoregion in the Brazilian Census. Brazil has over 5,500 municipalities, aggregated across 558 microregions, which are themselves aggregated into 137 mesoregions. In our benchmark estimation, we use a municipality as the definition of a market and focus on the within

[^24]mesoregion variation (by controlling for time-mesoregion fixed effects). The microregions and municipalities are outlined Figure E.1.

Figure E.1: Microregions and merge exposure for the Northeast of Parana


Note: Exposure to the largest M\&A episode in our sample (Itaú-Unibanco), which received its final approval on Aug/2010, by microregion, in the mesoregion of the Northeast of Parana. A municipality is considered exposed to the episode if it has at least one branch (from ESTBAN) of both banks at the moment of the episode.

We compute the spillover effects of exposure to M\&A events by comparing the outcome of municipalities that are not directly exposed to the mergers, but that are in either microregions or mesoregions that are exposed. For instance, for the municipalities in Figure E.1, we would compare the outcomes of municipalities in the two microregions affected by the merger with outcomes in the unaffected microregion to estimate the micro-region level spillover. To estimate this effect, we estimate Eq.(2) with markets not exposed to a given merger, with the treatment intensity given by the number of merger episodes in the micro/meso region of the municipality. Specifically, for the microregion spillovers, we estimate Eq.(26)

$$
\begin{equation*}
y_{m, r, t}=\gamma_{m}+\gamma_{r, t}+X_{m, r, t} \beta+\sum_{n} \delta_{n} \mathbb{1}\left\{D_{m, r, t}=n\right\}+\delta_{P O S T} T_{m, r, t} \times P_{m, r, t}+\varepsilon_{m, r, t} \tag{26}
\end{equation*}
$$

where $D_{m, r, t} \equiv \sum_{m \in M_{r}} \sum_{\tau} \mathcal{M}_{m, r, t-\tau}$ represents the number of mergers municipality $m$, in a microregion $M_{r}$ in mesoregion $r$ is in the window analysis at time $t$, and the term $\sum_{n} \delta_{n} \mathbb{1}\left\{D_{m, r, t}=n\right\}$ is a dummy for each number $n$ of mergers in a region at a time $t$. The variable $T_{m, r, t} \times P_{m, r, t} \equiv$ $\sum_{m \in M_{r}} \sum_{\tau>0} \mathcal{M}_{m, r, t-\tau}$ is the interaction of the number of treated municipalities in microregion $M_{r}$, in mesoregion $r$, with the post M\&A period $(\tau>0)$, such that $\delta_{P O S T}$ is the spillover effect of one M\&A episode in the same region.
We observe significant spillovers from M\&A episodes in terms of financial variables. In Columns 2 and 4 of Table E. 1 we observe a decrease of $1.86 \%$ in new credit with an M\&A episode in the same mesoregion and $5.45 \%$ in the same microregion compared with municipalities not directly exposed to the episode. We observe similar results for lending spreads. Since we use mesoregiontime fixed effects in our benchmark estimates, the results in Table E. 1 suggest that our estimates could be underestimating the true effect of competition (since non-exposed municipalities expe-
rience similar qualitative effects), although this spillover effect is small when compared to our benchmark estimates.

Table E.1: Geographic spillovers on financial variables: microregions and mesoregions

|  | Mesoregions |  | Microregions |  |
| :---: | :---: | :---: | :---: | :---: |
|  | 24 mo | 36 mo | 24 mo | 36 mo |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| $\ln \left(\right.$ Credit $\left.^{P r}\right)$ | $-.0133^{* *}$ | $-.0186^{* *}$ | $-.048^{* *}$ | $-.0545^{* *}$ |
|  | $(.0034)$ | $(.0034)$ | $(.0124)$ | $(.0136)$ |
| Spread $^{P r}$ | $.4702^{* *}$ | $.6012^{* *}$ | $.8244^{*}$ | $.9732^{*}$ |
|  | $(.1031)$ | $(.1004)$ | $(.4105)$ | $(.4157)$ |
| Controls $_{\text {Month }}$ | Y | Y | Y | Y |
| Month $\times$ Region FE | Y | Y | Y | Y |
| Municipality FE | Y | N | Y | Y |
| Obs | 200,525 | 200,525 | 198,434 | 198,434 |

Note: $* *$, *, + indicate significance significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). The table shows the treatment effect on the treated, that is, the coefficient $\delta_{P O S T}$ from Eq.(26) estimated at the month-municipality level using 2005-2015 data from 18 months before and 24 and 36 months after the M\&A episode, as indicated in the headers of each column. For details on outcome variables and controls, see notes in Table 2. The sample of municipalities is this table excludes those exposed to M\&A episodes. Treatment municipalities are those that had at least one market in their meso or microregions (geographic concepts in the Brazilian Census) exposed to the M\&A episode. Regressions for micro-region spillovers (Columns 3 and 4) include time-region (mesoregion IBGE concept) and municipality fixed effects, while regressions for mesoregion spillovers include only time and municipality fixed effect. Credit regressions are weighted by population in 2005 and spreads are weighted by credit volume from public banks in public banks in ESTBAN in 2005.

As highlighted in Adão, Arkolakis and Esposito (2019), there is a potential role of spatial linkages between markets that determine the aggregate effect of large shocks to the economy. Although a DiD design is appropriate for capturing differential effects with respect to a shock, it misses the aggregate effect due to the direct and general equilibrium effects across markets. We test whether there is a role for spatial linkages between markets by running the regression in Eq.(26) for wages and employment. We also estimate Eq.(26) without region-time fixed effects as they could be endogenous if the spatial linkages are homogeneous within each region.
We find no strong evidence of spatial linkages in real variables as the small drop in employment and wages is consistent with the credit reduction we observe in these municipalities (Table E.2). This result is not surprising: the average merger in our sample directly affects only $3 \%$ of municipalities and $15 \%$ of the population, which is a much smaller shock in magnitude than the China shock analyzed in Adão, Arkolakis and Esposito (2019). Importantly, Adão, Arkolakis and Esposito (2019) show that in their framework, absent spatial linkages (i.e., if markets are in fact segmented), the differential response of local aggregate outcomes captured by the DiD framework determines the aggregate effects in general equilibrium. We use this approach to build our own model in the next section.

Table E.2: Geographic spillovers on microregions: employment and wages (36mo Window)

|  | Time-Region FE |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Agriculture | Tradable | Non-Tradable | Construction |
| Employment | -0.00583 | -0.00130 | -0.00136 | 0.000230 |
|  | $(0.010)$ | $(0.00307)$ | $(0.00161)$ | $(0.00882)$ |
| Wages | -0.0000 | -0.00417 | $-0.00417^{*}$ | $-0.00915^{*}$ |
|  | $(0.00527)$ | $(0.00258)$ | $(0.00168)$ | $(0.00378)$ |
| Employment | -0.0112 | $-0.00880^{* *}$ | $-0.00517^{* *}$ | $-0.0126^{+}$ |
|  | $(0.00792)$ | $(0.00161)$ | $(0.000974)$ | $(0.00648)$ |
|  | 0.000162 | $-0.00461^{*}$ | $-0.00635^{* *}$ | $-0.0102^{* *}$ |
|  | $(0.00493)$ | $(0.00212)$ | $(0.00133)$ | $(0.00327)$ |

Note: $* *, *$, + indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). The table shows the treatment effect on the treated, that is, the coefficient $\delta_{P O S T}$ from Eq.(26) estimated at the monthly-municipality level using 2005-2015 data from 18 months before and 36 months after the M\&A episode, as indicated in the headers of each column. For details on outcome variables and control variables, see notes in Table 2. The sample of municipalities is this table excludes those exposed to M\&A episodes. Treatment is the number of municipalities in their meso or microregions (geographic concepts in the Brazilian Census) exposed to the M\&A episode. Panel A Regressions include time-region (mesoregion IBGE concept) and municipality fixed effects, while regressions in Panel B include only time and municipality fixed effects. Regressions are weighted by population in 2005.

