## Spillovers in the Credit Default Swap Market

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## Motivation & Background

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#### The CDS Contract

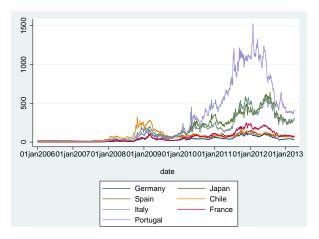
- The credit default swap spread is the cost per annum for a kind of protection to a "credit event", namely a loan default
- It is tempting to praise the following argument: If an investor buys an asset which bears extra risk and simultaneously buys CDS protection this should be equivalent to purchasing a risk-free asset, hence the name CDS spread.
- Arbitrage tested mostly for corporate sector: Blanco et. al. (2005), Hull et. al. (2004) and may not hold

## The CDS Contract

Perfect arbitrage assumes

- Participants can *quickly* short bonds or are prepared to sell these bonds, buy riskless bonds, and sell default protection (or viceversa).
- Ignores the "cheapest-to-deliver bond" option in a credit default swap. Typically a protection seller can choose to deliver any of a number of different bonds in the event of a default to meet her obligation.
- There is counterparty risk.
- The argument assumes perfectly elastic supply of CDS contracts, whereas it is more likely that this is not the case.
- What happens in the absence of a less-risky bond alternative?

# Stylized fact # 1: Increased synchronization of CDS spread across countries



#### Figure : CDS by country (daily data) →

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### Stylized fact # 2: Bond yields do not co-move accordingly

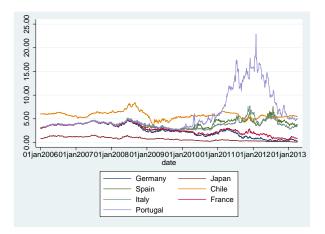


Figure : Government Bonds 5Y by country (daily data)

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#### What this paper is about...

Should we worry about the apparent increased synchronization of CDS spreads across countries? Does CDS<sub>i</sub> affect CDS<sub>j</sub>? Can we talk about contagion?

If in fact we can make the case for contagion should we see credit spreads rising vis à vis CDS spreads?

# Pass Through: CDS to Bond Markets

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#### Literature Review

- A Literature on Credit Risk
  - 1. Structural models of valuation of risk: Merton (1974), Gapen et. al. (2008)
  - 2. Timing of default as a hazard ratio: Lando (1997)
- B Literature on no-arbitrage opportunities between CDS and bond yields
  - Applications to corporate spreads: Blanco et.al. (2005), Norden and Weber (2009), Hull et.al. (2004). They all assume contemporaneous adjustment though
  - I use a VAR approach to allow for non-instantaneous test of price convergence

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#### Statistical Analysis

## Bond Risk Premia vs. CDS

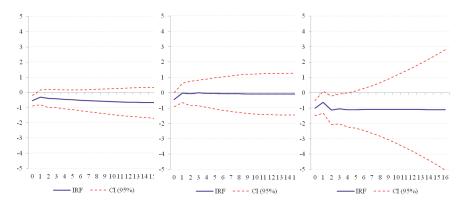
Consider the following exercise,

- Stack Bond (in Euros) yields and CDS (in %) in a VAR(p) system and calculate the Impulse Response Functions (IRF) to assess (a) size (b) average life-time (c) statistical significance of the pass-through of a shock in CDS into bond yields.
- Consider 3 time windows (for robustness)

$$\begin{bmatrix} CDS_t \\ Y_t \\ x_t \end{bmatrix} = \Phi(L) \begin{bmatrix} CDS_t \\ Y_t \\ x_t \end{bmatrix} + \begin{bmatrix} \varepsilon_t^{CDS} \\ \varepsilon_t^Y \\ \varepsilon_t^X \\ \varepsilon_t^X \end{bmatrix}$$
(1)

## Bond Risk Premia vs. CDS: Germany

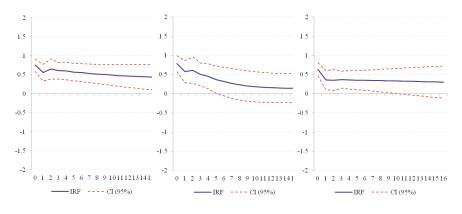
#### Figure : IRF function, response of bond yields to shock in CDS in Germany



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### Bond Risk Premia vs. CDS: Spain

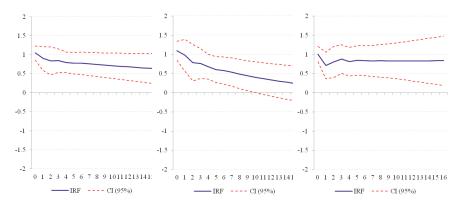
#### Figure : IRF function, response of bond yields to shock in CDS in Spain



