## Banks Interconnectivity and Leverage

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The views expressed in this paper do not reflect the views of the Central Bank of Ireland or the European System of Central Banks.

## Motivation: Two Interesting Recent Trends

#### Figure: Interconnectivity (Left) and Leverage (Right)



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## Motivation: An Interesting Correlation



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- Are the simultaneous increases in interconnectivity and leverage related?
- What are the forces that have induced banks to become more interconnected and leveraged?

- Theoretical Analysis
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- Empirical Analysis
  - Analysis of the association between interconnectivity and leverage.

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- Because of the diversification, they are willing to invest more and take more leverage.
- Empirical Analysis
  - Analysis of the association between interconnectivity and leverage.
  - Exploration of the empirical implication of the two mechanisms built in the theoretical model.

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  - Increase of the return spreads (ratio between investment expected return and the cost of liabilities).
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- Empirical Analysis
  - Positive correlation between interconnectivity and leverage:
    - Across time
    - Across countries,
    - Across (and within) financial institutions.
  - Negative relation between interconnectivity and return differentials:
    - Interconnectivity and leverage co-movement likely driven by diversification cost.

## **Related Literature**

- Interconnectedness (see conference program...)
  - Theoretical
    - Allen and Gale (2000), Freixas et al. (2000), Allen et al. (2012),
    - David and Lear (2011), Eiser and Eufinger (2014),
    - Acemoglu et al. (2015).
  - Empirical
    - Cetorelli and Goldberg (2012), Cai el al. (2014), Hale et al. (2014), Peltonen et al. (2015).
- Bank Leverage
  - Adrian and Shin (2010, 2011, 2014),
  - Eichberger and Summer (2005),
  - Devereux and Yetman (2010).
- Interlink between interconnectedness and leverage
  - Shin (2009), Hahm, Shin and Shin (2013), Gennaioli et al. (2013).

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- Given the net worth  $a_t$ , the bank sells liabilities  $l_t$  at price  $1/R_t^l$  and make risky investments  $k_t$  at price  $1/R_t^k$  in the nonfinancial sector.

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- Risky investments creates demand for insurance  $\rightarrow$  banks sell  $\alpha_t k_t$  investment to other banks and buy *diversified* portfolio  $f_t$  from other banks at price  $1/R^i$ .

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- Agency problems limit the degree of diversification: convex cost  $\varphi(\alpha_t)k_t$ , with  $\varphi(\alpha_t) = \chi \alpha_t^{\gamma}$ ,  $\gamma > 1$

### Model: Bank's Maximization Problem

• The problem solved by the bank can be written recursively as

$$V_t(a_t) = \max_{c_t, l_t, k_t, \alpha_t, f_t} \ln(c_t) + \beta \mathbb{E}_t V_{t+1}(a_{t+1})$$
(1)

subject to:

$$c_{t} = a_{t} + \frac{l_{t}}{R_{t}^{l}} - \frac{k_{t}}{R_{t}^{k}} + \frac{[\alpha_{t} - \varphi(\alpha_{t})]k_{t}}{R_{t}^{i}} - \frac{f_{t}}{R_{t}^{i}}$$
$$a_{t+1} = z_{t+1}(1 - \alpha_{t})k_{t} + f_{t} - l_{t}.$$

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• We solve the problem by transforming it in a standard portfolio choice with a risky asset  $(\bar{k}_t = (1 - \alpha_t)k_t)$  and a riskless asset  $(-\bar{l}_t = f_t - l_t)$  (as in Merton, 1971).

# Model: Leverage and Interconnectivity (1)

• We define bank leverage as the ratio of total bank assets and total bank equities:

$$LEVERAGE = \frac{K_t/R_t^k + F_t/R_t^l}{K_t/R_t^k - L_t/R_t^l}.$$
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• We define interconnectivity as the ratio of aggregate non-core liabilities (assets sold to other banks) over aggregate assets:

INTERCONNECTIVITY = 
$$\frac{\alpha_t K_t / R_t^l}{K_t / R_t^k + F_t / R_t^l}.$$
 (3)

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#### Proposition (2.1)

For empirically relevant parameters, leverage and interconnectivity are

- Strictly decreasing in the diversification cost,  $\chi$ .
- Strictly increasing in the return spread,  $R_t^k/R_t^l$ .

