

# Discussion of "Money talks" by M. Hoerova, C. Monnet and T. Temzelides

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# Context I

- A very nice paper on central bank communication.
- Could be (and, to some extent, is) applied to a hot topic: monetary policy and asset-price bubbles.
- Asset-price bubbles then implicitly defined as a situation where the private sector (PS) ignores the information of the central bank (CB) on productivity.

# Context II

- Everybody agrees that two conditions should be met for a monetary policy reaction to a perceived asset-price bubble to be desirable: loosely speaking,
  - ① the CB should be sufficiently certain that there is a bubble;
  - ② the bubble should be sufficiently sensitive to interest-rate changes.
- The first condition is met in the paper because the CB is assumed to have some private information (see Loisel, Pommeret and Portier, 2009, for a framework where that condition is met without this assumption).

# Context III

- The second condition is met in the paper because the only aim of the interest-rate changes is to credibly convey the CB's information to the PS: however large the bubble (*i.e.* the difference between the CB's and the PS's informations), the interest-rate change needed may be small simply because the CB's incentive to lie is small.
- One could even expect (but this would remain to be checked) that the larger the bubble, the smaller the CB's incentive to lie and hence the smaller the interest-rate change needed to eliminate the bubble.

# Summary I

- A central bank (CB) and a private sector (PS).
- A productivity parameter  $\theta^2$ , common to all private agents and uncertain.
- The CB receives a signal about the value of  $\theta$ , whose *value*  $y$  is common knowledge but whose *precision*  $\alpha$  is the CB's private information.
- Each private agent receives a signal about the value of  $\theta$ , whose *precision* is common knowledge but whose *value* is the private agent's private information.

# Summary II

- Each private agent  $i$  wants to produce a quantity  $k_i$  of investment goods as close as possible to the fundamentals  $\theta^2$ :  $k_i = E_i \{ \theta^2 \}$  (no beauty contest).
- Because the production cost function is strictly convex, social welfare would be increased if, for a given distance between  $\text{average}(k_i)$  and  $\theta^2$ ,  $\text{dispersion}(k_i)$  were reduced.
- Moreover, it seems that, because of non-linear effects (not discussed in the paper), social welfare would be increased if, for a given  $\text{dispersion}(k_i)$ ,  $\text{average}(k_i)$  were increased above  $\theta^2$ .
- Hence the CB's objective, which is to maximize social welfare, differs from the PS's for two reasons.

# Summary III

- Because the CB's objective differs from the PS's, the CB's announcements about  $\alpha$  may be rationally judged non-credible by the PS.
- In the absence of any information considerations, optimal monetary policy does not depend on  $\theta^2$  (for simplicity) and consists in the Friedman rule:  $r = 0$ .
- By setting  $r > 0$ , which is costly *per se*, the CB may lend credibility to its announcements about  $\alpha$ .
- It is found that **the CB raises rates to credibly convey the information that the precision of its signal is low** (whatever the value of this signal).
- This rise in rates need not be large to credibly convey this information (27 bp for their parametrization of the model).

# Summary IV

## A parallel with Solomon's judgment:

- Objective of the true mother: 1/ keep her child alive; 2/ have her child back.
- She credibly communicates her private information (*i.e.*, that she is the true mother) by showing that she is ready to meet her first objective at the cost of not meeting her second.
- Objective of the central bank: 1/ credibly communicate its private information; 2/ follow the Friedman rule.
- The central bank credibly communicates its private information (*i.e.*, meets its first objective) by showing that it is ready to pay the cost of not meeting its second objective for that.



# Motivation I

## What is the best illustration: Sweden 2005-2007 or the US 1996-1997?

- "Our model is motivated by events that took place in Sweden during the period 2005-2007".
- But this story is about a house-price bubble, while the model is all about productivity considerations.
- One illustration that may fare better on this ground is that about the Greenspan's Fed in 1996-1997:

*Mr Greenspan did once warn financial markets against "irrational exuberance", in December 1996, when the stockmarket was soaring. The market was jolted briefly, then carried on up.*

## Motivation II

*A few months later Mr Greenspan tried again, this time with a rate rise. According to Mr Greenspan's recent book, at the Fed's rate-setting committee meeting in February 1997 "we agreed that trying to avoid a bubble was consistent with our mission, and that it was our duty to take the chance." In March the Fed put up rates by a quarter of a point, citing worries about inflation (and making no mention of share prices). The Dow Jones slipped by 7% a few weeks later, but roared on again afterwards. Mr Greenspan stopped trying to fight the market: "We looked for other ways to deal with the risk of a bubble. But we did not raise rates any further, and we never tried to rein in stock prices again."*

The Economist, "Assets and their liabilities", 18 October 2007.