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## Bond Risk Premia vs. CDS: Portugal

#### Figure : IRF function, response of bond yields to shock in CDS in Portugal

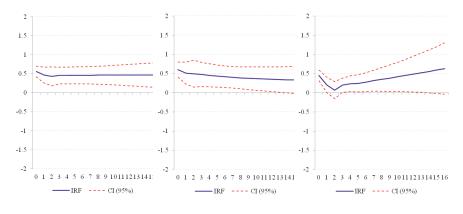


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### Bond Risk Premia vs. CDS: Italy

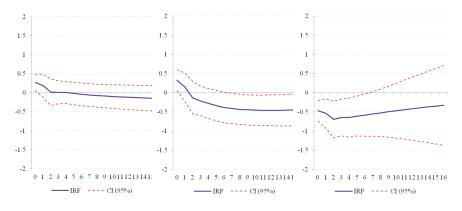
#### Figure : IRF function, response of bond yields to shock in CDS in Italy



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### Bond Risk Premia vs. CDS: France

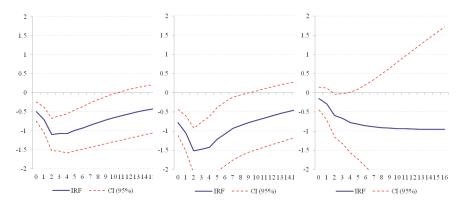
#### Figure : IRF function, response of bond yields to shock in CDS in France



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#### Bond Risk Premia vs. CDS: Chile

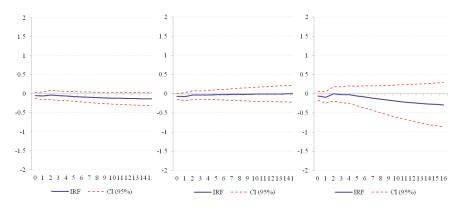
#### Figure : IRF function, response of bond yields to shock in CDS in Chile



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### Bond Risk Premia vs. CDS: Portugal

#### Figure : IRF function, response of bond yields to shock in CDS in Japan

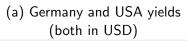


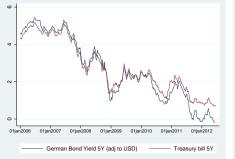
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#### Results

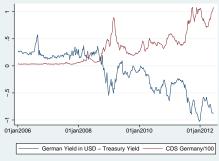
### Interpretation: Risk Premia for Germany vs. CDS

The negative correlation of the German Bond yield & its associated CDS, together with assuming the supply for CDS contracts is sort of inelastic, *hints* to a demand-led escalation of CDS spreads together with rising demand for risk-free assets (flight to quality)





(b) Risk Premia for Germany vs. CDS



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# Contagion

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#### Literature Review

- C Literature on Contagion: Three main reasons
  - 1. Correlated information or Price discovery channel: Dornbusch et. al (2002), Kiyotaki and Moore (2002), Longstaff (2010)
  - Liquidity channel: Cross regional deposits model of Allen and Gale (2000), Krodes and Pritsker (2002) and the funding-problem model of Brunnermeir and Pedersen (2009)
  - 3. Risk aversion channel: Vayanos (2004) and Acharaya and Pedersen (2005)

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# Stylized fact # 1: Increased synchronization of CDS spread across countries

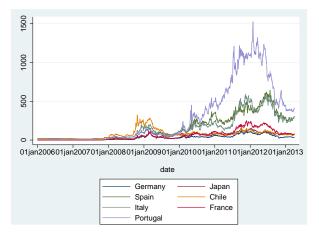


Figure : CDS by country (daily data) →

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## Closer look at synchronization

Take cross correlations of Germany CDS spread and other countries

Table : Pairwise correlations for Germany's and other countries' CDS: Weekly data

	2006-2007	2008-2009	2010	2011	2012
Portugal	0.44	0.90	0.63	0.79	-0.12
Spain	0.52	0.89	0.72	0.90	0.51
France	0.38	0.98	0.76	0.98	0.83
Italy	0.35	0.91	0.70	0.96	0.90
Japan	0.36	0.81	0.33	0.90	0.30
Chile	0.43	0.82	0.48	0.96	0.89

**Source**: Author's calculations on Bloomberg data. **Note**: All non-italic pair-wise correlations are significant to the 1% level, using the Bonferroni-adjusted significance level.