## F. Proofs and derivations

## I. Firm problem and aggregation

We keep implicit the dependence of the key terms on the municipality $m$ of the firm to simplify the notation. Taking the FOC in the profit maximization problem of the firm, Eq. (9), with respect to $l$ :

$$
\begin{equation*}
(1-\alpha)(z k)^{\alpha} l^{-\alpha}=w \Rightarrow l(a, z)=\left(\frac{(1-\alpha)}{w}\right)^{1 / \alpha} z k(a, z) \tag{27}
\end{equation*}
$$

In the profit function :

$$
\begin{aligned}
\pi\left(r_{i}^{c c}, w \mid a, z\right) & =(z k)^{\alpha} l^{1-\alpha}-w l-r_{i}^{c c} k \\
& =\left[z\left(\frac{(1-\alpha)}{w}\right)^{(1-\alpha) / \alpha}-z w\left(\frac{(1-\alpha)}{w}\right)^{1 / \alpha}-r_{i}^{l}\right] k \\
& =\left[z \alpha\left(\frac{(1-\alpha)}{w}\right)^{(1-\alpha) / \alpha}-r_{i}^{c c}\right] k=\left[\kappa(w) z-r_{i}^{c c}\right] k
\end{aligned}
$$

Therefore, as long as $z \kappa(w)>r_{i}^{c c}$, the firm wants to scale the production up to the collateral constraint. The firms uses their own capital as long as $z \kappa(w)>r-\xi_{i}$, uses non-bank sources of external finance if $z \mathcal{K}(w)>\bar{r}-\xi_{i}$ and uses bank lending if $z \mathcal{K}(w)>r^{l}-\xi_{i}$, as in Figure 4. This is a consequence of constant returns to scale: the profit is linear in $k$, and thus managers either bind at one
of the financial constraints or do not produce at all. Finally, the expected output if a firm is in fact producing with leverage $\lambda_{i}$

$$
\begin{equation*}
y_{i}(a, z)=(z k)^{\alpha} l^{1-\alpha}=\lambda_{i} z a[(1-\alpha) / w]^{\frac{1-\alpha}{\alpha}}=\frac{\kappa(w)}{\alpha} \lambda_{i} z a \tag{28}
\end{equation*}
$$

From optimal input decisions for each firm and the assumption that $\mathbb{P}\left[\xi_{i} \geq a\right]=C_{0}-e^{-\eta \xi}$ for a constant $C_{0}$, the optimal input choice made by firms implies that aggregate capital is

$$
\begin{align*}
\mathcal{K}=\int k_{i}(a, z) d i & =\mathcal{X}\left[\mathbb{P}\left(z \kappa(w)>r-\xi_{i}\right)+\lambda_{o} \mathbb{P}\left(z \kappa(w)>\bar{r}-\xi_{i}\right)+\lambda_{b} \mathbb{P}\left(z \kappa(w)>r^{l}-\xi_{i}\right)\right] \\
& =\mathcal{X} e^{\eta \hat{z}-1}\left[e^{-\eta r}+\lambda_{o} e^{-\eta \bar{r}}+\lambda_{b} e^{-\eta r^{l}}\right]=\mathcal{X} e^{\eta \hat{z}-C_{0}} e^{\theta} \tag{29}
\end{align*}
$$

where $\hat{z} \equiv z \mathcal{K}(w)$ and $\theta \equiv \ln \left(e^{-\eta r}+\lambda_{o} e^{-\eta \bar{r}}+\lambda_{b} e^{-\eta r^{l}}\right)$. Moreover, aggregate labor demand is given by

$$
\begin{equation*}
\mathcal{L}=\int l_{i}(a, z) d i=\left[\frac{(1-\alpha)}{w}\right]^{1 / \alpha} z \mathcal{K}=\left[\frac{\mathcal{K}(w)}{\alpha}\right]^{1 /(1-\alpha)} z \mathcal{K} \tag{30}
\end{equation*}
$$

Therefore

$$
\kappa(w)=\alpha \mathcal{L}^{1-\alpha} \mathcal{K}^{\alpha-1} z^{\alpha-1}
$$

Moreover, we know that aggregate output can be written as

$$
\begin{equation*}
\mathcal{Y} \equiv \int y_{i}(a, z, \sigma) d i=\frac{\kappa(w)}{\alpha} z \mathcal{K} \tag{31}
\end{equation*}
$$

Replacing $\kappa(w)$ in the above equation yields Eq.(15).

## II. Inverse demand (Eq. 11)

Let $\xi_{i}$ have a distribution such that $\mathbb{P}\left[\xi_{i} \geq a\right]=C_{0} e^{-\eta \xi}$ for a constant $C_{0}$. Given a lending rate $r^{l}$, the total demand for bank credit $\mathcal{D}_{m}\left(r_{m}^{l}\right)$ is given by

$$
\begin{equation*}
\mathcal{D}_{m}\left(r_{m}^{l}\right)=\frac{\lambda_{b}}{1+\lambda_{b}+\lambda_{o}} \mathcal{X}_{m} \mathbb{P}\left[\xi_{i} \geq r_{m}^{l}-z_{m} \kappa\left(w_{m}\right)\right] \tag{32}
\end{equation*}
$$

where $\mathcal{X}_{m} \equiv \int a_{i} d i$ is total wealth in region $\mathcal{X}_{m}$. Substituting the distribution of $\xi_{i}$ and taking logs implies that

$$
\begin{equation*}
\ln \left(\mathcal{D}_{m}\left(r_{m}^{l}\right)\right)=\gamma_{m}-\eta r_{m}^{l} \tag{33}
\end{equation*}
$$

for

$$
\begin{equation*}
\gamma_{m} \equiv \ln \left(\frac{\lambda_{b}}{1+\lambda_{b}+\lambda_{o}}\right)-\ln \left(C_{0}\right)+\ln \left(\mathcal{X}_{m}\right)+\eta \hat{z}_{m} \tag{34}
\end{equation*}
$$

which is Eq.(11).

## III. Lemma 1

Proof. Replacing the inverse demand of Eq.(11) on the maximization problem of the bank in Eq.(12), we have that the bank problem can be re-written as

$$
\begin{equation*}
\max _{Q_{b}}\left(\eta^{-1}\left[\gamma_{m}-\ln \left(Q_{m}\right)\right]-c_{b, m}-r\right) Q_{b} \tag{35}
\end{equation*}
$$

where $Q_{m} \equiv \sum_{b} Q_{b}$ is the total quantity in the market. The first order condition implies ${ }^{37}$

$$
\left(\eta^{-1}\left[\gamma_{0}+\gamma_{m}-\ln \left(Q_{m}\right)\right]-c_{b, m}-r\right)-\eta^{-1} \frac{\partial \ln \left(Q_{m}\right)}{\partial Q_{b}} Q_{b}=0
$$

Thus

$$
\left(r_{m}^{l}-c_{b, m}\right)-\eta^{-1} \frac{\partial \ln \left(Q_{m}\right)}{\partial Q_{m}} Q_{m} \mu_{m, b}=0 \Rightarrow r_{m}^{l}-c_{b, m}-r=\eta^{-1} \mu_{m, b}
$$

Aggregating over all banks (with market shares as weights), spreads $s_{m} \equiv r_{m}^{l}-r$ is given by

$$
s_{m}=\sum_{b}^{B_{m}} \mu_{m, b}\left[c_{b, m}+\eta^{-1} \mu_{m, b}\right]
$$

which implies $s_{m}=c_{m}+\frac{H H I_{m}}{\eta}$ for $c_{m}=\sum_{b} \mu_{b, m} c_{b, m}$.