# Motivation III

How the model would interpret these events:

- irrational-exuberance speech: non-credible cheap talk;
- 25-bp hike: costly talk (though the Fed did not explicitly mention its concerns about share prices) that is not costly enough to be credible. And indeed, for their parametrization of the model, a 27-bp hike is needed.

# Interpretation I

## What exactly is this $\alpha$ that the CB would like to communicate?

- Assumptions:  $\theta \sim U_{(-\infty, +\infty)}$  and the CB receives a signal  $y = \theta + \eta$ , where  $\eta \sim N(0, \frac{1}{\alpha})$ .
- But the productivity parameter is  $\theta^2$ , not  $\theta$  (to ensure that investment is always positive).
- So  $\alpha$  affects not only the variance of  $E\{\theta^2|y, \alpha\}$ , but also its value  $E\{\theta^2|y, \alpha\} = y^2 + \frac{1}{\alpha}$ :  **$\alpha$  is about both the precision and the value of the CB's signal about  $\theta^2$ .**
- This complicates the computations and makes  $\alpha$  difficult to interpret.
- Would the result be robust to, say, a Normal law for  $\theta^2$ ? (Such that the probability that  $\theta^2 < 0$  is negligible.) Computations may be easier!

# Interpretation II

## Why not announce $y$ instead of $\alpha$ ?

- That would be somewhat more intuitive:  $y$  is **only about the value of the CB's signal about  $\theta^2$** .
- With  $\alpha$  public, the CB would probably have an incentive to lie about  $y$  (more precisely, to overstate  $y$ ) because that would be neutral in terms of dispersion( $k_i$ ) and beneficial in terms of increasing average( $k_i$ ) above  $\theta^2$ .

# Interpretation III

## Why is expected social welfare increased by making $\text{average}(k_i)$ higher than $\theta^2$ , for a given dispersion( $k_i$ )?

- This effect is due to non-linear effects that are not discussed in the paper.
- It would be worth explaining and interpreting this effect in the paper, as it plays a central role in the results obtained.
- Indeed, Proposition 1 says that if the PS always believed the CB's announcement, then the CB would choose to understate  $\alpha$ .
- This means that the CB would overstate both the noise around its signal about  $\theta^2$  and the value of this signal.
- This implies that the gain in increasing  $\text{average}(k_i)$  above  $\theta^2$  dominates the cost of increasing dispersion( $k_i$ ).

# Results I

## Is the strategy considered for the CB really credible?

- If the PS always believed the CB's announcement, then the CB would always announce  $\alpha = \alpha_L$  (cry wolf).
- Therefore an announcement  $\alpha = \alpha_H$  seems honest (not cry wolf), an announcement  $\alpha = \alpha_L$  seems suspicious (cry wolf).
- This leads the authors to consider the following CB's strategy (S1):
  - set  $r = 0$  (not costly) when  $\alpha = \alpha_H$ ;
  - set  $r > 0$  (costly) when  $\alpha = \alpha_L$ .
- Proposition 2 says that this strategy is credible from the point of view of the PS. Is it?

# Results II

- Assume that the PS's strategy is:
  - $\hat{\alpha} = \alpha_H$  when  $r = 0$ ;
  - $\hat{\alpha} = \alpha_L$  when  $r > 0$ .
- Then two possible pure strategies for the CB are:
  - (S1) set  $r = 0$  when  $\alpha = \alpha_H$  (gains: + wrt Friedman rule, + wrt communication) and  $r > 0$  when  $\alpha = \alpha_L$  (gains: -, +);
  - (S2) set  $r > 0$  when  $\alpha = \alpha_H$  (gains: -, ++) and  $r = 0$  when  $\alpha = \alpha_L$  (gains: +, -).
- If, as may be the case at first sight, S2 dominates S1 (both when  $\alpha = \alpha_H$  and when  $\alpha = \alpha_L$ , as there is one CB per period), then S1 is not credible.
- This credibility condition doesn't seem to be taken into account in the paper (though the way incentive compatibility constraints are written makes it hard to check this).



# Results III

## Can the CB credibly communicate both $y$ and $\alpha$ ?

- The CB can use  $r$  to convey both  $y$  and  $\alpha$ , with a rule  $r(y, \alpha)$ .
- In the absence of any credibility considerations, all that is needed is a bijection between  $\mathbb{R} \times S_\alpha$  and  $\mathbb{R}^+$ .
- As they show, such a bijection exists for any finite or countable set  $S_\alpha$ .
- But they require that this rule be not only a bijection, but also a homeomorphism: is it with the aim of showing that it enables the CB to credibly communicate its private information?
- However, this rule seems to be designed to satisfy an incentive-compatibility constraint about  $\alpha$ , not about  $y$ .
- Now, the CB may have the incentive to lie about both  $y$  and  $\alpha$  (more precisely, overstate  $y$  and understate  $\alpha$ ) because this would enable it to increase  $\text{average}(k_i)$  and decrease  $\text{dispersion}(k_i)$  at the same time.