• The return differential is defined as the difference between the return in total assets (revenue) and the return on total liabilities (cost):

$$DIFFERENTIAL = \frac{K_t + F_t}{K_t/R_t^k + F_t/R_t^i} - \frac{L_t + \alpha_t K_t}{L_t/R_t^l + \alpha_t K_t/R_t^i}$$
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#### Proposition (2.2)

The bank return differential is

- Strictly increasing in the diversification cost,  $\chi$ .
- Strictly increasing in the return spread,  $R_t^k/R_t^l$ , if  $\chi$  is sufficiently large.

- Data from Bankscope
- Sample 1999-2011
- 32 OECD Countries
- 14,000 Financial Institutions
- Winsorized at 1 and 99 percentile



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## $INTERCONNECTIVITY_{it} = \frac{LIABILITIES_{it} - DEPOSITS_{it}}{ASSETS_{it}}$

 $LEVERAGE_{it} = \frac{ASSETS_{it}}{ASSETS_{it} - LIABILITIES_{it}}$ 

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### Interconnectivity and Leverage: Country-level (1)



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## Interconnectivity and Leverage: Country-level (2)



Figure: Leverage and Interconnectivity, Across countries, Selected Years

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## Interconnectivity and Leverage: Firm-level (1)

#### Table: Very Large Financial Institutions (1999-2011)

| Dep Variable      | A/E       | A/E       | A/E       |  |
|-------------------|-----------|-----------|-----------|--|
| INTERCONN         | 31.648*** | 29.363*** | 32.485*** |  |
|                   | (1.978)   | (2.968)   | (8.090)   |  |
| size              | 0.315     | -0.231    | 3.421     |  |
|                   | (0.398)   | (0.422)   | (2.118)   |  |
| Specialisation FE | No        | Yes       | No        |  |
| Country FE        | No        | Yes       | No        |  |
| Time FE           | No        | Yes       | Yes       |  |
| Banks FE          | No        | No        | Yes       |  |
| R-squared         | 0.263     | 0.505     | 0.200     |  |
| N                 | 1214      | 1214      | 1214      |  |
|                   |           |           |           |  |

Notes: Standard Errors in Parenthesis

\*,\*\*,\*\*\* Statistically Significant at 10%, 5% and 1%

## Interconnectivity and Leverage: Firm-level (2)

#### Table: All financial institutions

| Dep Variable | A/E       | A/E       | A/E       |
|--------------|-----------|-----------|-----------|
| Time Period  | 1999-2011 | 1999-2007 | 2003-2007 |
| INTERCONN    | 2.896***  | 2.192***  | 1.240***  |
|              | (0.126)   | (0.133)   | (0.173)   |
| size         | 2.831***  | 2.897***  | 3.249***  |
|              | (0.024)   | (0.026)   | (0.038)   |
| Banks FE     | Yes       | Yes       | Yes       |
| Time FE      | Yes       | Yes       | Yes       |
| R-squared    | 0.090     | 0.118     | 0.126     |
| N            | 176108    | 125361    | 69334     |
|              |           |           |           |

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### Interconnectivity and Return Differential

# $DIFFERENTIAL_{it} = \frac{INT_{-}INCOME_{it}}{AV_{-}ASSETS_{it}} - \frac{INT_{-}EXP_{it}}{AV_{-}LIABILITIES_{it}}.$

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- The model predicts:
  - a positive correlation between interconnectivity and return differentials if  $R_t^k/R_t^l$  is the main force at play

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# $DIFFERENTIAL_{it} = \frac{INT_{-}INCOME_{it}}{AV_{-}ASSETS_{it}} - \frac{INT_{-}EXP_{it}}{AV_{-}LIABILITIES_{it}}.$