## IV. Lemma 2

Proof. We keep implicit the dependence of the key terms on $m$ to simplify the notation. Replacing Eq. (29) in Eq.(31) we have that

$$
\mathcal{Y} \equiv \int y_{i}(a, z, \sigma) d i=\frac{\kappa(w)}{\alpha} z \mathcal{X} e^{\eta \hat{z}-1} e^{\theta}
$$

Taking logs

$$
\ln (\mathcal{Y})=\ln \left(\frac{\hat{z}}{\alpha}\right)+\ln (\mathcal{X})+\ln \left(e^{\eta \hat{z}-1}\right)+\theta
$$

${ }^{37}$ which is sufficient for the maximum in this case. Note that the objective function is concave. Let:

$$
\pi^{b}\left(Q_{b}\right) \equiv\left(\eta^{-1}\left[\gamma_{m}-\ln \left(Q_{m}\right)\right]-c_{b, m}-r\right) Q_{b} \Rightarrow \frac{\partial^{2} \pi^{b}\left(Q_{b}\right)}{\partial Q_{b}}=-\eta^{-1} \frac{1}{Q_{m}}-\eta^{-1} \frac{Q_{m}-Q_{b}}{Q_{m}^{2}}<0
$$

Collecting terms we have Eq. (16). Statically and in partial equilibrium, the stock of wealth $\mathcal{X}$ and wages $w$ (and thus $\hat{z}$ ) do not change. Thus

$$
\frac{d \ln (\mathcal{Y})}{d s}=\frac{d \ln (\mathcal{Y})}{d r^{l}}=\frac{d \theta}{d r^{l}}=-\eta \frac{\lambda_{b} e^{-\eta r^{l}}}{e^{-\eta r}+\lambda_{o} e^{-\eta \bar{r}}+\lambda_{b} e^{-\eta r^{l}}}=-\eta \omega
$$

Finally, from the firm optimization problem

$$
\begin{align*}
y_{i}(a, z) & =\lambda_{i} a z\left[\frac{1-\alpha}{w}\right]^{\frac{1-\alpha}{\alpha}}=\left[\frac{1-\alpha}{w}\right]^{-1} l_{i}(a, z) \Rightarrow \frac{1-\alpha}{w} y_{i}(a, z)=l_{i}(a, z)  \tag{36}\\
& \Rightarrow(1-\alpha) \mathcal{Y}=w \mathcal{L} \tag{37}
\end{align*}
$$

which implies that the total payroll $(w \mathcal{L})$ response is the same as the output.

## G. Numerical solution of the model

In this section we detail how we solve, calibrate and compute the counterfactuals in the model presented in Section V.
Groups. As our model focuses on regional differences on the banking market, we aggregate all municipalities that have the same concentration of private credit (HHI from ESTBAN). For that, we use the first two digits of the HHI, that is, we categorize municipalities in 100 categories, going from 0 to 1 in their HHI of private credit for ESTBAN in December of 2007, which is before the wave of consolidation that started in 2008 in the Brazilian market. Denotes each group by $g=1, \ldots, 100$ and let $M_{g}$ be the set of municipalities in group $g$. For each group $g$, we compute total population, $P_{g}$, total output, $Y_{g}$ and total bank lending (stock from ESTBAN) from private and public banks, $K_{g}^{B}$. We compute the average productivity by group $g$ inverting Eq.(15), assuming that bank capital is a share of total capital, that is:

$$
z_{g}=\exp \left\{\alpha^{-1} \ln Y_{g}-\ln K_{g}^{B}-(1-\alpha) \alpha^{-1} \ln P_{g}\right\}
$$

and normalize the average productivity (weighted by population of each group to one). We do not attempt to model here the difference in scales in each municipality, and simply assume that all have initial average wealth of $\mathcal{X}_{m}=1$. We will then later aggregate the effect on each municipality using population as weights for their outcomes.
We initialize average spreads pre-counterfactuals at 18.3 p.p., which comes from the BCB report on spreads for the Brazilian economy for 2011-2016. As discussed in Section I, these number is significantly smaller than the one in our sample due to the fact that we use new credit in each month, while the BCB uses the full stock of credit to compute spreads in a given month. For that, we compute $\bar{s}$, which is given by the difference of the 18.3 and the weighted average $H H I^{P r}$ over the elasticity of demand, that is

$$
\bar{s} \equiv .183-\eta^{-1} \sum_{g}\left[\frac{P_{g}}{\sum_{\hat{g}} P_{\hat{g}}}\right] H H I_{g}^{P r}
$$

here the $\bar{s}$ includes the costs at each market, as well as a possible model mispecification, as to match the observed the level of spreads in the data. Solution. Given $z_{g}$, we solve the model as each municipality is independent, that is, we solve the model once for each group $g$, for a representative municipality within this group using the productivity $z_{g}$ and concentration of this group $H H I_{g}^{P r}$. For that, we guess an initial level of wages $w_{m}$, compute the optimal decision for each firm and aggregate to compute total municipality output $Y_{m}\left(w_{m}\right)$ and use a bisection algorithm to find the equilibrium wage in a given market. We compute excess labor demand, given by

$$
E L_{m}\left(w_{m}\right)=(1-\alpha) \frac{Y_{m}\left(w_{m}\right)}{w_{m}}-w_{m}^{-\psi}
$$

where we use the fact that total payroll is equal to $(1-\alpha) Y$ (see Section I). To compute the results in Table 12, we compute changes in output, bank capital etc. for each representative municipality of group $g$ and aggregate using population $P_{g}$ of each group as weights.
Calibration. The value and source of the parameters we use in our model are in Table G.1. A few comments are in order. First, we solve the model repeatedly to match two parameters: the elasticity of labor supply $\varphi$ and ability to self finance $\lambda$. To estimate $\varphi$, we replicate the results of Table 11 for wages and recover that the relative response of wages to payroll is .42 . We calibrate $\lambda$ to match the External Finance/GDP ratio observed in the Brazilian economy according to Beck, Demirgüç-Kunt and Levine (1999).