## Mechanics of the Diebold-Yilmaz (2010) Index

- General idea: Stack CDS spreads for the seven economies (and other x<sub>t</sub>) in a VAR(p), and rescue the fraction of forecast error variance that can be attributed to other countries. This is a standard measure of contagion once we have accounted for feedback in crossed dynamics
- Intuition: The larger the error in predicting variable x that can be accounted for by *other* errors, then the larger the contagion
- Consider this exercise also for volatility of the series

#### Synchronization

## Contagion Index

Consider the simple first order two-variable VAR

$$\mathbf{x}_t = \Phi \mathbf{x}_{t-1} + \varepsilon_t \tag{2}$$

where  $\mathbf{x}_t = (x_{1,t}, x_{2,t})$  and  $\Phi$  is a 2 × 2 parameter matrix. Then covariance stationarity implies

$$\mathbf{x}_t = \Theta(L) \varepsilon_t$$

where  $\Theta(L) = (I - \Phi L)^{-1}$ . It can also be written as,

$$\mathbf{x}_t = A(L)\mathbf{u}_t \tag{3}$$

with  $A(L) = \Theta(L)Q_t^{-1}$ ,  $\mathbf{u}_t = Q_t\varepsilon_t$ ,  $E(\mathbf{u}_t\mathbf{u}'_t) = I$  and  $Q_t^{-1}$  is the unique lower triangular Cholesky factor of the covariance matrix of  $\epsilon_t$ 

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#### Synchronization

## Contagion Index

• Then the one-step ahead error is

$$\mathbf{e}_{t+1,t} = \mathbf{x}_{t+1} - \mathcal{E}(\mathbf{x}_{t+1} | \mathbf{x}_t \dots \mathbf{x}_1) = \mathbf{A}_0 \mathbf{u}_{t+1} = \begin{bmatrix} \alpha_{0,11} & \alpha_{0,12} \\ \alpha_{0,21} & \alpha_{0,22} \end{bmatrix} \begin{bmatrix} u_{1,t+1} \\ u_{2,t+1} \end{bmatrix}$$

which has covariance matrix  $E(\mathbf{e}_{t+1,t}\mathbf{e}'_{t+1,t}) = \mathbf{A}_0\mathbf{A}'_0$ , since  $E(\mathbf{u}_t \mathbf{u}'_t) = I_k$ , with k = # of countries. If we were considering a one-step-ahead error in forecasting  $\mathbf{x}_{1,t}$ , its variance would be  $\alpha_{0\,11}^2 + \alpha_{0\,12}^2$ 

• The relative contribution to the FEVD for  $x_1$  from  $x_2$  is  $\widehat{\alpha}_{0,12}^2 = [\alpha_{0,12}^2 / (\alpha_{0,11}^2 + \alpha_{0,12}^2)]$  with (conveniently)  $\widehat{\alpha}_{0,12}^2 \in [0,1]$ .

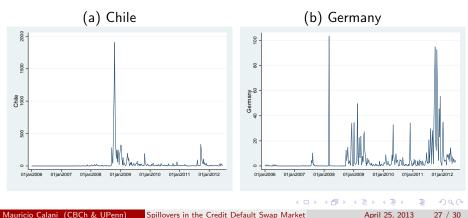
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### The Data: Calculating intra-week Volatility

Use Garman and Klass (1980) measure of weekly volatility

$$\sigma_{it}^{2} = 0.511(H_{it} - L_{it})^{2} - 0.383(C_{it} - O_{it})^{2}$$

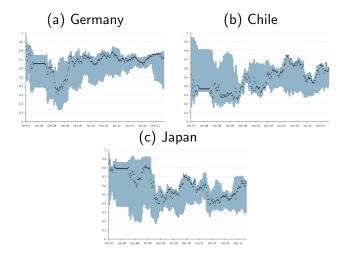
$$-0.019[(C_{it} - O_{it})(H_{it} + L_{it} - 2O_{it}) - 2(H_{it} - O_{it})(L_{it} - O_{it})]$$
(4)



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### Contagion Index for returns on CDS

Index based on Diebold and Yilmaz (2010)



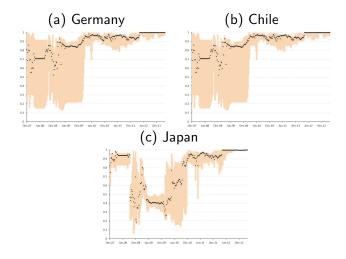
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## Contagion Index for returns on CDS

Index based on Diebold and Yilmaz (2010)



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## Conclusions

- I examine the relation of credit spreads in sovereign debt with CDS spreads in a 16 week horizon
- There exist two groups of countries
  - i) CDS shocks affect bonds yields positively: pass-through
  - ii) Safe-havens, in which effect is negligible or negative
- Possible to estimate an index of contagion in a weekly basis: No evidence for contagion in levels from troubled economies to safe-havens in 2012. Not possible to say the same regarding volatility.

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