

# Money Talks: Information and Monetary Policy

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Stability”

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The views expressed are solely those of the authors.

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“would also function as a *signal* that could subdue house price trends and household indebtedness”

- Interest rates raised gradually from January 2006 onward → slowdown in house prices
- Deeds need to complement words!

# Research questions

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- What is the role of monetary policy as
  - a tool for information revelation?
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- Why do central banks typically follow policies that lead to positive average inflation levels?

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- Economic environment:
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  - externalities on the aggregate level
- The CB has info about fundamentals → how to reveal it?

# What do we get?

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- Interest rate changes
  - credible... yet introduce a distortion
  - enable more socially efficient investment
  - → monetary policy as an optimal balance of this tradeoff
- Changes in the interest rate need not be large to be effective

# The environment

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- Time  $t$  discrete
- Infinitely lived agents, discount factor  $\beta$
- Benevolent CB serves for one period and can:
  - print money
  - make loans to the private sector
  - make announcements

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- Each period: three stages 0, 1, and 2
- Three goods:
  - stage 0: an investment good  $k$ , uncertain return  $\theta^2$  per unit
  - stage 1: good  $q$
  - stage 2: good  $z$

# Preferences and technology

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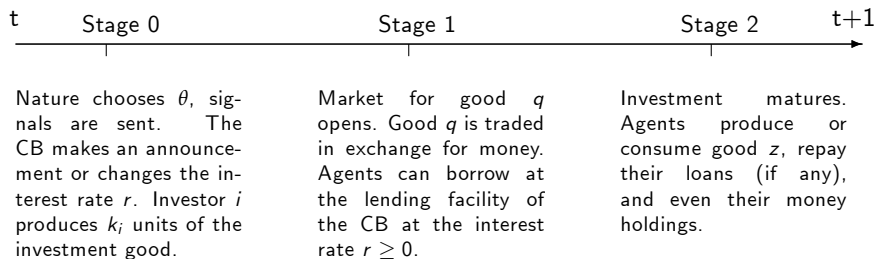
- Stage-1 good:

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- utility of consumption:  $u(q)$

- Stage-2 good:

- linear utility of consumption (cost of production)
- → agents use Stage 2 to equalize money holdings

# Timeline



# Benchmark: Fundamentals observable

- Planner max period- $t$  social welfare:

$$W(k_i, \theta) = \frac{1}{2} \left[ u(q) - q + \int \theta^2 k_i di - \int \frac{k_i^2}{2} di \right]$$

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- Decentralization using cash:

- agents can borrow from the CB at  $r \geq 0$  at stage 1
- Friedman rule is optimal:  $r = 0$  for all states

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- CB's tools: announcements and changes of  $r$

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- Intuition:
  - lower  $\alpha_a$  increases dispersion of individual investment levels
  - but: lower  $\alpha_a$  increases mean investment
- No equilibrium where the CB announces its precision truthfully and the investors use the announcement  $\rightarrow$  Talk is cheap!

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- Pooling: agents use  $\bar{\alpha} = \pi\alpha_L + (1 - \pi)\alpha_H$  and the CB sets  $r(\bar{\alpha}) = 0$
- If agents' expectations are far away from the truth, costly signaling is preferred to costless pooling

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- For  $CRRA = 4$ , credibility achieved with  $r = 54$  b.p.

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- Extensions:
  - Signaling both  $y$  and  $\alpha$
  - Correlated signals
  - Other instruments

Thank you!

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# Decentralization using cash

- Discounted lifetime utility entering Stage 2:

$$W(k, m, l; \theta) = \max_{z, m_{+1}} \{-z + \beta EV(m_{+1}; \theta)\}$$
$$s.t. \quad \phi m_{+1} = z + \theta^2 k + \phi m - \phi(1+r)l + \phi\tau + \phi T$$

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- Expected discounted lifetime utility entering Stage 0:

$$\begin{aligned} V(m) &= \frac{1}{2} \max_{k_i} \left\{ -\frac{k_i^2}{2} + E \left[ \max_q -q + W(k_i, m + pq, 0, \theta) \right] \right\} \\ &\quad + \frac{1}{2} E \left[ \max_{q, l \text{ s.t. } pq \leq m+l} u(q) + W(0, m + l - pq, l, \theta) \right] \end{aligned}$$

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## ■ Stage 2: General market

- return  $\theta^2$  per unit of  $k$  realized, consumed
- good  $z$  traded
- frictionless Walrasian market