We compute the share of competitive bank capital as follows. From Brazil's Institute of Applied Economic Research, we have that that capital over output, $K / Y$, is 2.49. and from Beck, DemirgüçKunt and Levine (1999), we have that external finance over GDP, $E / Y$, for Brazil is 1.43 and that banks account for $45 \%$ of that from 2005-2015. From BCB aggregate data, we have that $55 \%$ of bank loans are non-earmarked in Brazil. Therefore, the share of competitive bank capital from all capital is given by

$$
\omega=\frac{E / Y}{K / Y} \times .45 \times .55 \approx 14.21 \%
$$

we calibrate $\lambda_{o}$ and $\lambda_{b}$ to match $\omega=14.21 \%$ and $E / Y=1.43$. This implies a $\lambda=8.24$. In the literature, $\lambda$ is generally calibrated to be around 1.5-2.5 for developing economies. However, $\lambda$ has a different meaning in our model. For Moll (2014), for instance, every entrepreneur that chooses to produce will be against the constraint of $k=\lambda a$. In our model, firms can use their own capital, use other sources of finance and banks. Therefore, the average leverage of entrepreneurs that do choose to produce will be lower than the maximum leverage, $\lambda$, given that large shares of them will not use the sources of external finance.
Merger simulation and counterfactuals. We simulate a merger in our economy by changing local concentration on all municipalities by computing the new HHI as:

$$
H H I_{g}^{\prime}=H H I_{g}^{P r}-.0588 \times \eta
$$

that is, to guarantee that the change in spreads will be as observed in Table 2 for 36 months. We have also shifted the HHI distribution by multiplying local HHI by a constant and calibrate the constant to match the 5.88 reduction in spreads, as seen in Table 2 and the results are not sensitive

Table G.1: Parameter values for quantitative exercise

| Parameter | Model | Value | Source |
| :---: | :---: | :---: | :---: |
| Estimated |  |  |  |
| $\eta$ | Semi-Elasticity of Demand | -. 0317 | Table 10 |
| $\varphi$ | Elasticity of Labor Supply | 1.4 | Calibrated |
| Brazil Specific |  |  |  |
| $r$ | Deposit Rate | 11.25\% | Brazil's Policy Rate (Dec/2007) |
| $\lambda_{0}$ | Fin Friction | 6.08 | $\omega=14.21 \%$ and $E / Y=1.43$ |
| $\lambda_{b}$ | Fin Friction | 2.15 | $\omega=14.21 \%$ and $E / Y=1.43$ |
| $\bar{r}$ | Subsidized rate for loans | . 16 | BCB |
| Standard |  |  |  |
| $\alpha$ | Mg. Prod of $k$ | . 4 |  |

to this choice. The important outcome here is not the absolute level of responses, but rather the average causal response of payroll to spreads in the model. To compute the first counterfactual, we change HHI for each group $g$ as follows:

$$
H H I_{g}^{1}=\frac{1}{\frac{1}{H H I_{g}^{P r}}+1}
$$

that is, we compute the HHI-equivalent number of banks (its inverse, add one extra bank and invert it again to recover the new HHI. This change has a heterogeneous effect based on the baseline concentration, as shown in Figure G.1.
For the second counterfactual, we simply use the HHI of all credit (private and public, subsidized or not) from municipality-bank balance sheet data (ESTBAN). Finally, for the third counterfactual, we compute the HHI that would be necessary to guarantee spreads in all municipalities were equal to 5.43 p.p., that is $H H I_{g}^{3}=\eta^{-1}(.053+r-\bar{s})$.
Efficiency gains. Following the BCB's Banking Report for 2018, 65\% of spreads come from administrative costs or default. We use this number to compute our baseline level of $\bar{c}$, in particular, we assume that $\bar{c}=.183 \times .65=.1189$, that is, that 11.89 p.p. of our baseline level of 18.3 p.p. of spreads are due to administrative costs and defaults.

For each municipality, we assume that the benchmark concentration is the case where there is one

Figure G.1: Model implied effect of output of one extra bank


Note: Effect of one extra bank in output of a municipality with $H H I^{P r}$ in the horizontal axis before the entry. For details on the model, see Section V. For details on the numerical solution, calibration and specifics of each counterfactual see Appendix G.
extra bank (such that we can remove a bank from all municipalities), that is:

$$
H H I_{m}^{\text {Bench }}=\frac{1}{\frac{1}{H H I_{g}^{P r}}+1}
$$

We assume that the market is initially composed of symmetric banks, with cost $\bar{c}$.
For the municipalities with only one bank involved in the merger (either $A$ or $B$, but not both), we compute the changes in spreads for two cases. The first case (left panel of Figure 5) is the one where only the cost of bank $b$ is reduced to $\bar{c}(1-\chi)$. The structure of our model implies that the market share weighted cost - and thus spread - in this case is gonna be reduced by a combination of three effects: (i) the reduction in cost of the merging bank, (ii) the gain of market share from the merging banks, reducing even more the market share weighted cost of the market, and (iii) the increase in concentration from this gain in efficiency. Mathematically, from the optimization of each bank in Lemma 1, we have that

$$
s_{m}=c_{m, b}+\eta^{-1} \mu_{m, b}=\bar{c}+c_{m}+\eta^{-1} \mu_{m, b}
$$

Let $b_{0}$ be a bank involved in the merger in a market with $N$ banks. We have that:

$$
\bar{c}+c_{m}+\eta^{-1} \frac{\left(1-\mu_{m, b_{0}}\right)}{N-1}=\bar{c}(1-\chi)+c_{m}+\eta^{-1} \mu_{m, b_{0}} \Rightarrow \mu_{m, b_{0}}=\eta \bar{c} \chi \frac{N-1}{N}+\frac{1}{N}
$$

Figure G.2: Municipalities with branches from Itaú-Unibanco and/or Santander in Dec/2018


Note: Municipalities with at least one branch from Itaú-Unibanco and or Santander in Dec/2018. Branch data comes from ESTBAN (see Section II).

For the banks not involved in the merger, their market share will be given by $\mu_{m, b}=\frac{\left(1-\mu_{m, b_{0}}\right)}{N-1}$, from where we can compute the new level of spreads and concentration in the market after the efficiency gains.

$$
\Delta s_{m}=-\bar{c} \chi \mu_{m, b_{0}}+\eta^{-1}\left[\mu_{m, b_{0}}^{2}+\frac{\left(1-\mu_{m, b_{0}}\right)^{2}}{(N-1)}-\frac{1}{N}\right]
$$

The second case (right panel of Figure 5) is where all banks have their costs reduced by $\chi$, so the change in spreads is given by

$$
\Delta s_{m}=-\chi \bar{c}
$$

For municipalities with both banks involved in the merger (both $A$ and $B$ ), we compute the change in spreads as the sum of the efficiency gains described in the previous paragraph with the change in concentration of moving from $H H I_{m}^{\text {Bench }}$ to $\mathrm{HHI}_{m}$ (the observed one) with the equation in Lemma 1. We aggregate the results across municipalities as previously described for the other counterfactuals in this section. The geographic distribution of branches from the two banks we simulate the merger in this case are in Figure G.2.