#### • The model predicts:

- a positive correlation between interconnectivity and return differentials if  $R_t^k/R_t^l$  is the main force at play
- a negative correlation between interconnectivity and return differentials if  $\chi$  is the main force at play

## Interconnectivity and Differential: Country-level (1)



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## Interconnectivity and Differential: Country-level (2)



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# Interconnectivity and Differential: Firm-level (1)

#### Table: Very Large Financial Institutions (1999-2011)

| Dep Variable      | INTERCONN         | INTERCONN          | INTERCONN           |  |
|-------------------|-------------------|--------------------|---------------------|--|
| Differential      | -0.098***         | -0.114***          | -0.026**            |  |
|                   | (0.007)           | (0.009)            | (0.013)             |  |
| size              | -0.015**          | -0.006             | 0.071* <sup>*</sup> |  |
|                   | (0.008)           | (0.008)            | (0.033)             |  |
| Specialisation FE | No                | Yes                | No                  |  |
| Country FE        | No                | Yes                | No                  |  |
| Time FE           | No                | Yes                | Yes                 |  |
| Banks FE          | No                | No                 | Yes                 |  |
| R-squared         | 0.210             | 0.674              | 0.217               |  |
| N                 | 963               | 963                | 963                 |  |
| Na                | tool Standard Err | are in Daranthasis |                     |  |

**Notes:** Standard Errors in Parenthesis

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# Interconnectivity and Differential: Firm-level (2)

#### Table: All Financial Institutions (1999-2011)

| Dep Variable      | INTERCONN                             | INTERCONN | INTERCONN |  |  |  |
|-------------------|---------------------------------------|-----------|-----------|--|--|--|
| Differential      | -0.048***                             | -0.024*** | -0.007*** |  |  |  |
|                   | (0.001)                               | (0.001)   | (0.001)   |  |  |  |
| size              | 0.044***                              | 0.031***  | 0.021***  |  |  |  |
|                   | (0.000)                               | (0.000)   | (0.003)   |  |  |  |
| Specialisation FE | No                                    | Yes       | No        |  |  |  |
| Country FE        | No                                    | Yes       | No        |  |  |  |
| Time FE           | No                                    | Yes       | Yes       |  |  |  |
| Banks FE          | No                                    | No        | Yes       |  |  |  |
| R-squared         | 0.328                                 | 0.562     | 0.035     |  |  |  |
| N                 | 169308                                | 169308    | 169298    |  |  |  |
| No                | Notes: Standard Errors in Parenthesis |           |           |  |  |  |

**Notes:** Standard Errors in Parenthesis

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- Negative relation between interconnectivity and return differential.
- The upward trends observed prior to the crisis likely to have been driven by financial innovation.
- Planned (partly ongoing) research:
  - Analyze the impact of interconnectivity on the post-Lehman fall in credit growth,
  - Analyze the implications for systemic risk.

#### THANK YOU!!! for Suggestions, Comments, Complaints: alessandro.barattieri@carloalberto.org

|                  | Number Obs |      | Total Assets |         | Leverage |      | Interconnectivity |      |
|------------------|------------|------|--------------|---------|----------|------|-------------------|------|
|                  | Total      | %    | mean         | s.d.    | mean     | s.d. | mean              | s.d. |
| ALL              | 211291     |      | 7812.9       | 245     | 12.7     | 8.6  | 0.16              | 0.23 |
| of which:        |            |      |              |         |          |      |                   |      |
| MEGA BANKS       | 1303       | 0.6  | 635986.1     | 565491  | 25.7     | 13.8 | 0.54              | 0.23 |
| Commercial Banks | 118156     | 55.9 | 5964.5       | 65249.8 | 10.8     | 5.6  | 0.10              | 0.19 |
| Investment Banks | 3438       | 1.6  | 28948.2      | 95661.3 | 17       | 18.8 | 0.63              | 0.29 |

Notes: Millions of USD. Back to Main

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## Interconnectivity, Selected Countries





## Leverage, Selected Countries



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