## H. Additional tables

Table H.1: M\&A episodes: number of banks and concentration

|  | Months since M\&A |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | 12 | 24 | 36 | 48 |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| \# Banks | $-1.3127^{* *}$ | $-1.364^{* *}$ | $-1.4075^{* *}$ | $-1.4684^{* *}$ |
| \# Private Banks | $-1.2049)$ | $(.0503)$ | $(.0528)$ | $(.0552)$ |
|  | $(.0425)$ | $-1.2068^{* *}$ | $-1.2224^{* *}$ | $-1.2558^{* *}$ |
| $H H I($ ESTBAN $)$ | $.0236^{* *}$ | $.026^{* *}$ | $(.0493)$ | $\left(.0315^{* *}\right.$ |
|  | $(.0028)$ | $(.0038)$ | $\left(.00487^{* *}\right.$ |  |
| $H H I^{P r}$ (ESTBAN) | $.1065^{* *}$ | $.115^{* *}$ | $.1189^{*}$ | $.1229^{* *}$ |
|  | $(.0054)$ | $(.0057)$ | $(.0058)$ | $(.0058)$ |
| $H H I^{P r}($ SCR $)$ | $.0549^{* *}$ | $.0722^{* *}$ | $.0836^{* *}$ | $.1028^{* *}$ |
|  | $(.0058)$ | $(.0059)$ | $(.0058)$ | $(.0061)$ |
| Month $\times$ Region FE | Y | Y | Y | Y |
| Municipality FE | Y | Y | Y | Y |
| Obs | 238,286 | 236,511 | 232,269 | 229,122 |

Note: $* *, *$, indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). Standard errors computed clustering by municipality (treatment unity). The table shows the coefficient $\delta_{\text {POST }}$ from Eq.(2) estimated at the month-municipality level using 2005-2015 data from 18 months before and 12, 24, 36 and 48 months after the M\&A episode (as measured with changes in bank identifiers in Unicad dataset), as described in Sections II and III. Regression outcomes with sources in parenthesis are, in order, number of banking conglomerates (ESTBAN), number of private banking conglomerates (ESTBAN), HHI of stock of credit (ESTBAN), HHI of of stock of credit from private banks (ESTBAN), and HHI of private credit of new loans (SCR). Treatment municipalities are those that had at least one branch of both banks at the time of the M\&A episode. The controls used are GDP and credit per capita in 2005 interacted with time dummies and the local exposure to the business cycle, computed as the the covariance of local growth rate with country level growth rate over 2002-2018. All regressions include time-region (mesoregion IBGE concept) and municipality fixed effects.

Table H.2: Intensive vs extensive margin, government owned banks (36 Months)

| $\ln \left(\right.$ Credit $\left.^{P u}\right)$ | -0.0284 |  |  |
| :---: | :---: | :---: | :---: |
|  | $(0.0207)$ |  |  |
| Spread $^{P u}$ | $1.039^{* *}$ |  |  |
|  | $(0.164)$ |  |  |
| $\ln \left(\right.$ Credit $\left.^{P r}\right)$ |  | $-.1713^{* *}$ |  |
|  |  | $(.0211)$ |  |
| $\ln \left(\#\right.$ Loans $\left.^{P r}\right)$ |  | $-.164^{* *}$ |  |
|  |  | $(.0178)$ |  |
| $\ln \left(\right.$ LoanSize $\left.^{P r}\right)$ |  | -.0073 |  |
|  |  | $(.0135)$ |  |
| $\ln (\#$ Firms $)$ |  |  | $-0.0811^{* *}$ |
|  |  |  | $(0.0102)$ |
| Controls, FEs | Y | Y | Y |

Note: $* *, *,+$ indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). The table shows the treatment effect on the treated, that is, the coefficient $\delta_{\text {POST }}$ from Eq.(2), estimated at the month-municipality level using 2005-2015 data from 18 months before and 36 months after the M\&A episode. Regression outcomes are the log of total new credit, $\ln \left(\right.$ Credit $\left.{ }^{P r}\right), \log$ of the number of new loans, $\ln \left(\#\right.$ Loans $\left.^{P r}\right)$, and log of the size of new loans, $\ln \left(\right.$ LoanSize $\left.{ }^{P r}\right)$. The superscript Pr indicates that the variables were computed using loans originated from private banks only, while the superscript $P u$ are for loans originated from public (government owned banks). For details on controls, fixed effects, treatment control definitions, and regression weights see the notes on Table 2.

Table H.3: Financial outcomes: lending spreads and total credit by loan size

|  | $>5,000 \mathrm{BRL}$ |  | $>1,000 \mathrm{BRL}$ |  |
| :---: | :---: | :---: | :---: | :---: |
|  | 24 mo | 36 mo | 24 mo | 36 mo |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| $\ln \left(\right.$ Credit $\left.^{P r}\right)$ | $-.108^{* *}$ | $-.1479^{*}$ | $-.1149^{* *}$ | $-.1671^{* *}$ |
| Spread $^{P r}$ | $(.0173)$ | $(.0204)$ | $(.0177)$ | $(.021)$ |
|  | $4.5551^{* *}$ | $5.3421^{* *}$ | $4.7654^{* *}$ | $5.8232^{* *}$ |
|  | $(.4973)$ | $(.5825)$ | $(.4993)$ | $(.5752)$ |
| $\ln \left(\right.$ Credit) $^{24}$ | $-.0494^{* *}$ | $-.0863^{* *}$ | $-.0546^{* *}$ | $-.0998^{* *}$ |
| Spread | $(.014)$ | $(.0163)$ | $(.0143)$ | $(.0167)$ |
|  | $3.3283^{* *}$ | $4.117^{* *}$ | $3.374^{* *}$ | $4.2316^{* *}$ |
|  | $(.3894)$ | $(.4435)$ | $(.3866)$ | $(.4341)$ |
| Controls | Y | Y | Y | Y |
| Month $\times$ Region FE | Y | Y | Y | Y |
| Municipality FE | Y | Y | Y | Y |
| Obs | 236,379 | 232,137 | 236,507 | 232,265 |

Note: $* *, *+$ indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). For details on outcome variables, treatment/control definition, fixed effects and regression weights see notes on Table 2. This table replicates the results in Table 2 for subsamples of loans above Brazilian Reais (BRL) $\$ 1,000 \$ 5,000$ (current exchange rate 4 BRL $=$ US $\$ 1$ ), using data from 18 months pre M\&A episode and 24 and 36 months afterwards, as indicated in the column headers.

Table H.4: Financial outcomes: markets with at least 8 years of private loans

|  | Months post M\&A Episode |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | 12 mo | 24 mo | 36 mo | 48 mo |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| $\ln \left(\right.$ Credit $\left.^{P r}\right)$ | $-.0666^{* *}$ | $-.1127^{* *}$ | $-.1643^{* *}$ | $-.2062^{* *}$ |
|  | $(.0134)$ | $(.0176)$ | $(.0209)$ | $(.0237)$ |
| Spread $^{P r}$ | $2.613^{* *}$ | $4.7584^{* *}$ | $5.8301^{* *}$ | $6.9224^{* *}$ |
|  | $(.4025)$ | $(.4954)$ | $(.5683)$ | $(.6236)$ |
| $\ln ($ Credit) | $-.0193^{+}$ | $-.0533^{* *}$ | $-.0971^{* *}$ | $-.1369^{* *}$ |
| Spread | $(.0113)$ | $(.0141)$ | $(.0164)$ | $(.0186)$ |
|  | $1.174^{* *}$ | $3.358^{* *}$ | $4.1977^{* *}$ | $5.0955^{* *}$ |
|  | $(.3087)$ | $(.384)$ | $(.4298)$ | $(.4654)$ |
| Controls | Y | Y | Y | Y |
| Month $\times$ Region FE | Y | Y | Y | Y |
| Municipality FE | Y | Y | Y | Y |
| Obs | 222,644 | 220,877 | 216,643 | 213,500 |

Note: $* *, *$, indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). For details on outcome variables, treatment/control definition, fixed effects and regression weights see notes on Table 2. This table replicates the results in Table 2 for a subsample of municipalities (both treatment and control) with at least 8 years of data on private loans in SCR from 20052015.

Table H.5: Financial outcomes: markets with at most one M\&A episode

|  | Months post M\&A Episode |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | 12 mo | 24 mo | 36 mo | 48 mo |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| $\ln \left(\right.$ Credit $\left.^{P r}\right)$ | $-.1715^{* *}$ | $-.23^{* *}$ | $-.274^{* *}$ | $-.3013^{* *}$ |
|  | $(.0284)$ | $(.0367)$ | $(.0406)$ | $(.0429)$ |
| Spread $^{P r}$ | $8.7671^{* *}$ | $11.0613^{* *}$ | $11.1818^{* *}$ | $11.9005^{* *}$ |
|  | $(1.1127)$ | $(1.1524)$ | $(1.1979)$ | $(1.1877)$ |
| $\ln ($ Credit) | $-.1137^{* *}$ | $-.1771^{* *}$ | $-.2159^{* *}$ | $-.2451^{* *}$ |
|  | $(.0232)$ | $(.0298)$ | $(.0328)$ | $(.0346)$ |
| Spread | $5.8555^{* *}$ | $8.919^{* *}$ | $8.8654^{* *}$ | $9.3412^{* *}$ |
|  | $(.9391)$ | $(.9767)$ | $(1.0467)$ | $(1.0325)$ |
| Controls | Y | Y | Y | Y |
| Month $\times$ Region FE | Y | Y | Y | Y |
| Municipality FE | Y | Y | Y | Y |
| Obs | 216,896 | 215,832 | 213,298 | 211,016 |

Note: **, *, + indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). For details on outcome variables, treatment/control definition, fixed effects and regression weights see notes on Table 2. This table replicates the results in Table 2 for a subsample of municipalities (both treatment and control) with at most one M\&A episode from 2005-2015.

Table H.6: Treatment vs control characteristics: markets with 2-6 private banks in Dec/2005

|  | Control <br> $(1)$ | Difference <br> $(2)$ |
| :---: | :---: | :---: |
| Credit/Pop. | 2722.68 | $233.58^{* *}$ <br> $(35.10)$ |
| GDP/Pop. | 18.63 | $.8867^{* *}$ <br> $(.2597)$ <br> Spread |
|  | 29.33 | $1.7822^{* *}$ <br> $(.5845)$ |
| \# Banks | 5.31 | $.1752^{* *}$ <br>  <br> \# Private Banks 3.13 |

Note: **, *, + indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. We estimate $f_{m, r}=\alpha+\sigma_{r}+\beta$ Treatment $m_{m, r}+$ $\epsilon_{m, r}$ where $f_{m, r}$ is a pre-merger characteristics of municipality $m$, in region $r$, Treatment $t_{m, r}$ is a dummy equal to one if municipality $m$ is exposed and $\sigma_{r}$ are region fixed effects. We show the results of $\alpha$ and $\beta$ in Column 1 and 2 , respectively. Outcomes variables with their sources in parenthesis are, in order, credit stock per capita (ESTBAN) in 2010 Brazilian Reais price level, GDP per capita (IBGE) in 1,000s of 2010 Brazilian Reais price level, volume weighted average lending spreads (SCR), number of banking conglomerates (ESTBAN), and number of private banking conglomerates (ESTBAN).

Table H.7: Financial outcomes: lending spreads and total credit for markets with 2-6 private banks in Dec/2005

|  | Months post M\&A Episode |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | 12 mo | 24 mo | 36 mo | 48 mo |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| $\ln \left(\right.$ Credit $\left.^{P r}\right)$ | $-.0833^{* *}$ | $-.1156^{* *}$ | $-.1418^{* *}$ | $-.169^{* *}$ |
|  | $(.0185)$ | $(.0219)$ | $(.0259)$ | $(.029)$ |
| Spread $^{P r}$ | $4.7349^{* *}$ | $6.8000^{* *}$ | $7.2765^{* *}$ | $8.1877^{* *}$ |
|  | $(.6492)$ | $(.7432)$ | $(.8415)$ | $(.8866)$ |
| $\ln ($ Credit | $-.0531^{* *}$ | $-.0848^{* *}$ | $-.1118^{* *}$ | $-.1393^{* *}$ |
|  | $(.0164)$ | $(.0191)$ | $(.0223)$ | $(.0249)$ |
| Spread | $3.2797^{* *}$ | $5.6537^{* *}$ | $6.0311^{* *}$ | $6.7859^{* *}$ |
|  | $(.5203)$ | $(.6004)$ | $(.6694)$ | $(.6959)$ |
| Controls | Y | Y | Y | Y |
| Month $\times$ Region FE | Y | Y | Y | Y |
| Municipality FE | Y | Y | Y | Y |
| Obs | 122,260 | 121,001 | 117,974 | 115,655 |

Note: **, *, + indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). For details on outcome variables, treatment/control definition, fixed effects and regression weights see notes on Table 2. This table replicates the results in Table 2 for a subsample of municipalities (both treatment and control) with 2-6 Banks in Dec/2005. For key characteristics in control and treatment groups in this subsample, see Table H.6.

Table H.8: Spreads: volume weighted vs maturity-volume weighted

|  | Volume Weighted |  | Volume-Maturity Weighted |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Coefficient | \% Mean | Coefficient | \% Mean |
| Spread | $4.20^{* *}$ | $11.71 \%$ | $2.09^{* *}$ | $11.40 \%$ |
|  | $(.4289)$ |  | $(.2793)$ |  |
| Controls |  |  |  |  |
| Month $\times$ Region FE | Y | Y |  |  |
| Municipality FE | Y | Y |  |  |
| Obs | 232,269 | Y |  |  |

Note: $* *, *$ + indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). For details on treatment/control definition, fixed effects and regression weights see notes on Table 2. The table shows the coefficient $\delta_{P O S T}$ from Eq.(2) estimated at the month-municipality level using 2005-2015 data from 18 months before and 36 months after the M\&A episode, as described in Sections II and III. Regression outcomes are and lending spreads (local interest rates minus country level deposit rate), Spread, from new loans in a municipality $m$, in region $r$ and time $t$. For each municipality, we aggregate interest rates in two ways. First, as in Table 2, interest rates are aggregated using loan size as weights. Second, interest rates are aggregated using loan size times maturity as weights (volume-maturity weighted), as to not potentially over-weight short term loans.

Table H.9: Financial outcomes: lending spreads and total credit (all municipalities)

|  | Months post M\&A Episode |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | 12 mo | 24 mo | 36 mo | 48 mo |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| $\ln \left(\right.$ Credif $\left.^{P r}\right)$ | $-.0451^{* *}$ | $-.0744^{* *}$ | $-.1103^{* *}$ | $-.1426^{* *}$ |
|  | $(.0103)$ | $(.0144)$ | $(.0183)$ | $(.0205)$ |
| Spread $^{P r}$ | $1.8556^{* *}$ | $3.535^{* *}$ | $4.394^{* *}$ | $5.266^{* *}$ |
|  | $(.3307)$ | $(.434)$ | $(.477)$ | $(.5224)$ |
| $\ln \left(\right.$ Credit $^{2}$ | $-.013^{* *}$ | $-.0318^{* *}$ | $-.0614^{* *}$ | $-.0939^{* *}$ |
|  | $(.0078)$ | $(.0107)$ | $(.0137)$ | $(.0156)$ |
| Spread | $.7845^{* *}$ | $2.4133^{* *}$ | $3.0655^{* *}$ | $3.7826^{* *}$ |
|  | $(.2561)$ | $(.3398)$ | $(.3669)$ | $(.4047)$ |
| Controls | Y | Y | Y | Y |
| Month $\times$ Region FE | Y | Y | Y | Y |
| Municipality FE | Y | Y | Y | Y |
| Obs | 239,203 | 237,408 | 233,158 | 230,011 |

Note: **, *, + indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. For details on outcome variables, treatment/control definition, fixed effects and regression weights see notes on Table 2. We estimate the effect on our benchmark sample (Table 2) without the municipalities with more than 20 private banking conglomerates in 2005. In this table, we replicate the results with all municipalities.

Table H.10: Financial outcomes: microregions as markets

|  | Months post M\&A Episode |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | 12 mo | 24 mo | 36 mo | 48 mo |
|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| $\ln \left(\right.$ Credit $\left.^{P r}\right)$ | $-.0519^{+}$ | $-.0789^{*}$ | $-.1016^{* *}$ | $-.1279^{* *}$ |
|  | $(.027)$ | $(.0324)$ | $(.0384)$ | $(.0429)$ |
| Spread $^{P r}$ | $2.2986^{* *}$ | $3.4977^{* *}$ | $3.7373^{* *}$ | $4.299^{* *}$ |
|  | $(.5048)$ | $(.6505)$ | $(.7471)$ | $(.8213)$ |
| $\ln ($ Credit | .006 | -.0225 | $-.0568^{+}$ | $-.0877^{*}$ |
|  | $(.022)$ | $(.0261)$ | $(.0304)$ | $(.0342)$ |
| Spread | $1.2739^{* *}$ | $2.6827^{* *}$ | $2.8188^{* *}$ | $3.2643^{* *}$ |
|  | $(.3808)$ | $(.4951)$ | $(.554)$ | $(.6017)$ |
| Controls | Y | Y | Y | Y |
| Month $\times$ Region FE | Y | Y | Y | Y |
| Municipality FE | Y | Y | Y | Y |
| Obs | 56,543 | 55,636 | 53,814 | 52,740 |

Note: **, *, + indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. For details on outcome variables, fixed effects and regression weights see notes on Table 2. The difference from our benchmark results is that we consider the IBGE microregion concept (larger than a municipality) as a market, which is the labor market concept Adão (2015) uses. A microregion is treated if it has at least one branch of both banks involved in an M\&A episode.

Table H.11: Effect on output by municipality 3 years after M\&A episode

|  | Agriculture | Industry | Services | Total |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |
|  | $(.0012$ | $-.0775^{* *}$ | $-.0158^{*}$ | $-.0217^{* *}$ |
|  |  | $(.0179)$ | $(.008)$ | $(.0082)$ |
| Controls | Y |  |  |  |
| Year $\times$ Region FE | Y | Y | Y | Y |
| Municipality FE | Y | Y | Y | Y |
| Obs | 20,684 | 20,684 | 20,684 | Y |
|  |  |  |  |  |

Note: **, *, + indicate significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). This table displays $\delta_{P O S T}$ from Eq.(2) with annual output by sector in each municipality from IBGE. The industry sector includes both industry and construction output. We assume that a municipality is treated if it is treated for that $\mathrm{M} \& \mathrm{~A}$ (at least one branch of both banks) at or before June.

Table H.12: Employment and wages: only one merging bank versus none (36mo window)

|  | Agriculture <br> $(1)$ | Tradable <br> $(2)$ | Non-Tradable <br> $(3)$ | Construction <br> $(4)$ |
| :---: | :---: | :---: | :---: | :---: |
| Employment | 0.000323 | -0.00336 | $-0.00514^{+}$ | -0.00191 |
|  | $(0.0107)$ | $(0.00684)$ | $(0.00300)$ | $(0.0144)$ |
| Wages | 0.00405 | $0.00515^{+}$ | $-0.00286^{*}$ | -0.00121 |
|  | $(0.00350)$ | $(0.00296)$ | $(0.00122)$ | $(0.00506)$ |
| Controls | Y | Y | Y | Y |
| Year $\times$ Region FE | Y | Y | Y | Y |
| Municipality FE | Y | Y | Y | Y |
| Observations | 173,261 | 173,261 | 173,261 | 173,261 |

Note: $* *, 7,+$ indicate significance significance at, respectively, $1 \%, 5 \%$ and $10 \%$. Standard errors computed clustering by municipality (treatment unity). The table shows the treatment effect on the treated, that is, the coefficient $\delta_{\text {POST }}$ from Eq.(2), estimated at the month-municipality level using 2005-2015 data from 18 months before and 36 months after the M\&A episode. Treatment municipalities are those that had at least one branch of only one of the involved banks in the M\&A episode and control are those that had none. Regression outcomes are total employment and average annual wage of all workers employed at a given month-sector computed from RAIS. Sectors are defined as in Mian and Sufi (2014). For details on controls and treatment/control definition, and fixed effects see notes of Table 2. We use population in 2005 as weights in the regression.

## Previous volumes in this series

1133
October 2023

1132
October 2023

1131
October 2023

1130
October 2023

1129
October 2023

1128
October 2023

1127
September 2023

1126
September 2023

1125
September 2023

1124
September 2023

1123
September 2023

1122
September 2023

1121
September 2023

1120
September 2023

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| Global supply chain interdependence and shock amplification - evidence from Covid lockdowns | Sally Chen, Eric Tsang and Leanne (Si Ying) Zhang |
| gingado: a machine learning library focused on economics and finance | Douglas K G Araujo |
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[^1]:    ${ }^{1}$ For data sources, see Appendix A.
    ${ }^{2}$ Less competition increases a the ability of a creditor to extend credit based on the intertemporal ability of the firm to generate cash flow, while a competitive market requires creditors to break even period by period. Therefore, in markets with risk and asymmetric information, competition among financial intermediaries reduces the space of contracts available and thus access to credit (and potentially increases the cost of finance). See Degryse and Ongena (2007) for a short summary of the literature.
    ${ }^{3}$ For the traditional IO view: See Cetorelli and Gambera (2001), Beck, Demirgüç-Kunt and Maksimovic (2004), Cetorelli and Strahan (2006), Black and Strahan (2002), Strahan et al. (2003), Rice and Strahan (2010), Gao et al. (2019) and others. For relationship lending/informational channel and detrimental effect of competition: Petersen and Rajan (1994), Petersen and Rajan (1995), Shaffer (1998), Berger et al. (1998), Patti, Bonaccorsi and Dell’Ariccia (2004), Presbitero and Zazzaro (2011), Zarutskie (2006), Jiang, Levine and Lin (2019), Fungáčová, Shamshur and Weill (2017) and others.

[^2]:    ${ }^{4}$ For instance, it can depend on national economic conditions.

[^3]:    ${ }^{5}$ Bank competition affects firms through two channels. First, it increases the cost of credit. Second, it reduces firms' demand as it decreases households' demand for goods and services. The second channel affects only firms in the non-tradable whereas the first channel affects all firms (Mian, Sufi and Verner (2019)). We show that a reduction in bank competition has a significant and negative effect on employment and wages for both the tradable and non-tradable sectors. This indicates that the household demand channel is not the main driver of our results.
    ${ }^{6}$ This does not include the target of any credit policy or other sources of external finance.

[^4]:    ${ }^{7}$ Itskhoki and Moll (2019) show that policies or interventions that facilitate capital accumulation in a financially constrained corporate sector are welfare increasing compared to laissez-faire. The intuition is that the returns to capital in the corporate sector are higher than the cost of capital in the economy due to financial frictions, and thus increasing the overall ability of the corporate sector to save and invest can reduce this wedge over time.

[^5]:    ${ }^{8}$ In June 2016, Bradesco acquired $H S B C$, see here for details.

[^6]:    ${ }^{9}$ Ulyssea (2018) shows that 40 percent of GDP, and 35 percent of employees are informal in Brazil. This informality is either from (i) firms not registered with tax authorities (extensive margin) or (ii) firms that have workers off the books (intensive margin). Firms that are not registered with tax authorities do not appear in either the credit registry or employer/employee data. Firms that have workers off the books appear in both (if they borrow), but with unreported workers/salaries. Our estimated results on employment and wages are a combination of the direct effect on these variables and changes in firm/work formalization. In Section IV, we show that the competition effect on payroll is quantitatively close to the effect on Value Added (which includes formal and informal firms), which indicates that changes in formalization are not a main concern for this project.
    ${ }^{10}$ Since we are only interested in municipality level outcomes, we use the publicly available version of RAIS. Linked employer-employee panel data exists and is used in other studies, e.g. Fonseca and Van Doornik (2022)). In the public version of the dataset, one cannot match employee-employer pairs or follow them over time (they are unidentified), which is not a loss for the purposes of this project. Because we use the public version of RAIS, a significant part of our main results are reproducible by other researchers.

[^7]:    ${ }^{11}$ Within our sample period, the competition framework to analyze banks in Brazil was a legal grey area between the BCB and the Conselho Administrativo de Defesa Econômica (CADE) - a government department responsible in evaluating competition aspects from all sectors. Currently, both the BCB and CADE must approve mergers, but the BCB can overrule any decision if it considers there is a threat of systemic risk to the banking system.
    ${ }^{12}$ Since it is possible that both conglomerates change their identifiers and form a new conglomerate, we also define in Appendix A an alternative measure of mergers that considers that a bank participates in a merger if it reduces credit by $95 \%$ in $99 \%$ of the markets where it was present. The two measures are extremely close and our results are quantitatively the same with the use of either.

[^8]:    ${ }^{13}$ Alternatively, to merge can be the result of strong local economic conditions (i.e., the bank wants to consolidate locally and extract rents from borrowers).

[^9]:    ${ }^{14}$ The exposure to business cycles is computed as in Fonseca and Van Doornik (2022). It is given by the slope in a regression of local GDP growth as a function of a constant and national GDP growth from 2002-2018.
    ${ }^{15}$ Results weighted by number of firms, total credit, and employment are available upon request and not included in the paper due to space limitations.

[^10]:    ${ }^{16}$ See Table H. 1 for the equivalent results in a table format.

[^11]:    ${ }^{17}$ We tackle the question of efficiency gains in more detail later, but it is important to notice that Table 3 does not imply that there is a positive lending volume effect (or negative spread) following an M\&A in a market with more banks. If the effect of more banks is concave in the number of banks (as it is in a Cournot model), and most of our markets don't have more than 6 banks, as in our sample, we can infer a positive effect from Table 3 even if the true effect is negative. Empirically, if we run Eq.(4) with a dummy for municipalities with 8 or more banks in the baseline, for instance, we find a decrease in credit of $6 \%$ and an increase of 2.7 percentage points on spreads.
    ${ }^{18}$ Note that market shares will mechanically be smaller for larger markets. The question in this setting is if market shares have any effect beyond those capture by the number of banks/local concentration, and that is why we only include baseline market share when controlling for the competition in the baseline.

[^12]:    ${ }^{19}$ In our sample, loans to firms in the tradable sector, for instance, have an average maturity of 188 days, with a standard deviation of 268 days across municipalities, while loans to firms in the non-tradable sector have an average maturity of 222 days with a standard deviation of 177 days across municipalities.
    ${ }^{20}$ As in Mian and Sufi (2014), more than half of our firms are not classified in any sector, and thus the effect by sector does not need to be a convex combination of the sector specific effects.

[^13]:    ${ }^{21}$ As explained in detail in Appendix A, employment is computed monthly by considering the stock of workers employed in a given month considering that we observe which workers were hired or fired each month. We do not observe monthly wages, but we do observe average wages for workers hired in a given month-year. This implies that our wage measure may suffer from measurement error and thus may attenuate our results.

[^14]:    ${ }^{22}$ For instance, with a CES production function with elasticity of substitution $\sigma$, the relative response of bank capital $k_{b}$ and labor $l$ to a change in the lending rate $r^{l}$ and wages $w$ would be given by $d \ln \left(\frac{k_{b}}{l}\right)=-\sigma d \ln \left(\frac{r^{l}}{w}\right)$, that is, for the same relative change in prices, the relative change in bank capital and labor vary due to the elasticity $\sigma$.

[^15]:    ${ }^{23}$ The important feature of the financial friction is that it is linear in wealth $a$. This constraint can be microfounded from a limited commitment problem where $\lambda$ is the inverse of probability of collateral recovery. For a more detailed discussion of the micro-foundations possible generalizations see Moll (2014). What this constraint does not encompass are dynamic incentive contracts or endogenously incomplete markets with optimal contracts (as in Joaquim, Townsend and Zhorin (2019)), Moll (2014), Itskhoki and Moll (2019) and others.

[^16]:    ${ }^{24}$ Note that Eq. (10) is linear in wealth $a$, which is what allows for an easy aggregation. This comes from the CRS assumption coupled with and a linear constraint $k \leq \lambda a$ in wealth.

[^17]:    ${ }^{25}$ We assume here that banks can raise deposits inelastically at $r$, and we do not compute $r$ from the equilibrium supply and demand for capital in the economy. We opt for this simplification due to the fact that we do model the saving dynamics or the market for other sources of capital.

[^18]:    ${ }^{26}$ We show this visually in Figure G.1.

[^19]:    ${ }^{27}$ Sanches, Silva Junior and Srisuma (2018) focuses on the effect of banking privatization, and what would happen with banking markets that would potentially have branch closures following it (as some markets with the presence of public banks are not profitable enough for private banks, as shown in Coelho, De Mello and Rezende (2013)). Our exercise is different in spirit, as we want to focus on the competitive role of private and public banks.

[^20]:    ${ }^{28}$ See the BCB's Banking Report for 2018.

[^21]:    ${ }^{29}$ The categorization is as follows: micro: one whose gross annual income is equal to or less than $\mathrm{R} \$$ $240,000.00$, small: one whose gross annual revenues exceed $\mathrm{R} \$ 240,000.00$ and is equal to or less than $\mathrm{R} \$$ $2,400,000.00$, medium: one whose gross annual revenues exceed $R \$ 2,400,000.00$ and is equal to or less than R\$ 300,000,000.00.

[^22]:    ${ }^{30}$ Available here
    ${ }^{31}$ For more details: see here.

[^23]:    ${ }^{32}$ For data access: here. For accounting definitions and balance sheet entries, see here.
    ${ }^{33}$ Data access here. The data must be accessed through a Brazilian IP.
    ${ }^{34}$ Data access here.

[^24]:    ${ }^{35}$ here, we could have assumed the bank receives a share on the loan principal times interest, without the spread. We opt for this version to guarantee that if $c=1$, changes in default have no effect in the profit per unit of the capital of the bank
    ${ }^{36}$ As estimated by the World Bank here.

